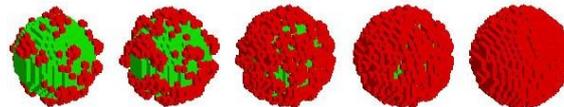
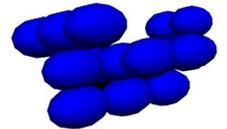
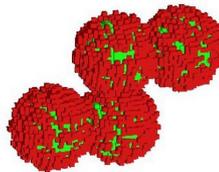
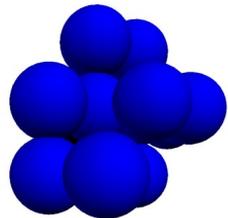
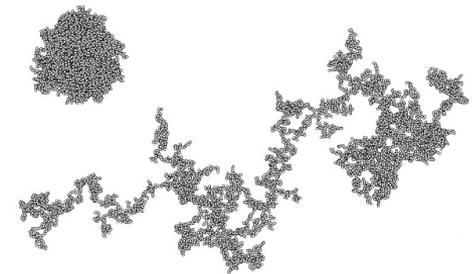
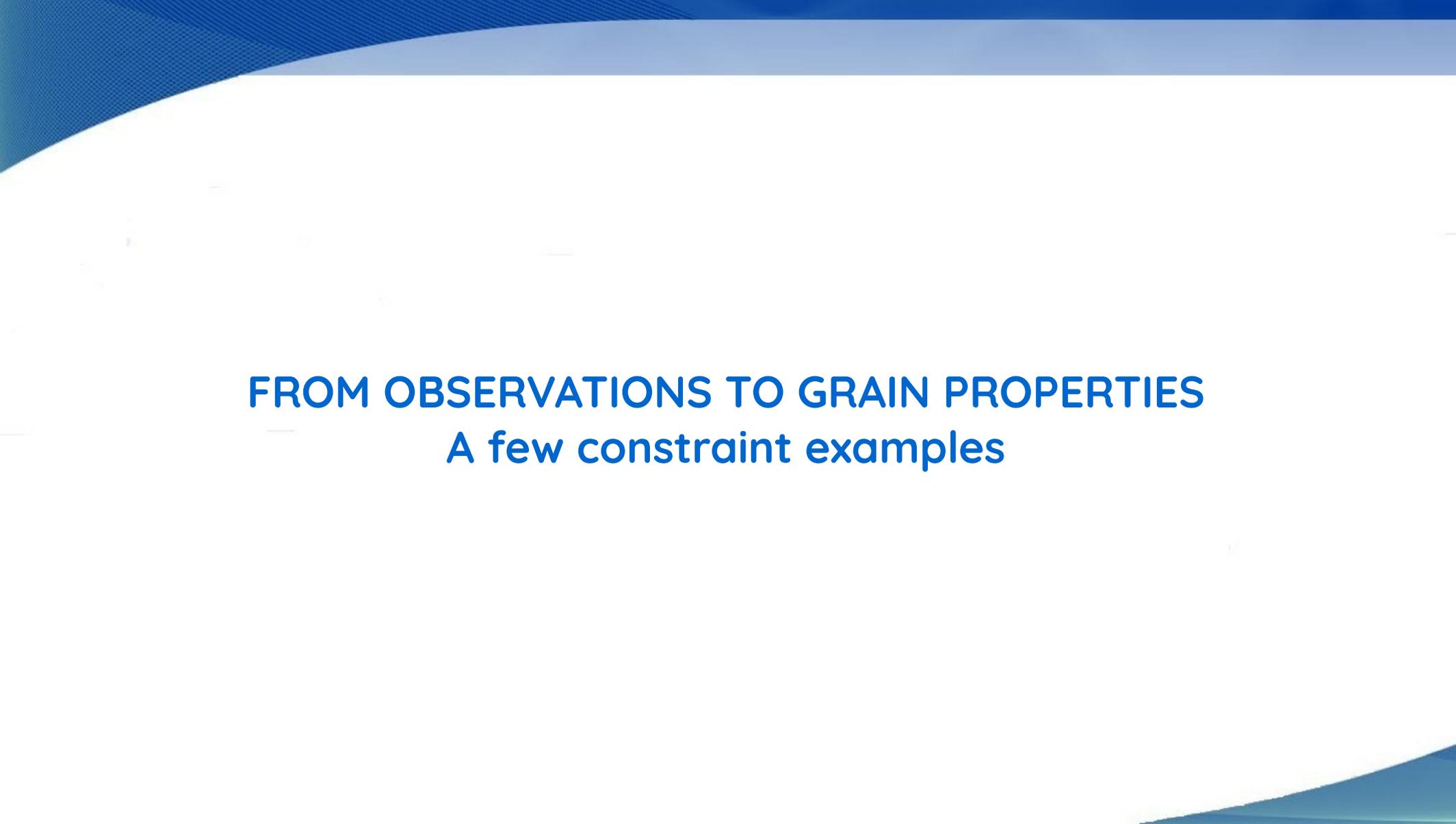


DUST EVOLUTION FROM THE DIFFUSE TO THE DENSE ISM

N. Ysard (IAS, CNRS, Université Paris Saclay)



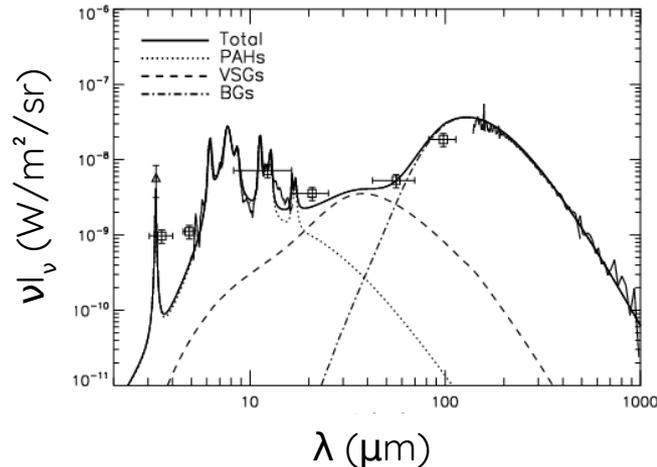
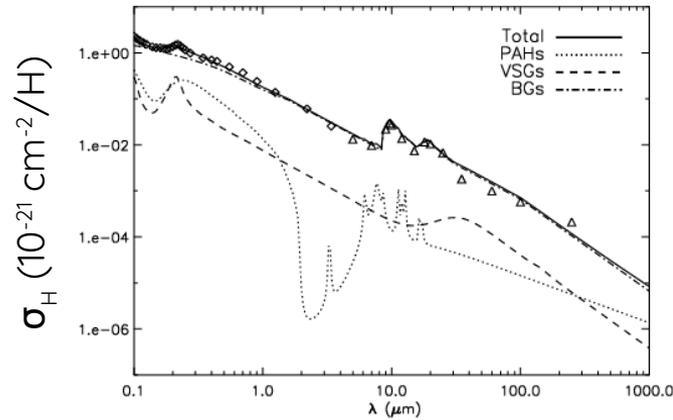
Mukai et al. (1992)
Koehler et al. (2011, 2012)
Min et al. (2016)
Ysard et al. (2018)

The slide features a blue decorative header at the top and a blue decorative footer at the bottom, both with a curved, wavy design. The main content area is white.

FROM OBSERVATIONS TO GRAIN PROPERTIES

A few constraint examples

What do we have to constrain the grain properties ?



- Depletion measurements + X-ray \rightarrow composition

- Extinction

$$E(B-V) = A_B - A_V \quad \& \quad R_V = A_V / E(B-V)$$

mid-IR silicate bands at ~ 10 and $18 \mu\text{m}$

- Emission

mid-IR to far-IR ratio

$$\text{modified BB fit} \rightarrow I_\nu = N_H \sigma_{\nu 0} B_\nu(T) (\nu/\nu_0)^\beta$$

$$\text{optical depth} \rightarrow \tau_{\nu 0} = N_H \sigma_{\nu 0}$$

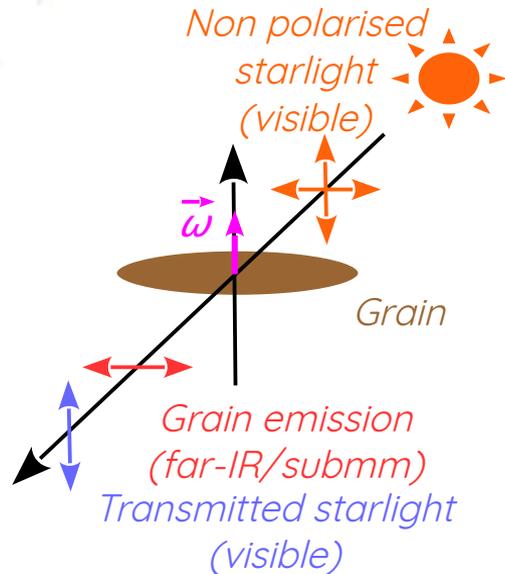
- Scattered light from visible to mid-IR \rightarrow size

- Polarisation

λ_{max} \rightarrow peak wavelength of starlight polarisation

P/I \rightarrow polarisation fraction in far-IR/submm

What do we have to constrain the grain properties ?



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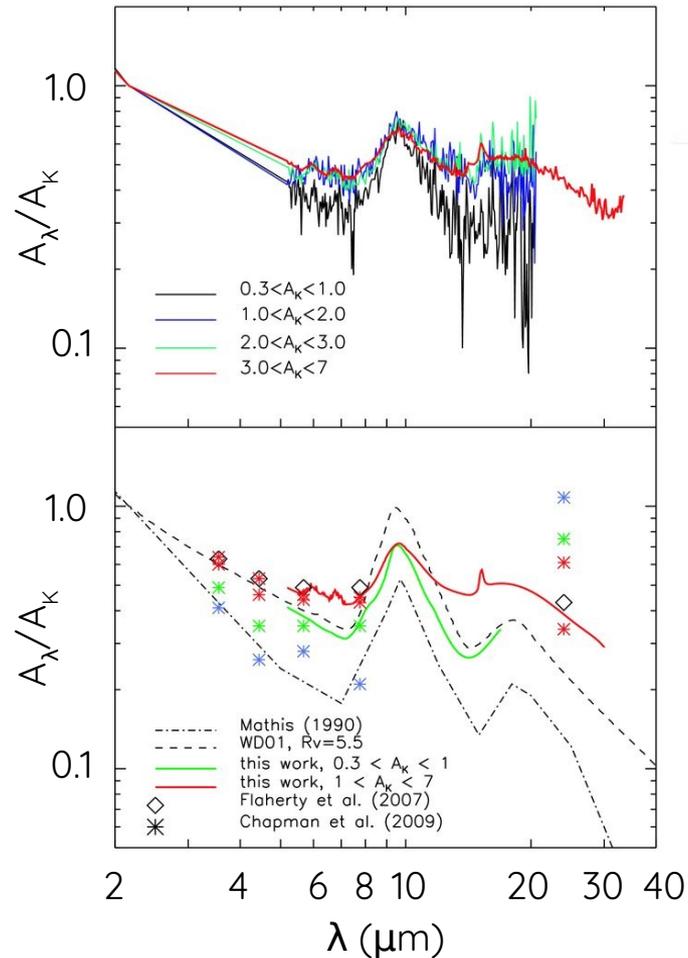
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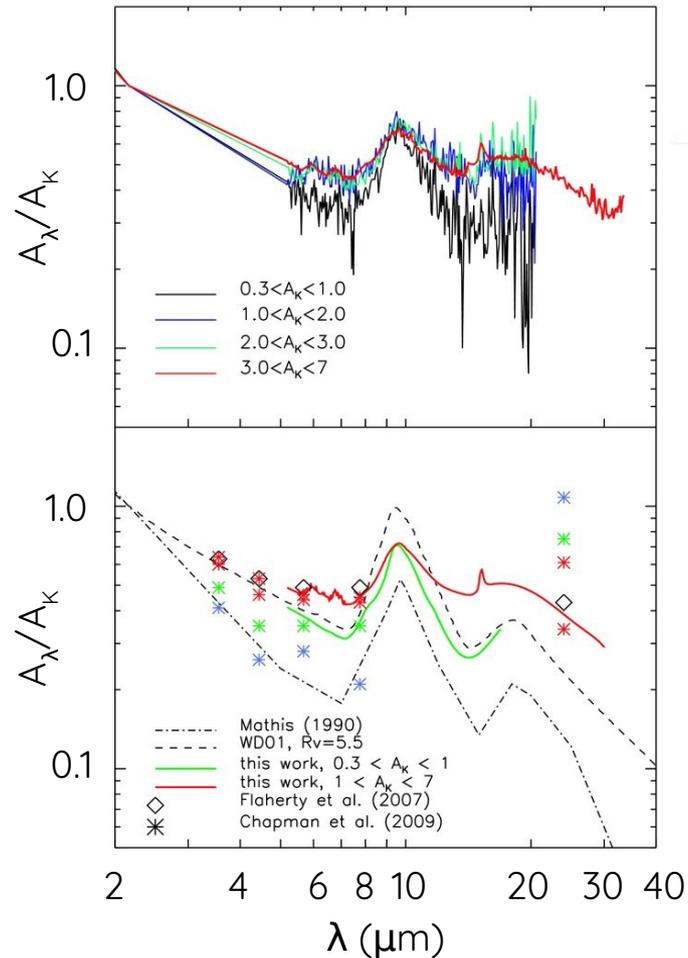
➡ Grain composition, abundance, size, shape...

Variations in the silicate mid-IR features McClure (2009)



- Sample
 - 24 G0-M4 III stars behind dark clouds
 - Chameleon, Serpens, Taurus
 - Barnard 68, Barnard 59, IC 5146
- Normalisation to K band at $2.2 \mu\text{m}$ (2MASS)
- Observational results for $A_K > 0.5$ ($\Leftrightarrow A_V \sim 4$)
 - extinction curve flattening
 - widening of both bands
 - BUT peak positions unchanged
 - variations correlated with ice features

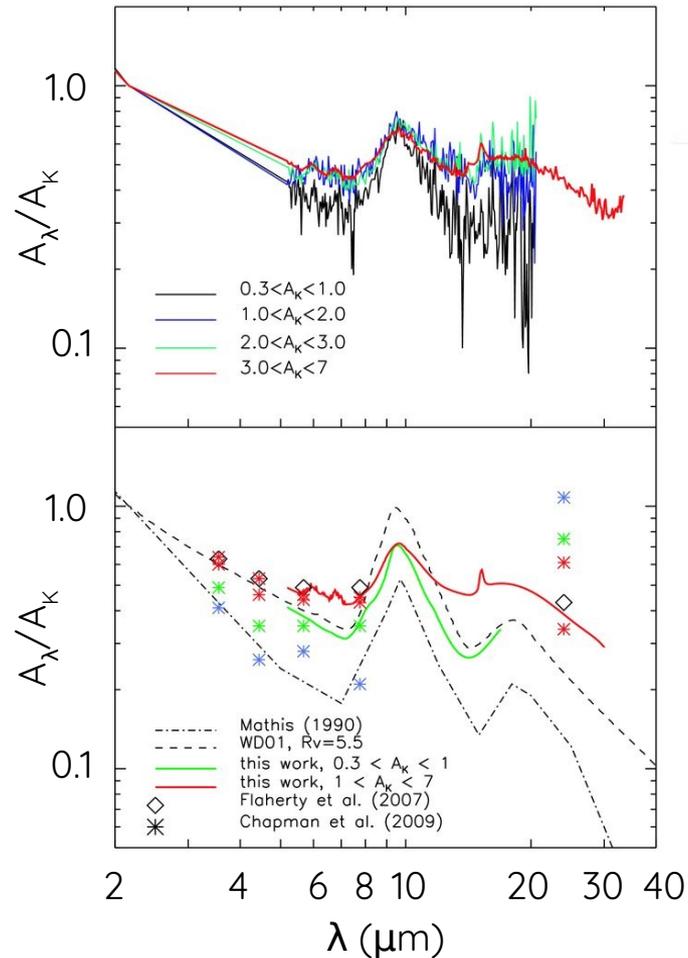
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Grain size cannot exceed $\sim 1 \mu\text{m}$

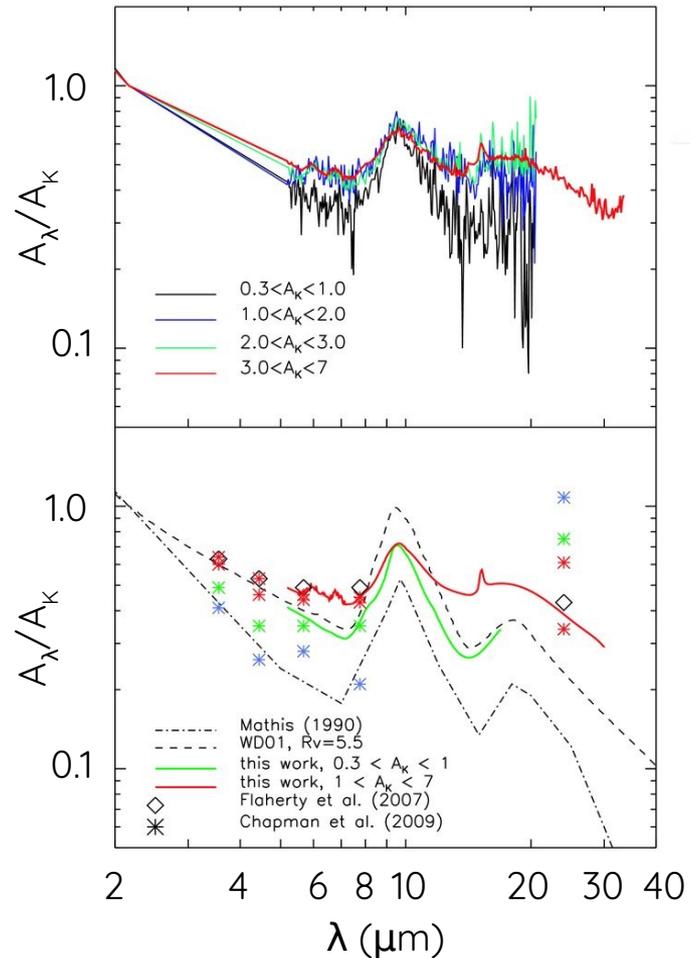
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Carbon accretion ?

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widening of both bands

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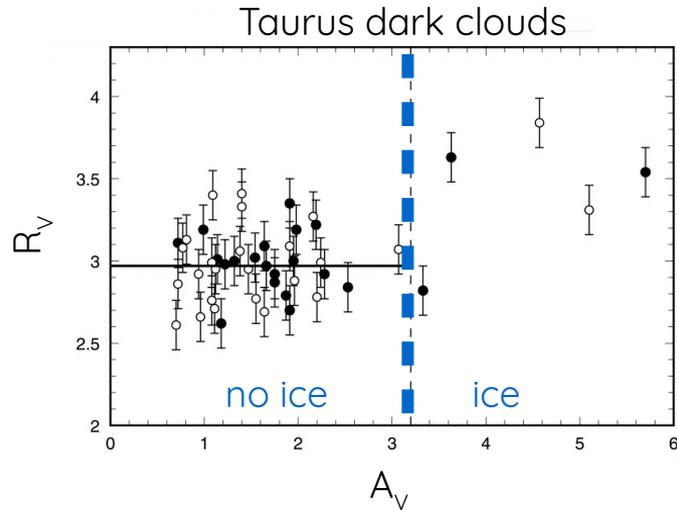
Carbon and ice accretion ?

From isolated grains to icy aggregates ?

\rightarrow widening only of the 18 μm band

Variations in total-to-selective extinction R_V

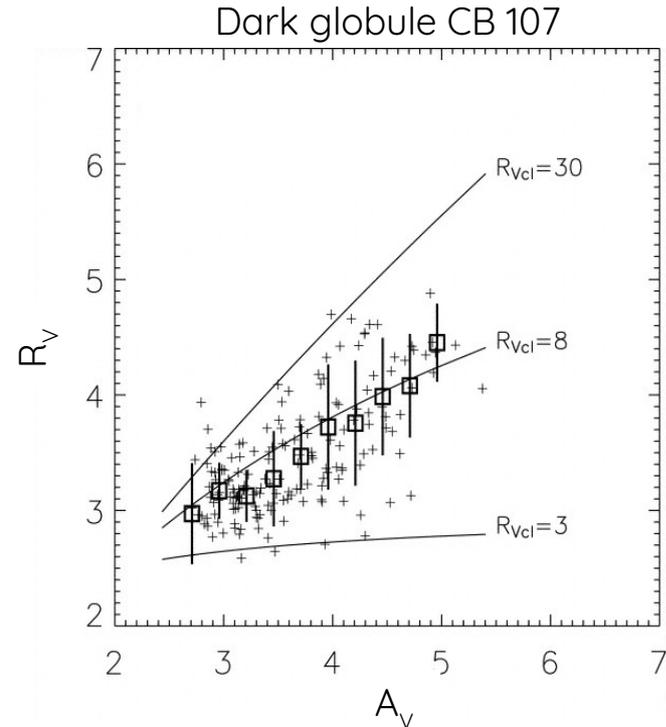
Whittet et al. (2001)



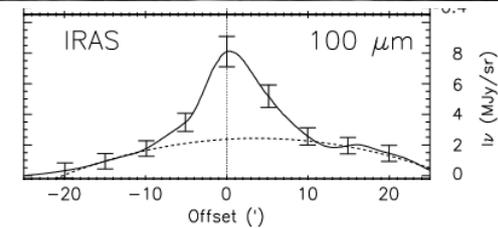
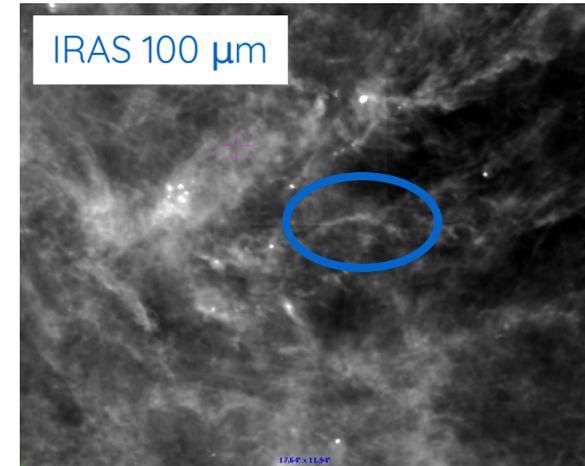
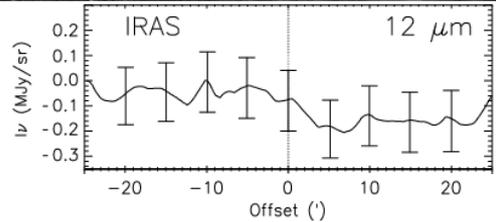
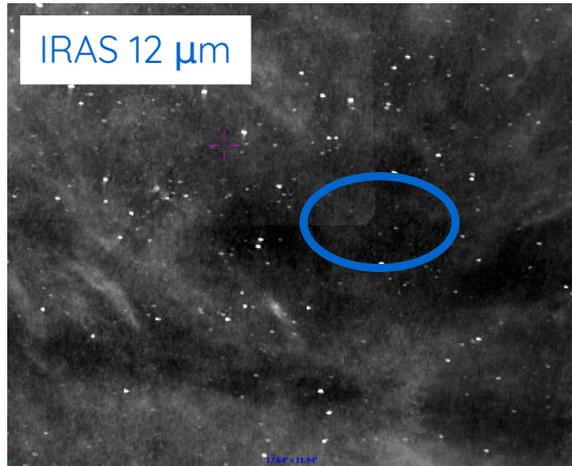
- Increase in R_V with A_V
- Increase when water ice features are detected

↳ Grain growth associated to ice accretion

Campeggio et al. (2007)



Variations in the mid- to far-IR SED Stepnik et al. (2003)



- No emission in from the mid-IR to $\sim 70 \mu\text{m}$
→ small grains disappear from the diffuse to the dense ISM
- ↳ Small grain accretion onto larger grains → grain growth

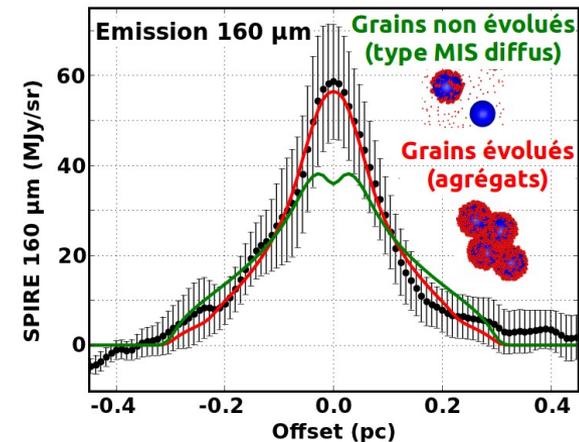
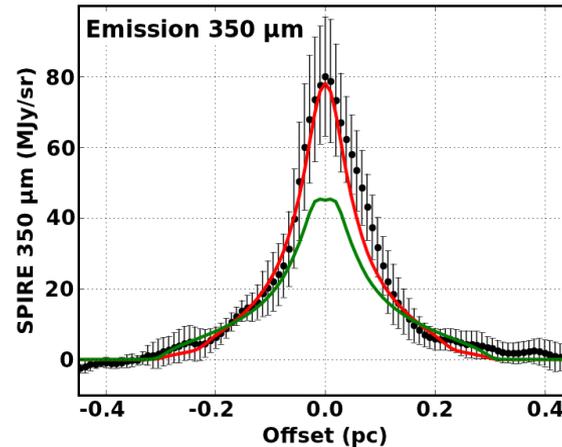
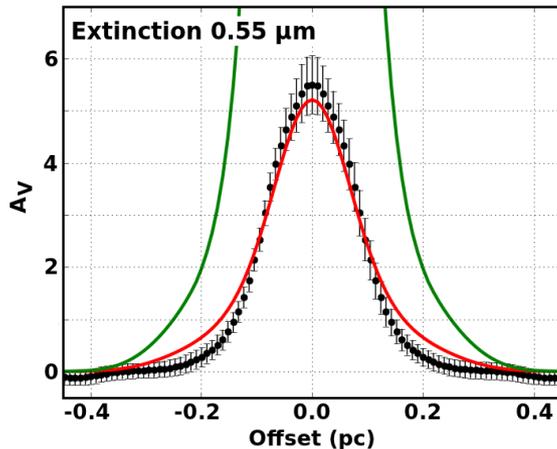
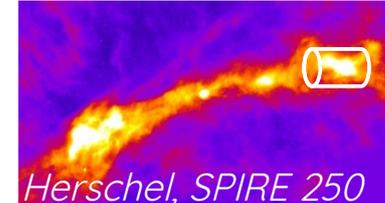
Visible extinction vs. far-IR SED Ysard et al. (2013)

- Aggregates for $1000 < n_{\text{H}} < 2000 \text{ H/cm}^3$
→ $A_V \sim 2$ to 4
- Same as increase in R_V , ice features, mid-IR silicate bands

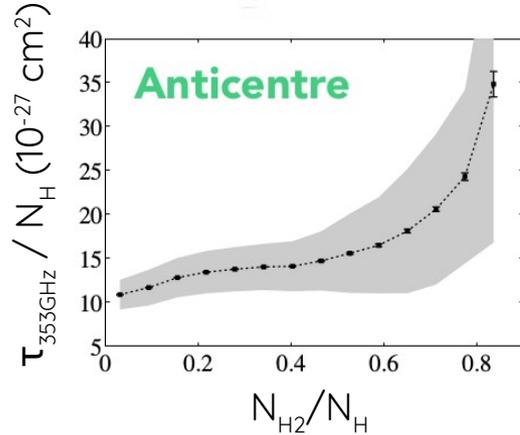
→ Grain growth

→ From isolated grains to aggregates

Ysard et al. (2013)



Variations in the far-IR SED Rémy et al. (2017, 2018)

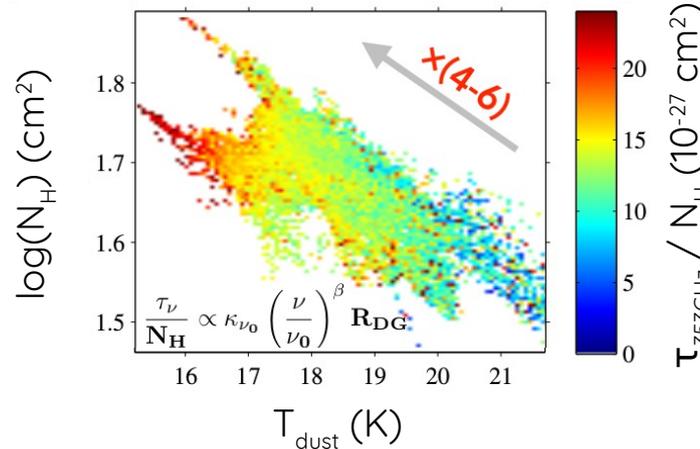
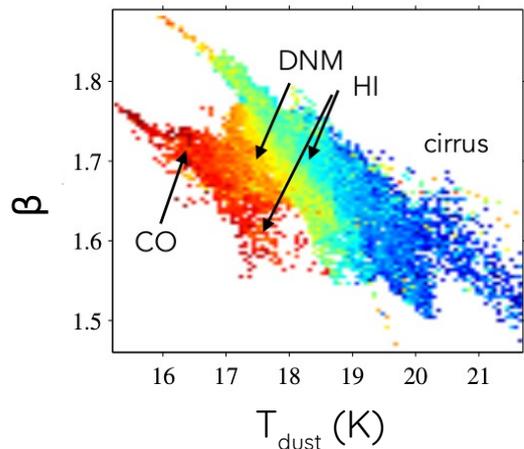


- Observations of 6 nearby anti-centre clouds
- Usual behaviour of dense clouds

→ T_{dust} ↘
 → $\tau_{\text{submm/FIR}}$ and β ↗

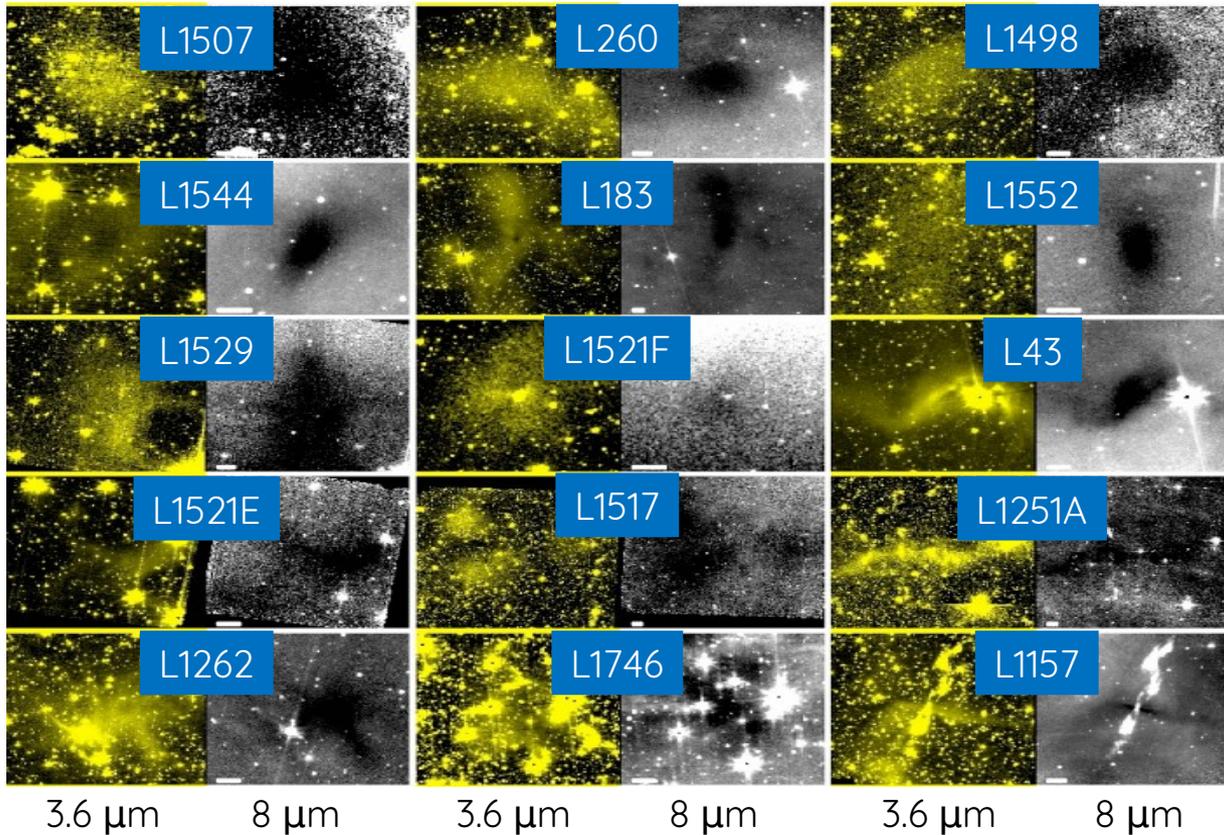
Grain growth

From isolated grains to aggregates
 Carbon accretion? DCD-TLS?



- Gradual evolution across phases
 significant in DNM
 stronger in CO

Variations in the dust scattering efficiency Cloud- & Core-shine

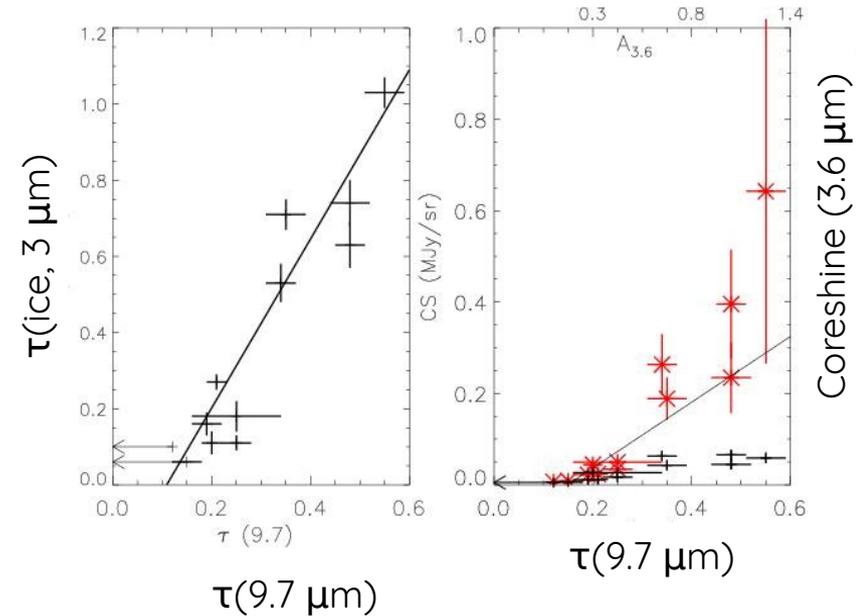
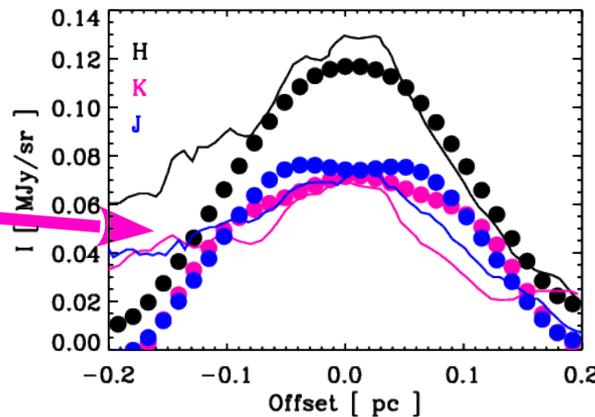
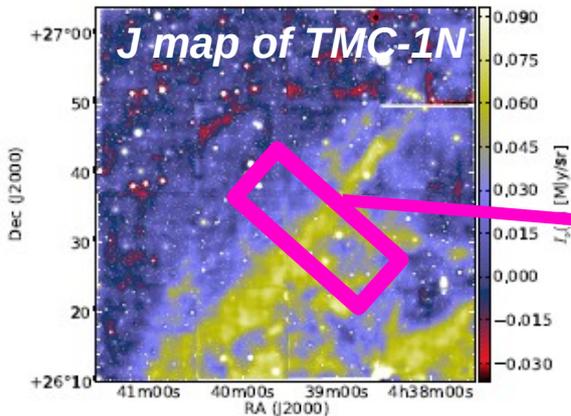


- In the visible: 30's
Struve & Elvey (1936)
- In the near-IR: 90's
Witt et al. (1994)
- In the mid-IR: 2010
Pagani et al. (2010)
- Albedo and asymmetry parameter
Mattila (1970ab, 2018)
- Scattering by bigger grains than in
the diffuse ISM
Steinacker et al. (2010)
Lefèvre et al. (2014)

Grain growth

Variations in the dust scattering efficiency Andersen et al. (2014) & Ysard et al. (2016)

- Andersen et al. (2014)
 - common density threshold for coreshine & ice feature at $3 \mu\text{m}$
- Ysard et al. (2016)
 - need for aggregates when $1000 < n_{\text{H}} < 2000 \text{ H/cm}^3$
 - $A_{\text{V}} \sim 2$ to 4



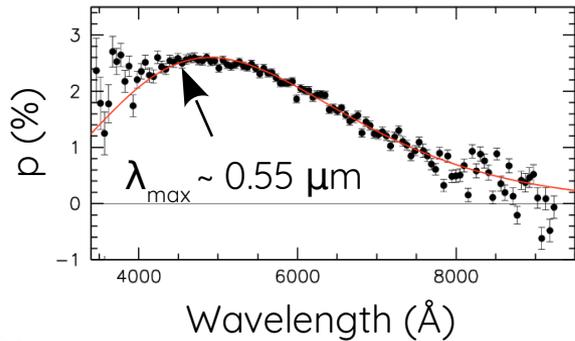
Grain growth
Aggregates?
Ice accretion ?
Carbon accretion ?

Variations in the visible starlight polarisation Vaillancourt et al. (2020)

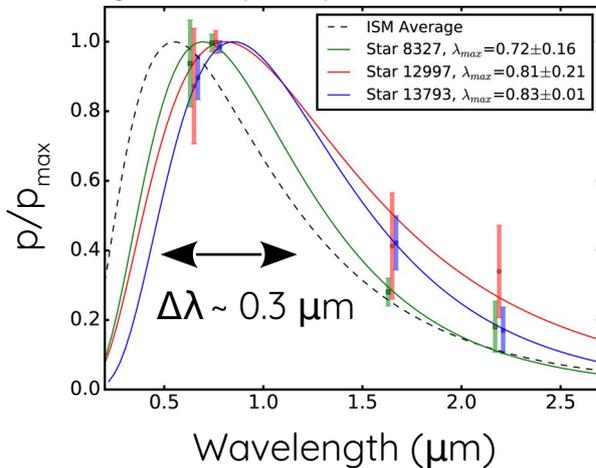
- Linear polarisation of starlight in the visible
→ λ_{\max} proportional to aligned $\langle \text{grain size} \rangle$
- Increase in λ_{\max} & decrease in $p_{\max}/E(B-V)$ in dense clouds
→ threshold around $A_V = 3-4$

↳ Grain growth

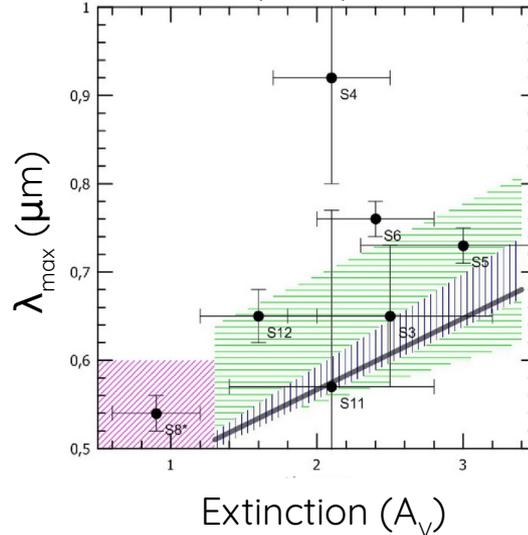
Patat et al. (2010): diffuse ISM



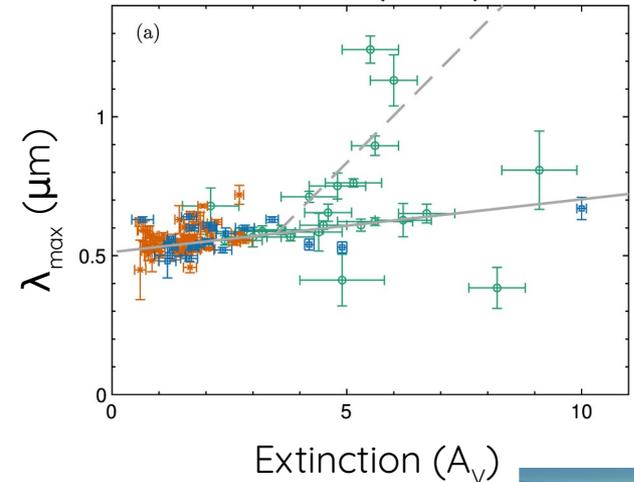
Wang et al. (2017): dark cloud IC5146



Il'in et al. (2018): Barnard 5



Vaillancourt et al. (2020): Taurus MC

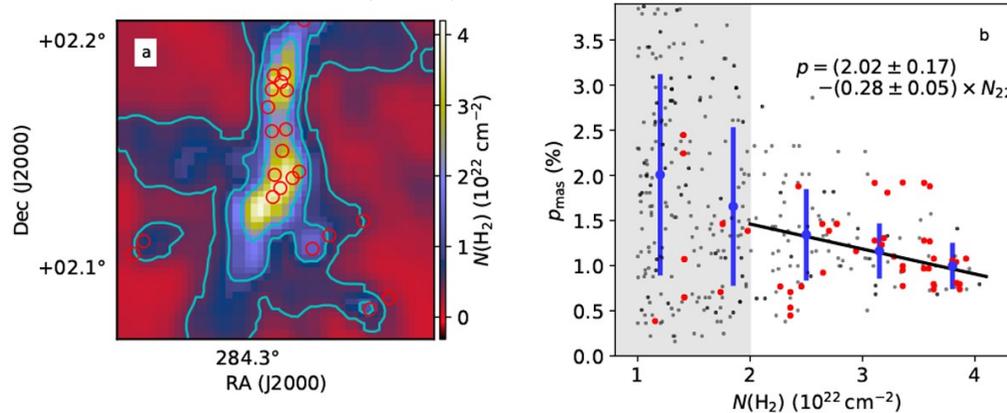


Variations in dust polarisation Fanciullo et al. (2017), Juvela et al. (2018)

- Lower polarisation fraction P/l than in diffuse ISM
→ sharp drop above $N_{\text{H}} \sim 2 \times 10^{22} \text{ H/cm}^2$
- Decrease in efficiency of grain alignment with the magnetic field
- Fanciullo et al. (2017): P/p to constrain grain properties
→ increase in size not enough => structure, composition

Grain growth to 0.8 – 1 μm
Aggregates?
Ice accretion ?

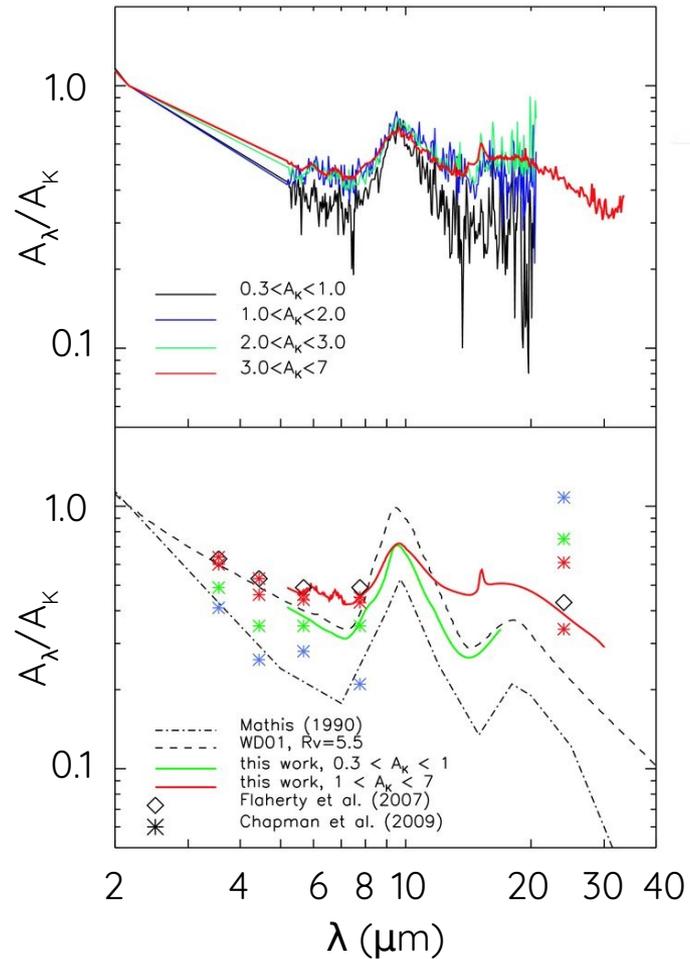
Juvela et al. (2018): massive IRDC G035.39-00.33



GRAIN SIZE DETERMINATION

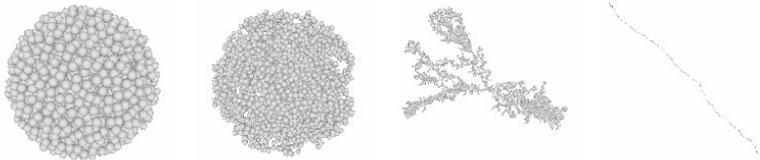
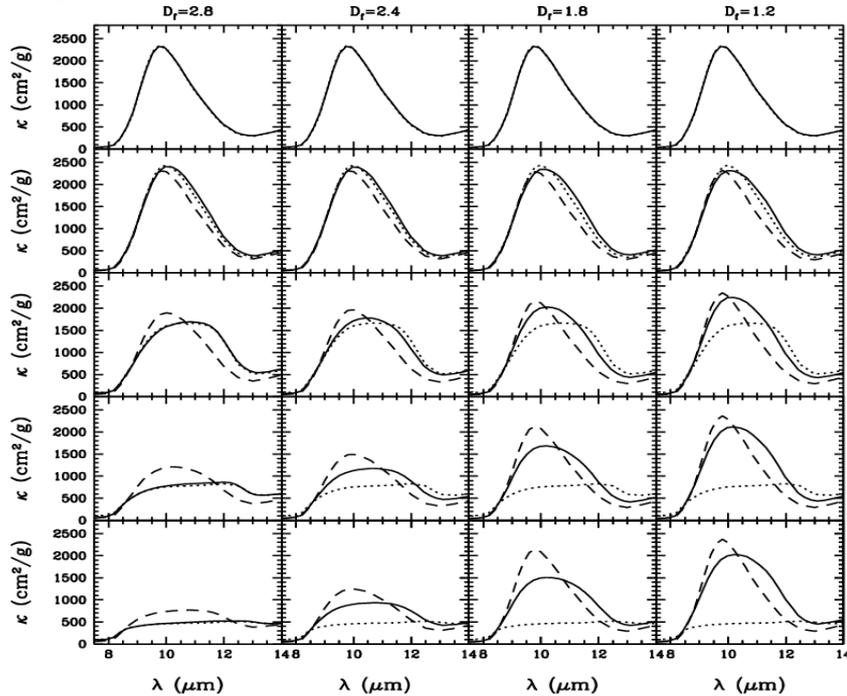
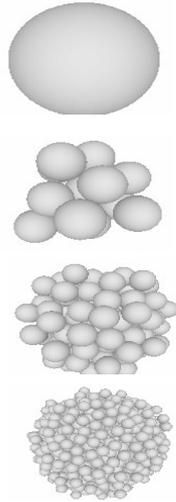
Effects of grain structure

Example: silicate mid-IR features McClure (2009) → observations



- Broader features than in the diffuse ISM
 - Lower contrast with continuum
- ⇒ significant grain growth ?

Example: silicate mid-IR features Min et al. (2016) → fractal dimension

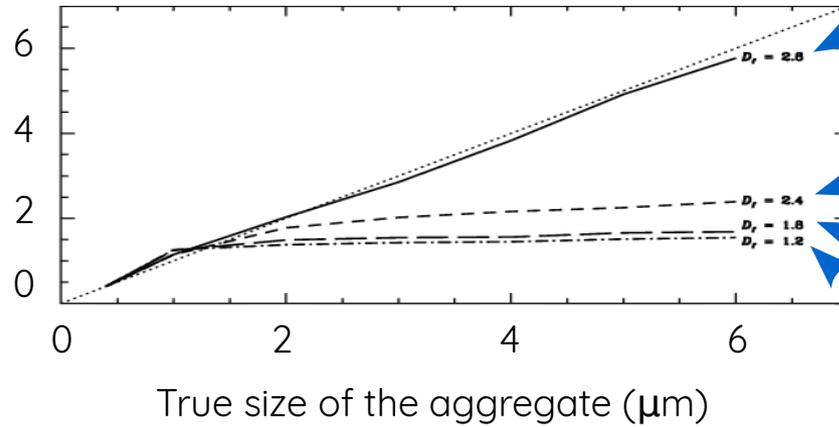


- aggregate
- - volume equivalent compact sphere
- equivalent porous sphere
- · - · sphere

amorphous "olivine"
monomer radius $a_0 = 0.4 \mu\text{m}$

Example: silicate mid-IR features Min et al. (2016) → fractal dimension

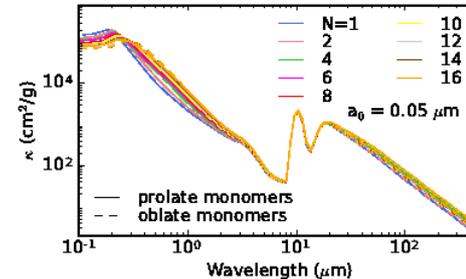
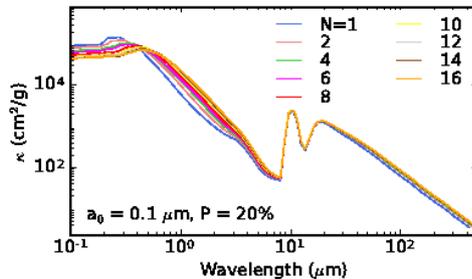
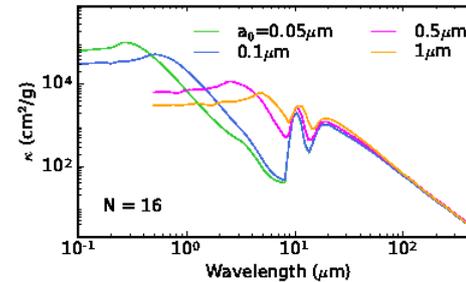
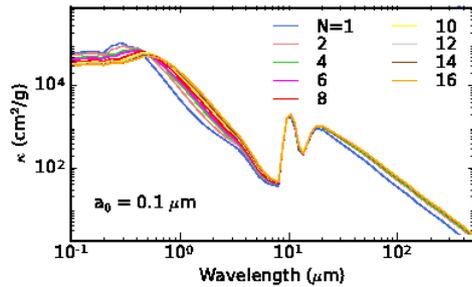
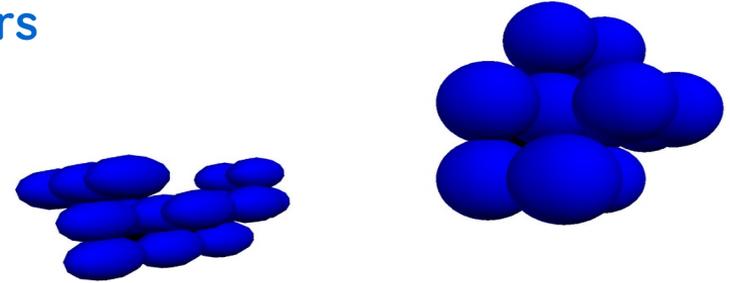
Size when fitting aggregate features
with compact spheres (μm)



→ sizes UNDERestimated when using compact spheres
sizes OVERestimated when using porous spheres

Exemple: silicate mid-IR features Ysard et al. (2018) → monomers

- Amorphous olivine
- Aggregates with $D_f = 2.5$
- Three monomer shapes: spheres, oblates, prolates
- Four monomer sizes: $a_0 = 0.05, 0.1, 0.5, \text{ and } 1 \mu\text{m}$
- Porous monomers: 20% of vacuum



Exemple: silicate mid-IR features Ysard et al. (2018) → monomers

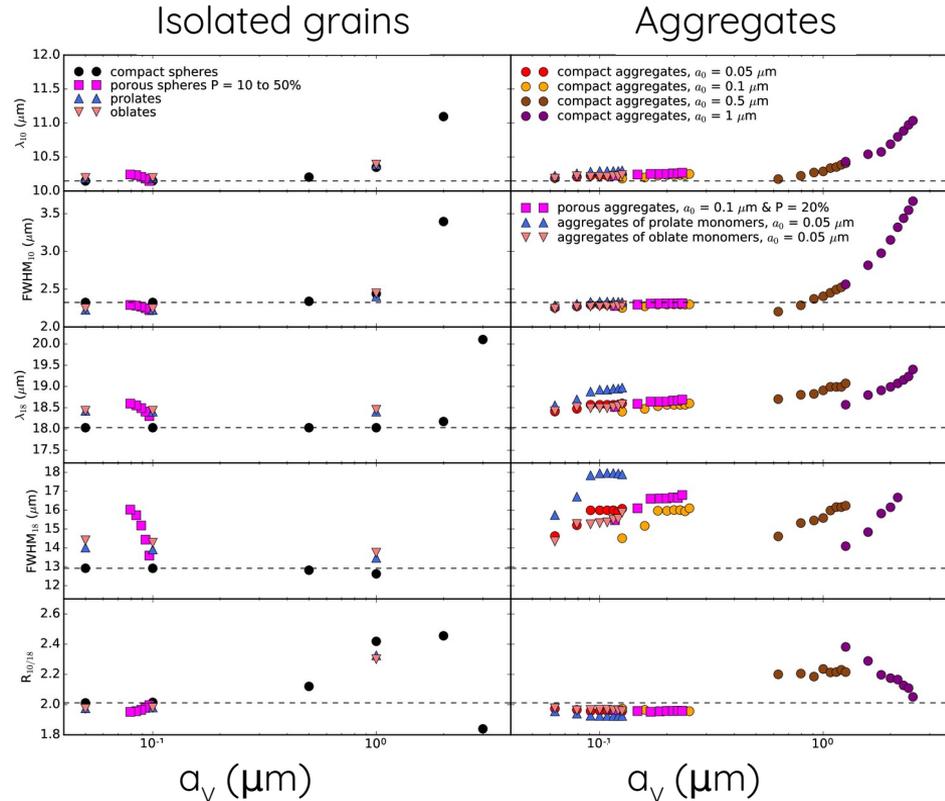
10 μm feature
peak position

10 μm feature
width

18 μm feature
peak position

18 μm feature
width

K_{10}/K_{18}



→ Very difficult to determine grain shapes and sizes from the mid-IR features only

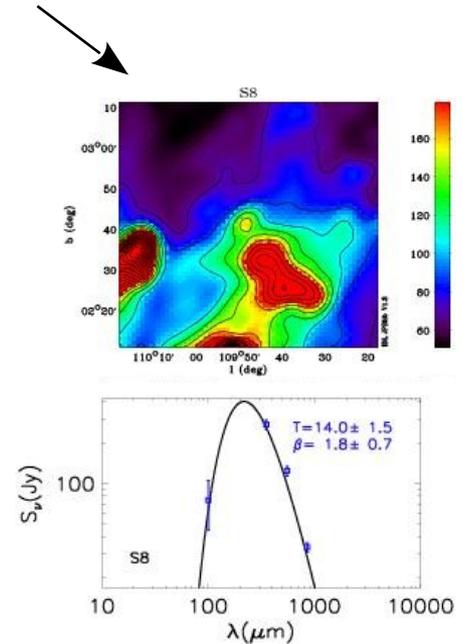
CLOUD MASS DETERMINATION

Effects of size distribution & grain composition

→ following figures based on Ysard et al. (2018, 2019)

Many mass estimates based on MBB fits

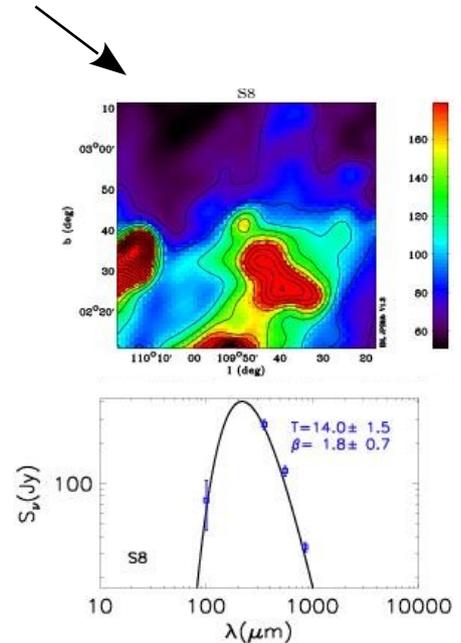
- Mass estimates based on modified blackbody fits for dense ISM regions
 - ↳ molecular clouds & prestellar cores (e.g. Planck Collaboration 2011 XXII)
 - ↳ young stellar objects & protoplanetary discs (e.g. Busquet et al. 2019)
- Assume a dust opacity at a given wavelength
 - ↳ pb. 1: depends on grain size distribution
 - ↳ pb. 2: depends on grain composition
 - ↳ pb. 3: depends on grain structure
 - ↳ pb. 4: depends on temperature distribution



Why is it important to determine $n(a)$? And not only a_{\max}

- Mass estimates based on modified blackbody fits for dense ISM regions
 - ↳ molecular clouds & prestellar cores (e.g. Planck Collaboration 2011 XXII)
 - ↳ young stellar objects & protoplanetary discs (e.g. Busquet et al. 2019)
- Assume a dust opacity at a given wavelength
 - ↳ **pb. 1: depends on grain size distribution**
 - ↳ pb. 2: depends on grain composition
 - ↳ pb. 3: depends on grain structure
 - ↳ pb. 4: depends on temperature distribution
- Classical choice for pb. 1: power-law size distribution
 - ↳ Weidenschilling (1997)
 - ↳ Natta & Testi (2004)
 - ↳ Draine (2006)
 - ↳ ...

What do the latest laboratory experiments tell us?



Coagulation model based on laboratory results

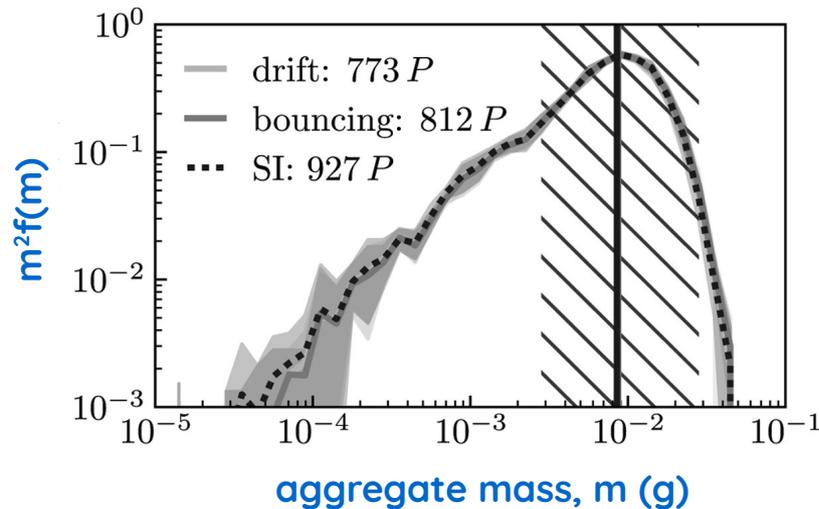
- Modelling question
 - ↳ shape of the size/mass distribution?
 - ↳ a_{\min} ? a_{\max} ?

 - Laboratory inputs
 - ↳ Güttler et al. (2010)
 - ↳ Windmark et al. (2012)
 - ↳ Güttler et al. (2010)
 - ↳ Blum & Wurm (2008)
 - ↳ Gundlach et al. (2011)
 - ↳ Gundlach & Blum (2015)
 - ↳ Güttler et al. (2009)
 - ↳ Weidling et al. (2009)
 - ↳ Landeck (2016)

 - Model of Lorek et al. (2018)
 - ↳ monomer size (0.1 or 1 μm)
 - ↳ radial position in the disk
 - ↳ turbulence
 - ↳ gas surface density...
-
- Solution based on lab: Lorek et al. (2018)
 - ↳ local growth of grains in discs
 - ↳ mass distribution
-
- outcomes of grain-grain collisions (Δv , $a_{\text{projectile}}$, a_{target}):
 - sticking, bouncing, fragmentation, erosion, mass transfer
 - sticking properties of water ice and silicate monomers
 - bouncing of aggregates rather than just compact grains
-
- pebble sizes in agreement with pebbles on comet 67P/Churyumov-Gerasimenko (Poulet et al. 2016)

Coagulation model based on laboratory results

- Modelling question
 - ↳ shape of the size/mass distribution?
 - ↳ a_{\min} ? a_{\max} ?
- Solution based on lab: Lorek et al. (2018)
 - ↳ local growth of grains in discs
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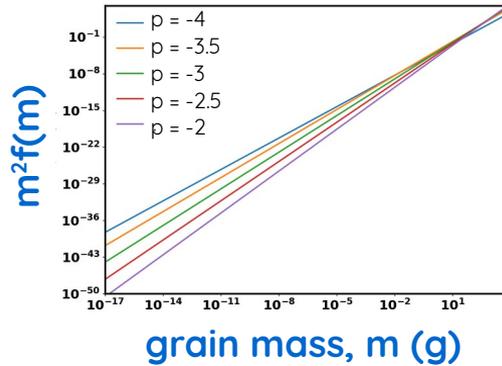


0.1 μm monomers
 dust-to-ice ratio = 5
 $R_{\text{disc}} = 30 \text{ AU}$

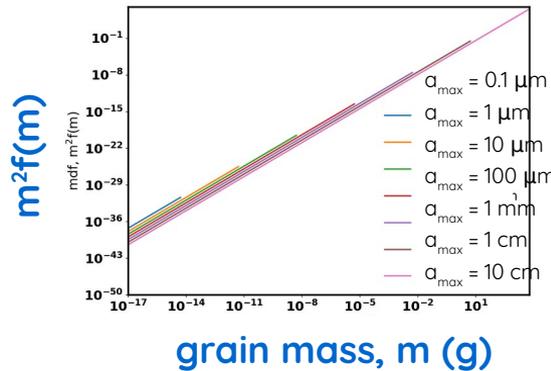
➔ strong departure from a classical power-law size/mass distribution

Influence on the dust opacity in the millimetre

Power-law size distribution

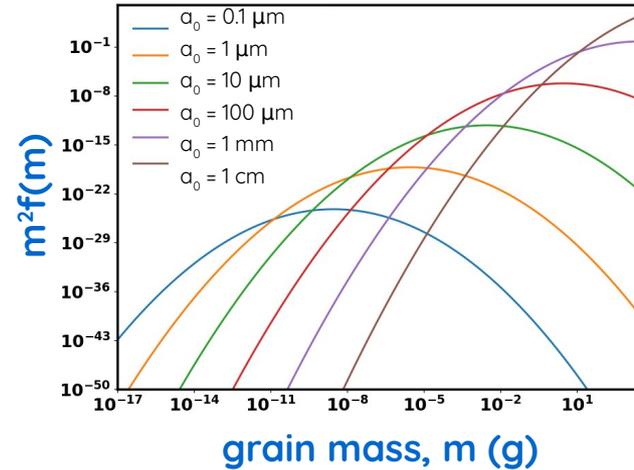


$$\frac{dm}{da} \propto a^p$$



$$\frac{dm}{da} \propto a^{-3.5}$$

Log-normal size distribution



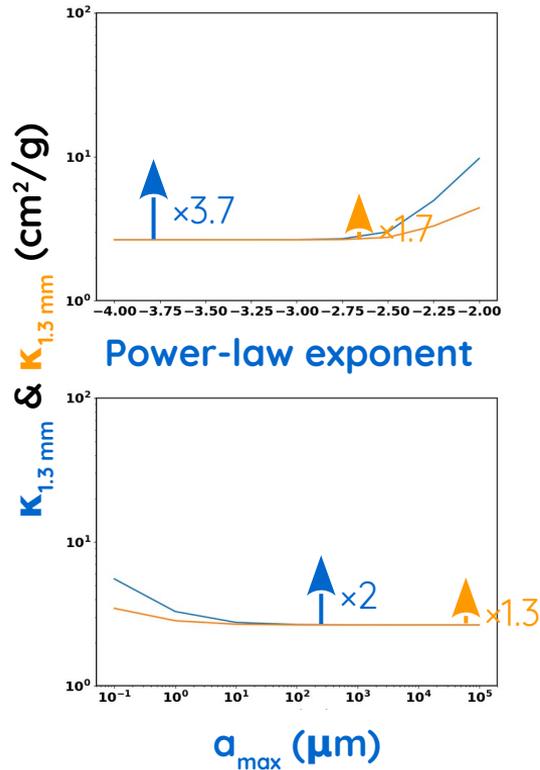
$$\frac{dm}{da} \propto \exp \left\{ -\frac{1}{2} \left[\frac{\ln(a/a_0)}{\sigma} \right]^2 \right\}$$

In both cases: $a_{\min} = 0.01 \mu\text{m}$, $a_{\max} = 10 \text{ cm}$, $M_{\text{gas}}/M_{\text{dust}} = 100$

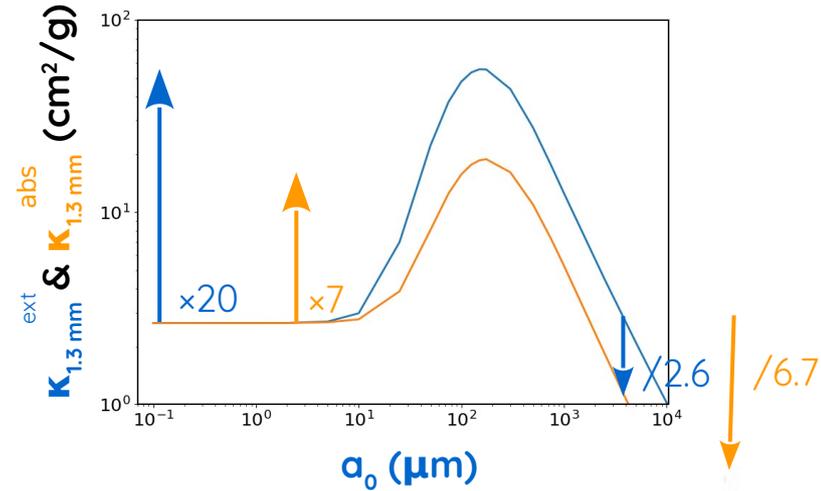
2/3 silicate + 1/3 amorphous carbon + 50% porosity \rightarrow spherical grains

Influence on the dust opacity in the millimetre

Power-law size distribution



Log-normal size distribution



$$\kappa^{\text{ext}} [\text{cm}^2/\text{g}] = \frac{3}{4\rho} \frac{Q_{\text{abs}} + Q_{\text{sca}}}{a}$$

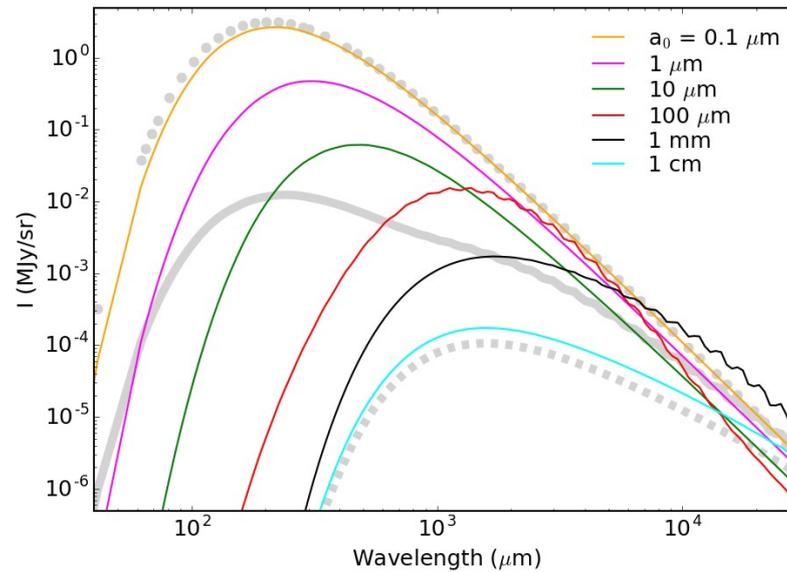
$$\kappa^{\text{abs}} [\text{cm}^2/\text{g}] = \frac{3}{4\rho} \frac{Q_{\text{abs}}}{a}$$

In both cases: $a_{\text{min}} = 0.01 \mu\text{m}$, $a_{\text{max}} = 10 \text{ cm}$, $M_{\text{gas}}/M_{\text{dust}} = 100$

2/3 silicate + 1/3 amorphous carbon + 50% porosity \rightarrow spherical grains

Influence on the dust SED

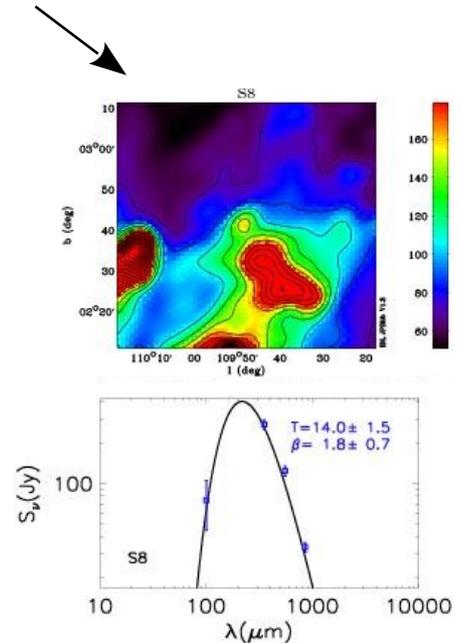
Power-law size distribution: $p = -3.5$ with $a_{\max} = 1 \mu\text{m}$ ●●●●●●●●●●
 $p = -3.5$ with $a_{\max} = 10 \text{ cm}$ —————
 $p = -2$ with $a_{\max} = 10 \text{ cm}$ - - - - -



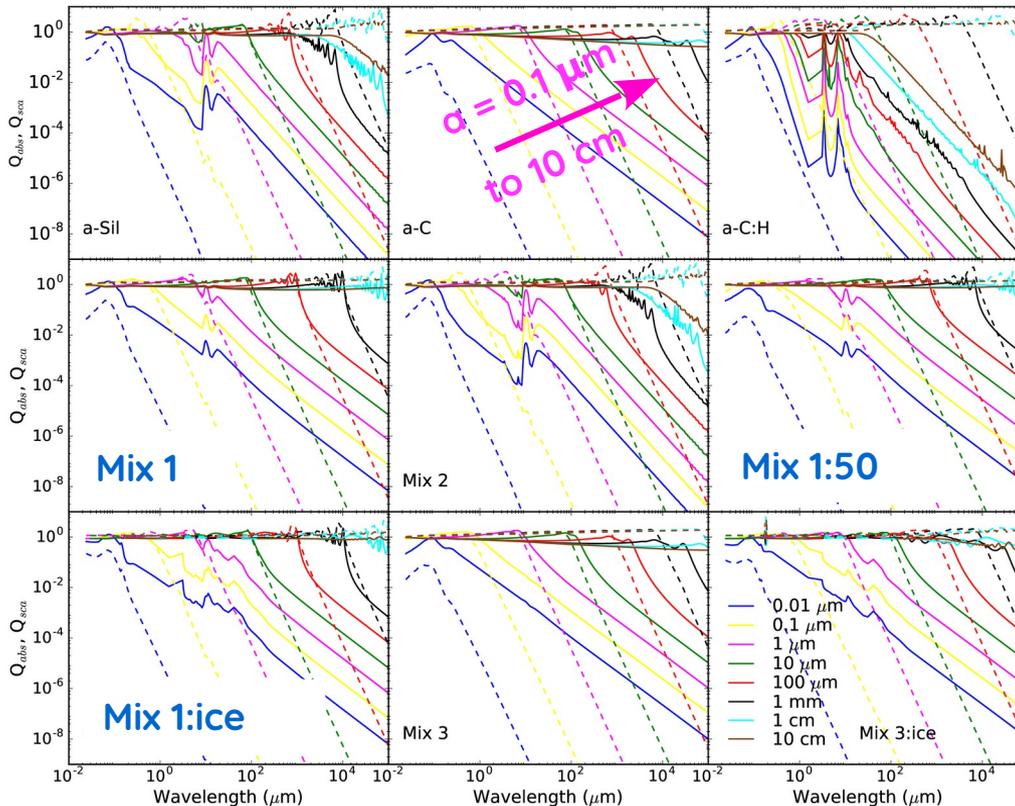
Log-normal size distribution: $a_{\min} = 0.01 \mu\text{m}$, $a_{\max} = 10 \text{ cm}$ and variable a_0

Why is it important to determine the grain composition ? And not only their size

- Mass estimates based on modified blackbody fits for dense ISM regions
 - ↳ molecular clouds & prestellar cores (e.g. Planck Collaboration 2011 XXII)
 - ↳ young stellar objects & protoplanetary discs (e.g. Busquet et al. 2019)
- Assume a dust opacity at a given wavelength
 - ↳ pb. 1: depends on grain size distribution
 - ↳ **pb. 2: depends on grain composition**
 - ↳ pb. 3: depends on grain structure
 - ↳ pb. 4: depends on temperature distribution
- Classical choice for pb. 2: fixed κ value with fixed β
 - ↳ any dust model from the literature



Absorption and scattering efficiencies

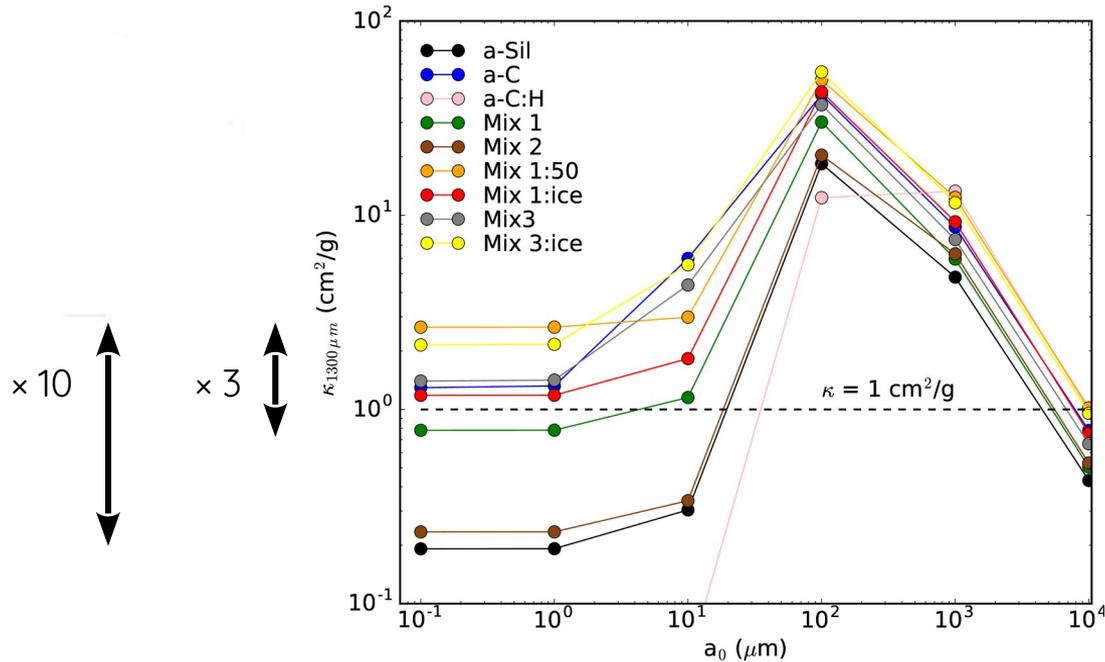


Mix 1 ~ compact AMM
 Mix 1:50 ~ AMM
 Mix 1:ice ~ compact AMMI

Mix 3 & Mix 3:ice ~ Pollack (1994)

α -Sil \rightarrow THEMIS amorphous silicates
 α -C \rightarrow THEMIS $E_g = 0.1$ eV
 α -C:H \rightarrow THEMIS $E_g = 2.5$ eV
 Mix 1 \rightarrow 2/3 α Sil + 1/3 α -C
 Mix 2 \rightarrow 2/3 α Sil + 1/3 α -C:H
 Mix 1:50 \rightarrow porous Mix 1 ~ AMM
 Mix 1:ice \rightarrow Mix 1 with an ice mantle
 Mix 3 \rightarrow 20% α -Sil + 80% α -C
 Mix 3:ice \rightarrow Mix 3 with an ice mantle

Mass absorption coefficients at 1.3 mm

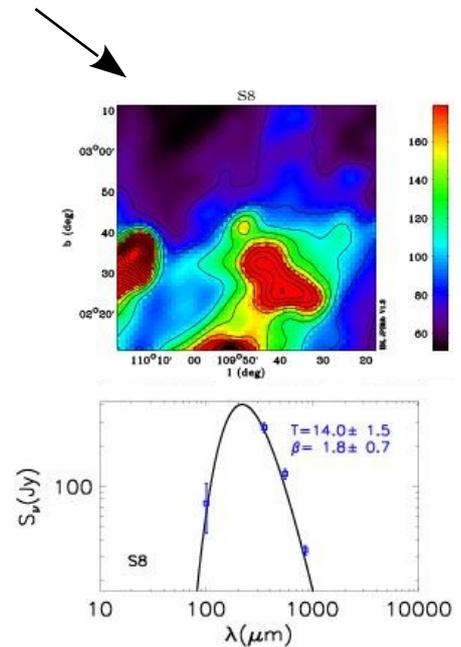


$$\frac{M_{\text{gas}}}{M_{\text{dust}}} = 100$$

$$\frac{dn}{da} \propto \exp \left\{ -\frac{1}{2} \left[\frac{\ln(a/a_0)}{\sigma} \right]^2 \right\}$$

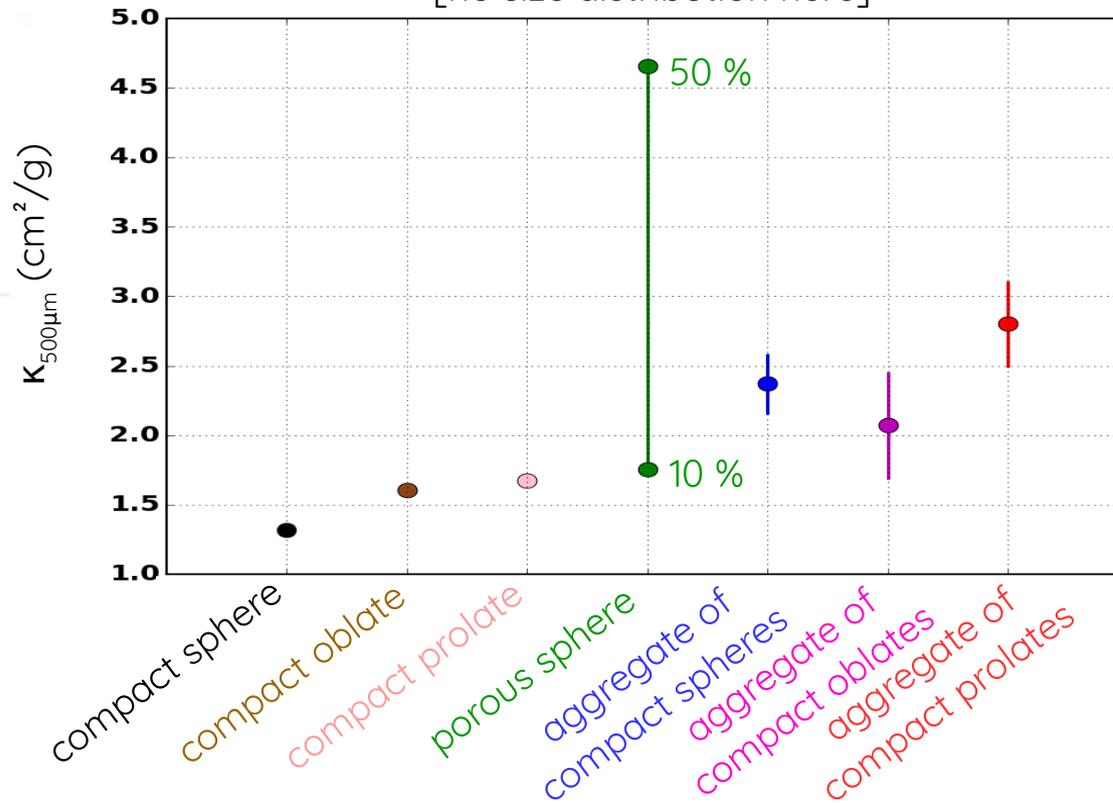
Why is it important to determine the grain composition ? And not only their size and composition

- Mass estimates based on modified blackbody fits for dense ISM regions
 - ↳ molecular clouds & prestellar cores (e.g. Planck Collaboration 2011 XXII)
 - ↳ young stellar objects & protoplanetary discs (e.g. Busquet et al. 2019)
- Assume a dust opacity at a given wavelength
 - ↳ pb. 1: depends on grain size distribution
 - ↳ pb. 2: depends on grain composition
 - ↳ **pb. 3: depends on grain structure**
 - ↳ pb. 4: depends on temperature distribution
- Classical choice for pb. 3
 - ↳ ignore the problem



Mass absorption coefficients at 500 μm

100% silicate, mass equivalent size of 0.1 μm
[no size distribution here]



- Dust evolution gradual across all phases
 - BUT biggest changes occur for $A_V \sim 3$ or $n_H \sim$ a few 1000 H/cm^3
- When ice features start being detected
 - increase in R_V
 - flattening of the mid-IR extinction
 - disappearance of the smallest grains
 - increase in scattering efficiency
 - increase in λ_{max}
 - decrease in P/I
 - increase in depletion
- When modelling dust evolution, many parameters of equal importance
 - composition
 - material “mixture”
 - size distribution
 - grain shape
- No model can reproduce all the variations at once