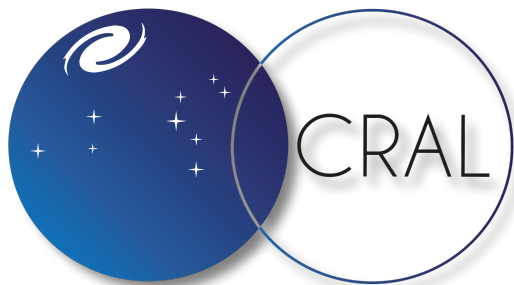
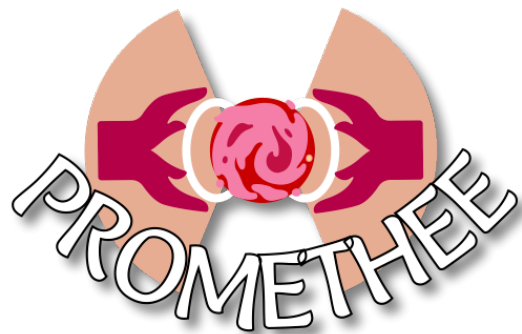


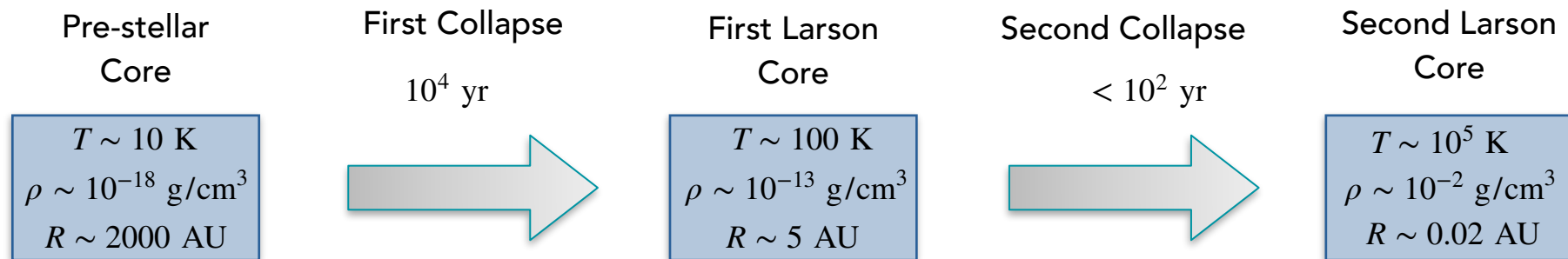
Dust Grains Evolution by chemisputtering during protostar formation

Antonin Borderies, Benoît Commerçon, and Bernard Bourdon

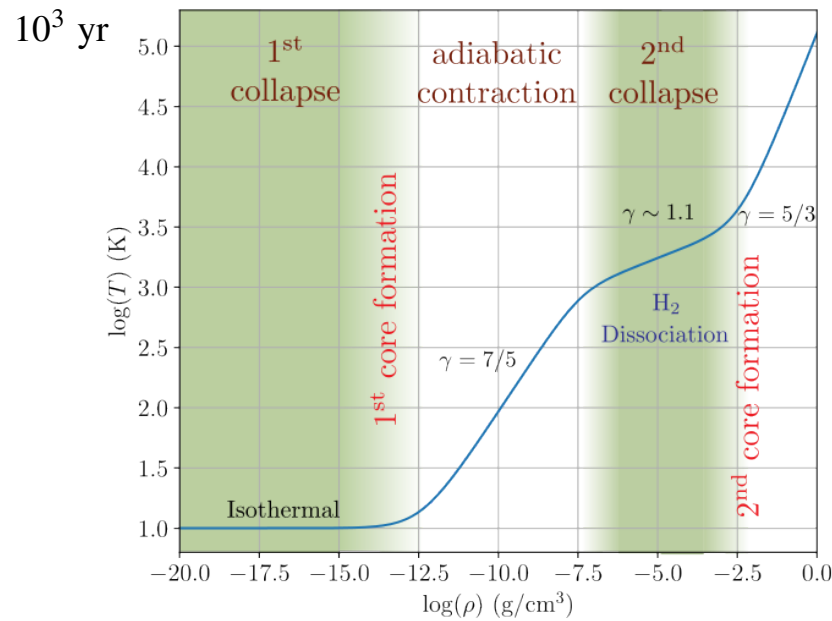
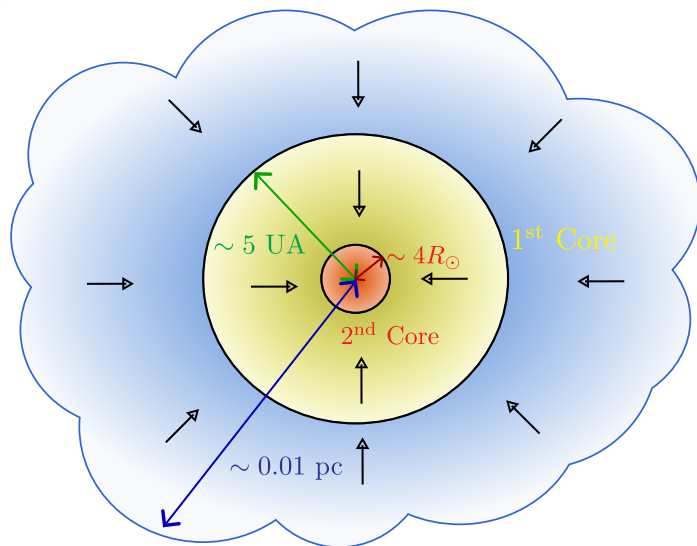


CENTRE DE RECHERCHE ASTROPHYSIQUE DE LYON





Larson (1969)



Dust grain sizes : **MRN Distribution** (Mathis, Rumpl & Nordsieck 1977)

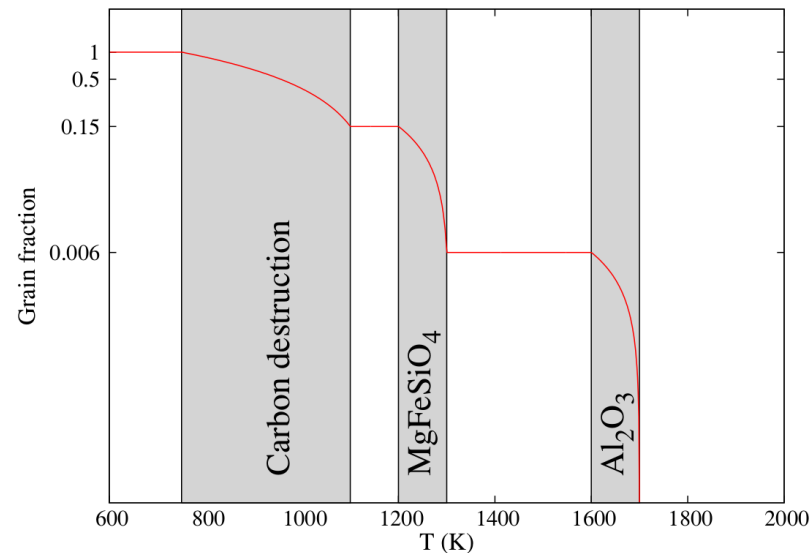
$$dn = Ca^{-3.5} da$$
$$a_{\min} = 5 \times 10^{-7} \text{ cm}$$
$$a_{\max} = 2.5 \times 10^{-5} \text{ cm}$$

Grain evolution is tabulated :

-> So are its effects !

(Opacities, magnetic resistivities)

Dust has been assumed to
be in equilibrium with the
environment



Marchand et al. (2016)

Lenzuni et al. (1995) : In dense and warm region, interaction with the gas phase can limit this approach.

Evolutionary model: The dust grain

Goal: Given a time evolution in temperature and density, how the chemical interactions with the gas phase will make evolve a dust grain?

- Pure grains composed of N identical monomers (atoms or molecules)
- Spherical grains

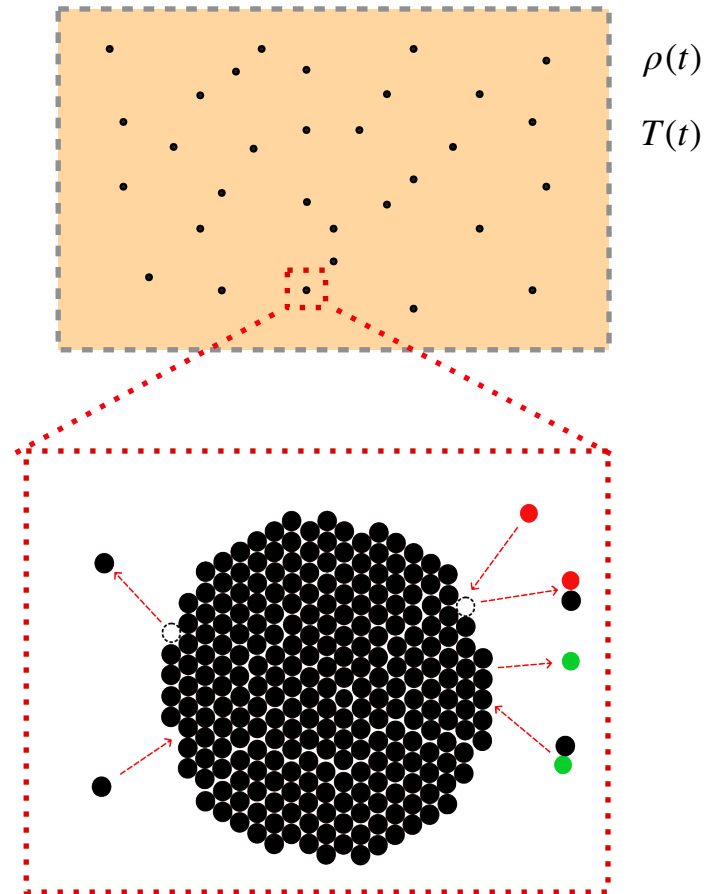
$$a \sim N^{1/3} \quad A \sim N^{2/3}$$

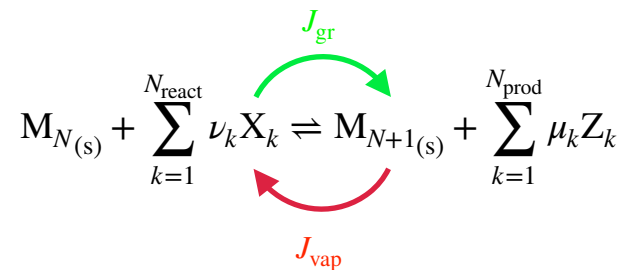
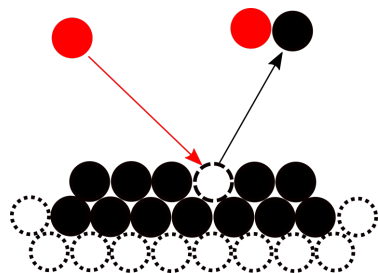
- Grain evolution equation

$$\frac{da}{dt} = V_m (J_{\text{abs}} - J_{\text{des}} + J_{\text{chem}})$$

$$J_{\text{abs}} = \frac{1}{4} \alpha v_{\text{rel}} \frac{P_m}{k_B T}$$

$$J_{\text{des}} = \frac{1}{4} \alpha v_{\text{rel}} \frac{P_{\text{m,sat}}(T_g)}{k_B T}$$





For a given reaction: $J_{\text{chem}} = (J_{\text{gr}} - J_{\text{vap}})$

$$J_{\text{gr}} = \frac{1}{4} \alpha v_{\text{rel}} \frac{n_{\text{react, key}}}{\nu_{\text{key}}}$$

Detailed Balance Principle approach:

$$J_{\text{vap}} = J_{\text{gr, eq}} = \frac{1}{4} \alpha_j v_{\text{rel, } i} \frac{n_{\text{react, key, eq}}}{\nu_{\text{key}}}$$

With $n_{\text{key, eq}}$ computed with law of mass action.

Kinetic approach:

$$J_{\text{vap}} = \frac{1}{4} Y v_{\text{rel}} \frac{n_{\text{prod, key}}}{\mu_{\text{key}}}$$

More accurate, but need data...

➔ Three types of grains:

- graphite (carbon), monomer = C,

$$M_d/M_g = 2.35 \times 10^{-3}$$

chemical sputtering by H_2O , H_2 , and H .

$$J_H = -\frac{1}{4}v_{\text{rel}}n_H Y_H$$

Lenzuni et al. (1995)

$$J_{H_2O} = -\frac{1}{4}v_{\text{rel}}n_{H_2O} Y_{H_2O}$$

Lenzuni et al. (1995)

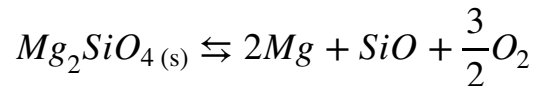
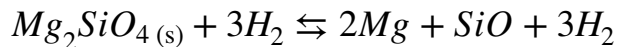
$$J_{H_2} = -\frac{1}{4}v_{\text{rel}}n_{H_2} Y_{H_2}$$

Krakowski (1970)

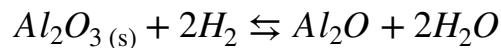
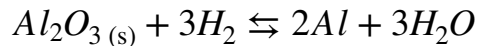
➔ **Three types of grains:**

- graphite (carbon), monomer = C, $M_d/M_g = 2.35 \times 10^{-3}$
chemical sputtering by H_2O , H_2 , and H .

- silicates, monomer = Mg_2SiO_4 , $M_d/M_g = 2.19 \times 10^{-3}$



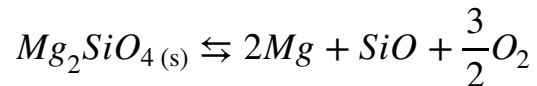
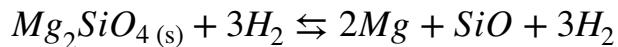
- aluminium oxides, monomer = Al_2O_3 , $M_d/M_g = 1.05 \times 10^{-4}$



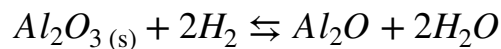
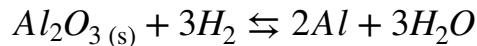
➔ **Three types of grains:**

- graphite (carbon), monomer = C, $M_d/M_g = 2.35 \times 10^{-3}$
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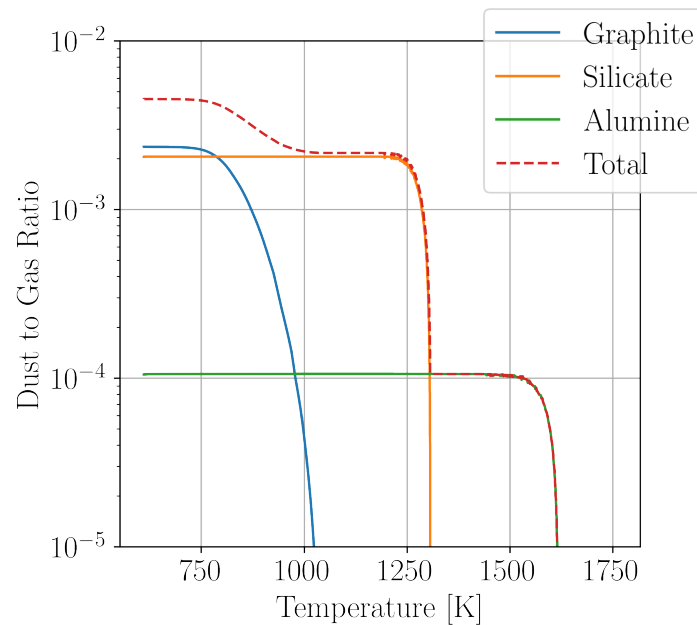
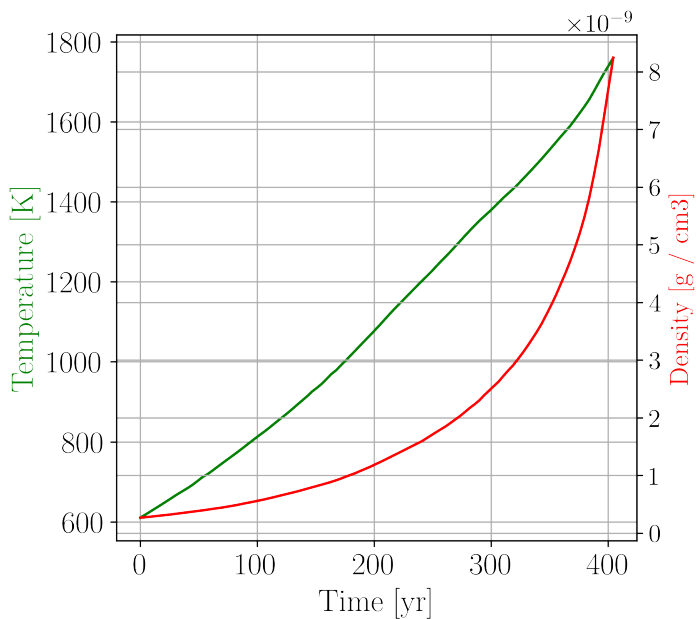


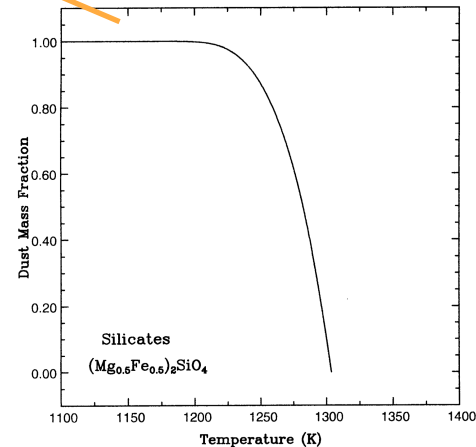
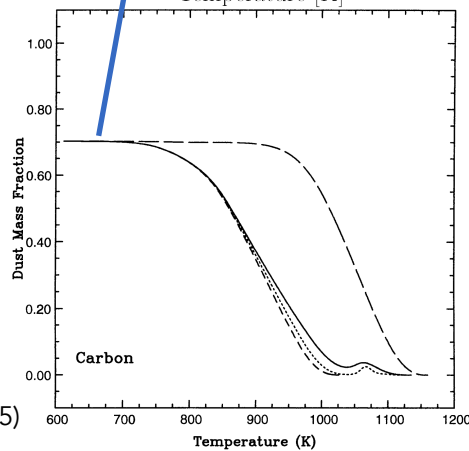
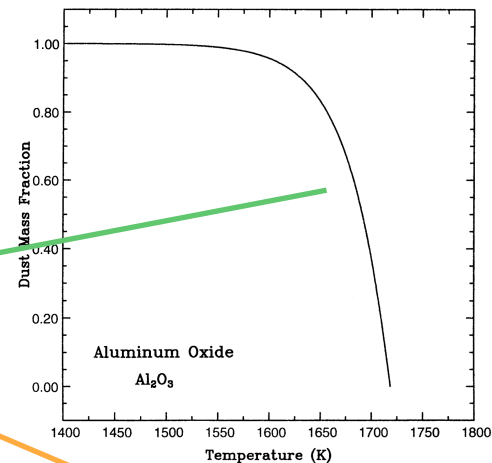
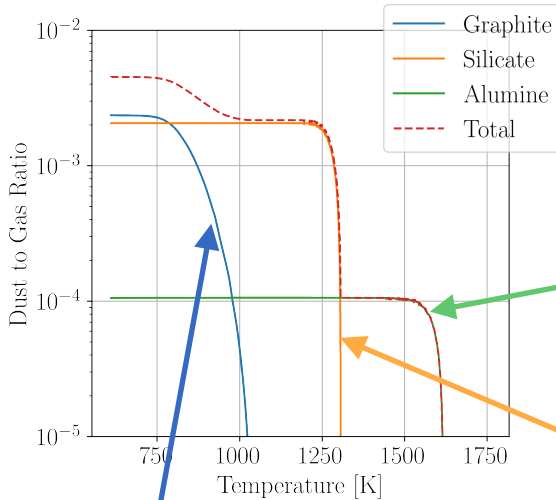
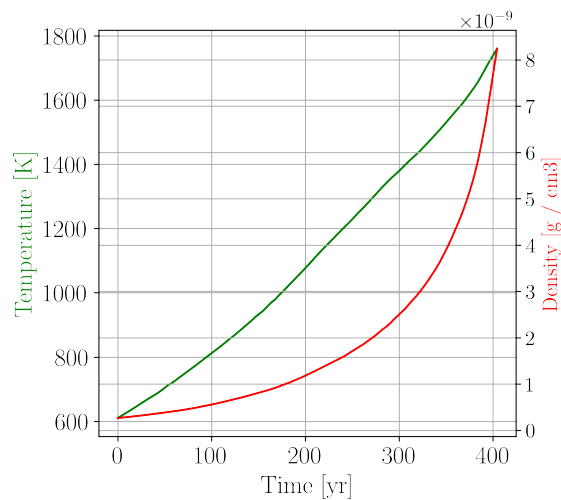
- aluminium oxides, monomer = Al_2O_3 , $M_d/M_g = 1.05 \times 10^{-4}$



➔ **MRN distribution** at the beginning: $a_{\min} = 0.005 \mu m$, $a_{\max} = 0.25 \mu m$.

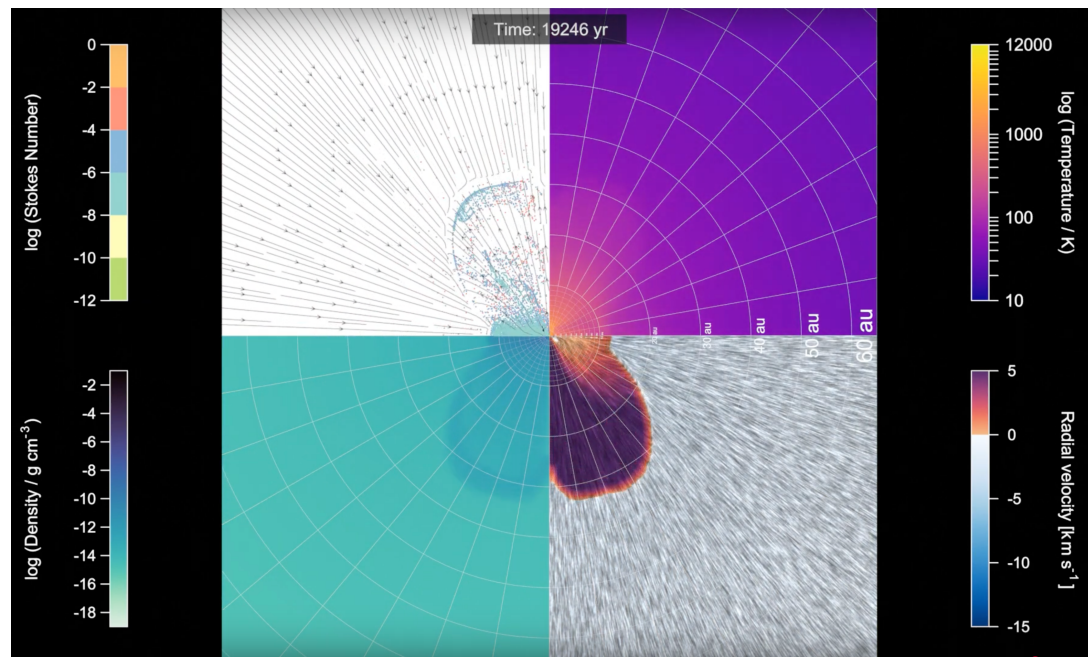
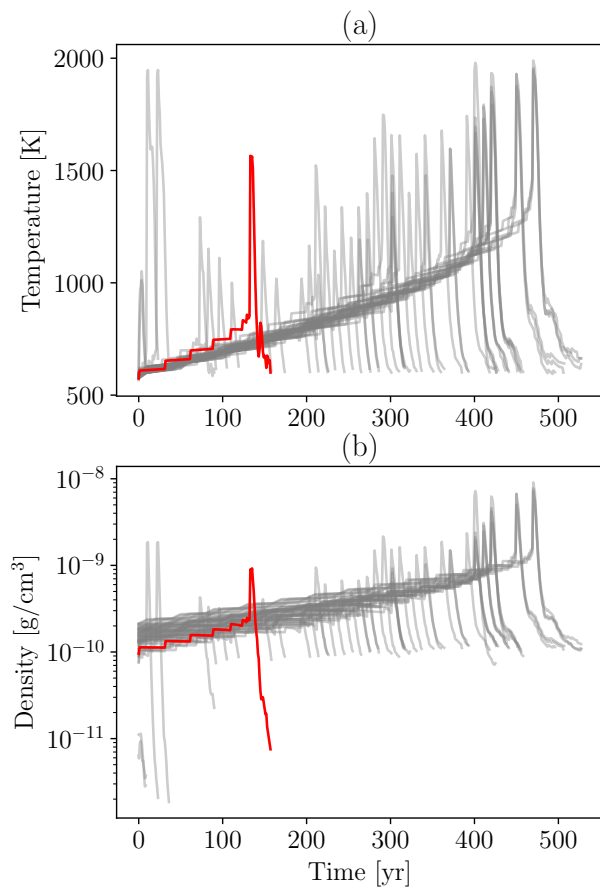
➔ **Solar composition** for the elemental abundances in the gas-dust mixture.

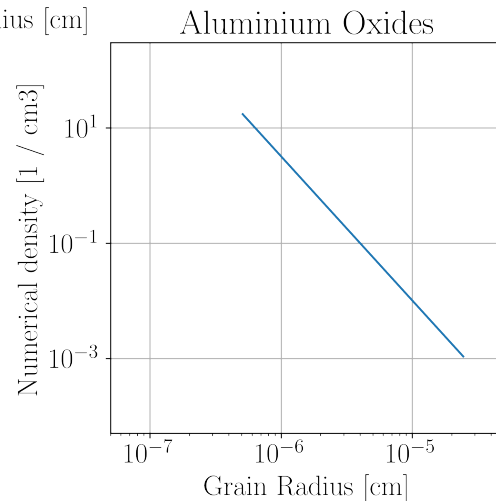
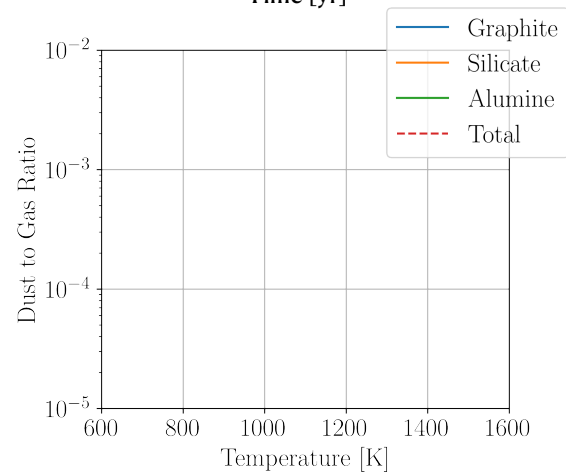
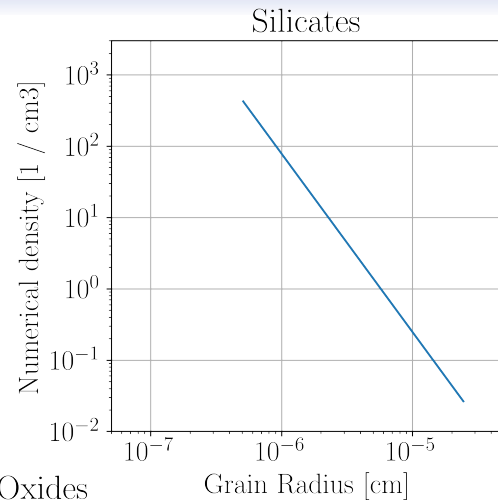
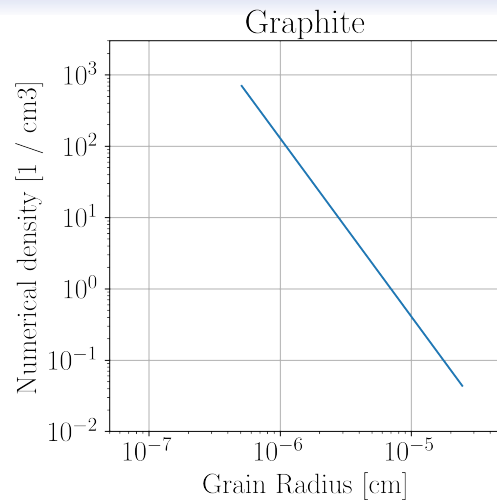
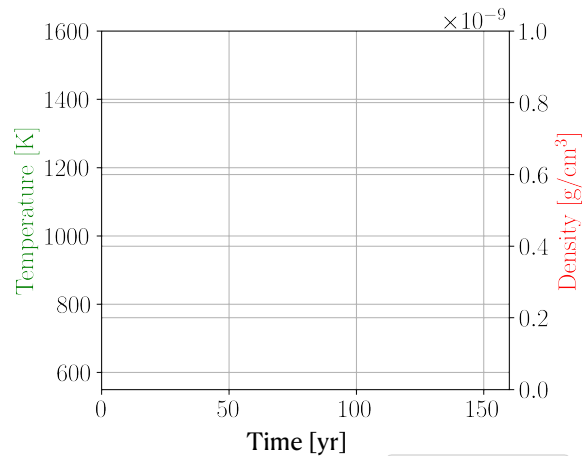


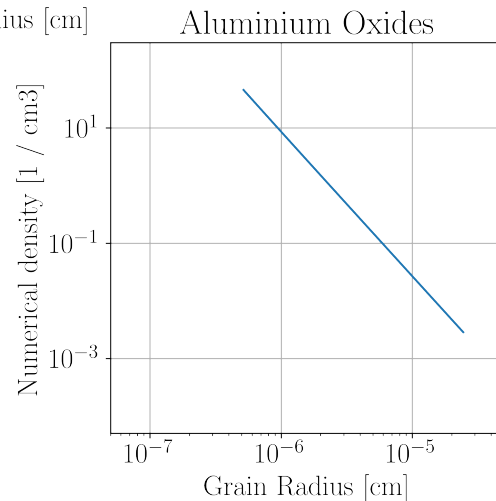
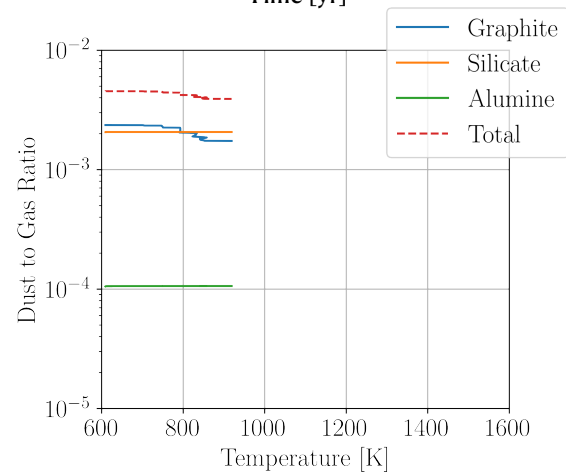
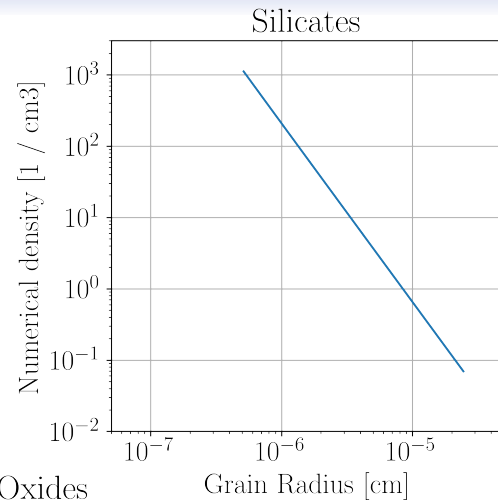
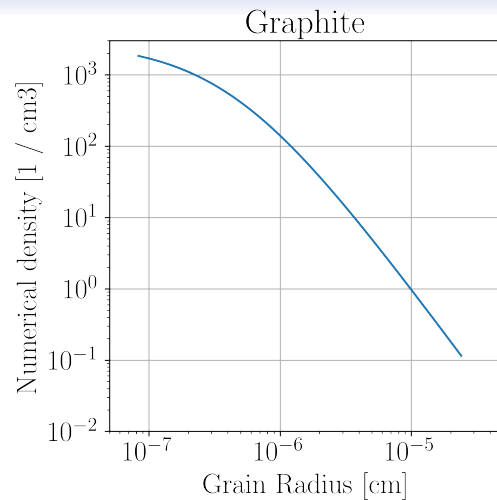
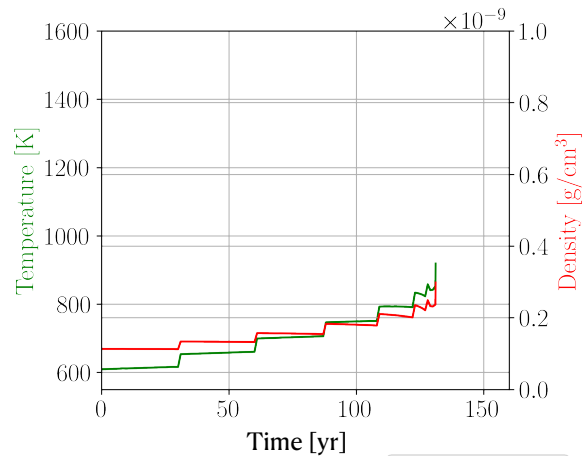


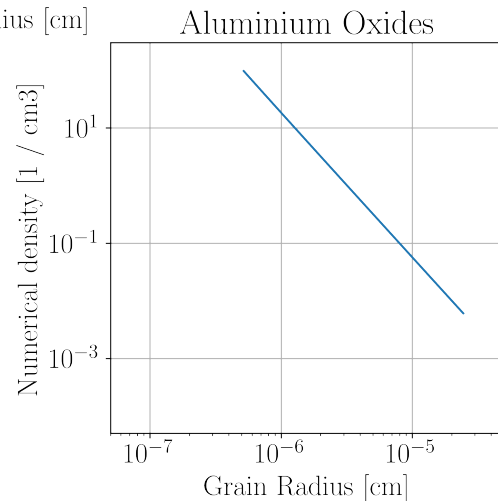
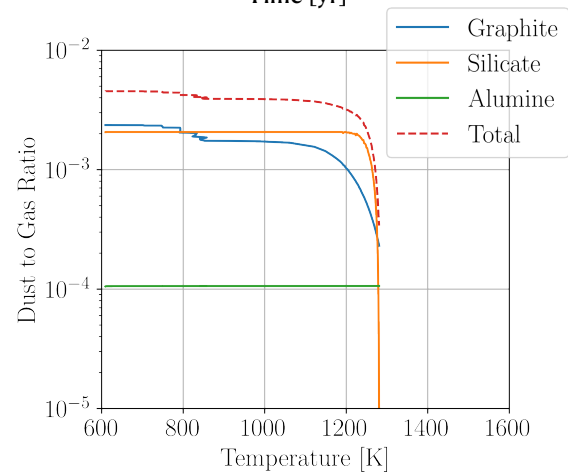
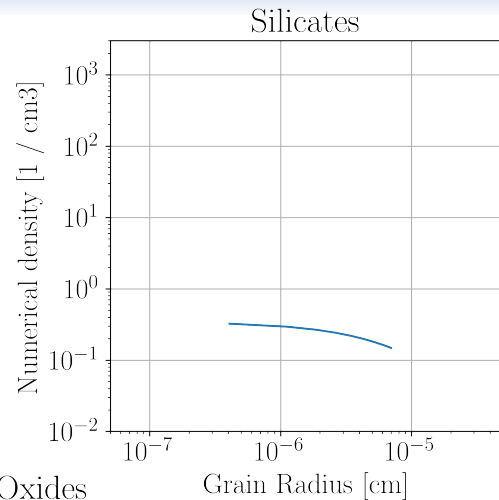
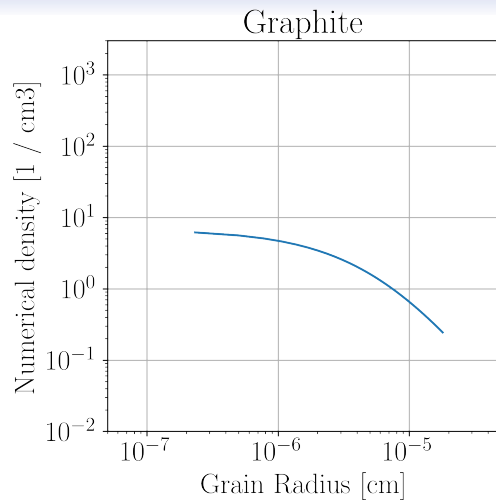
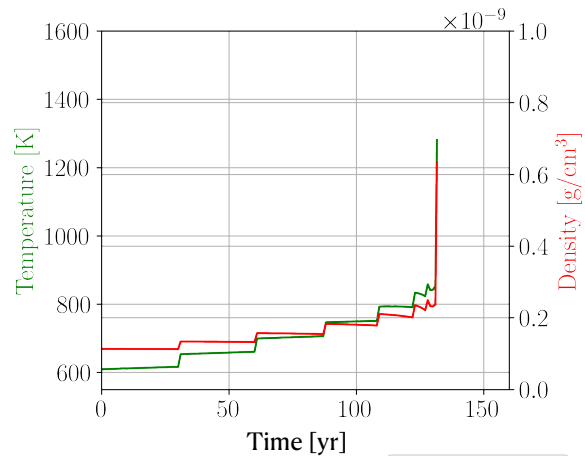
Lenzuni's results are reproduced

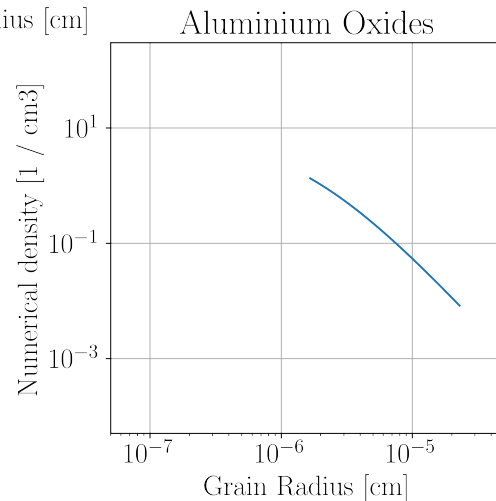
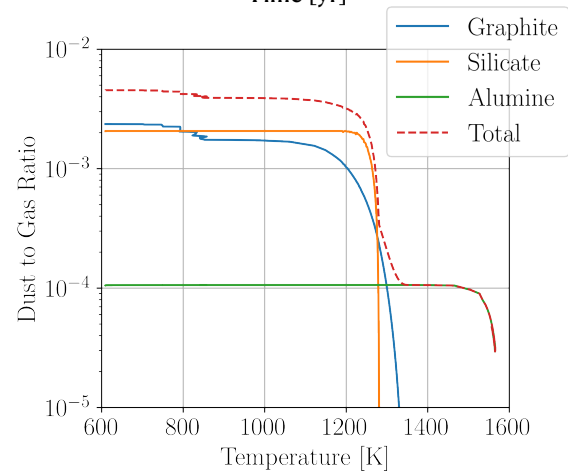
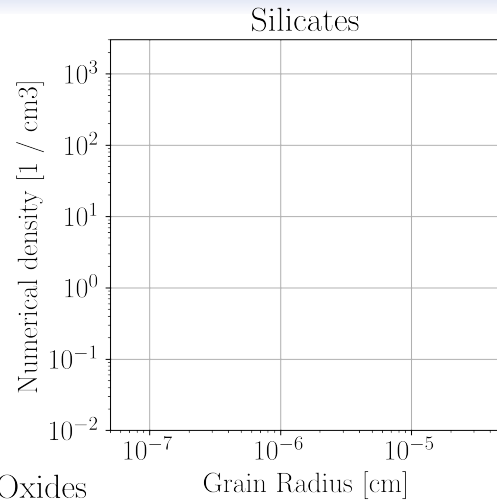
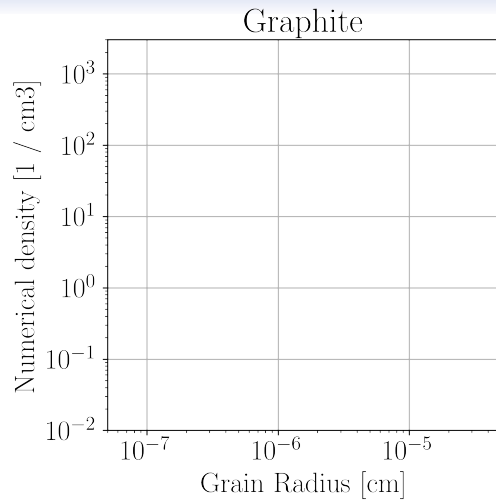
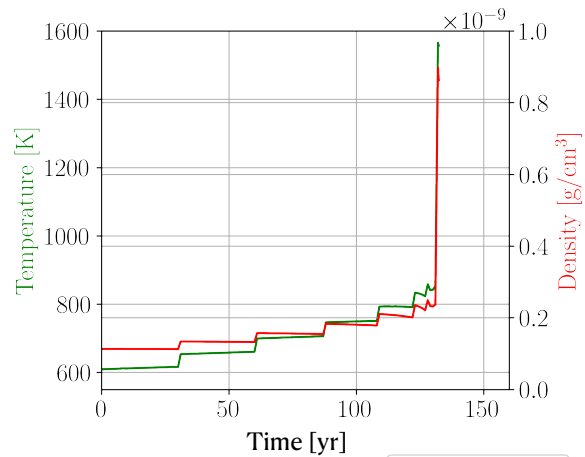
Lenzuni et al. (1995)

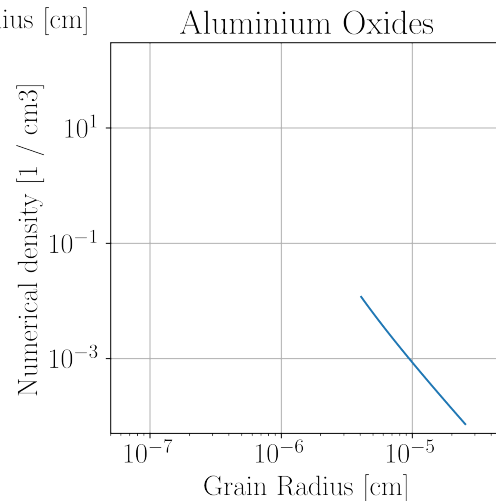
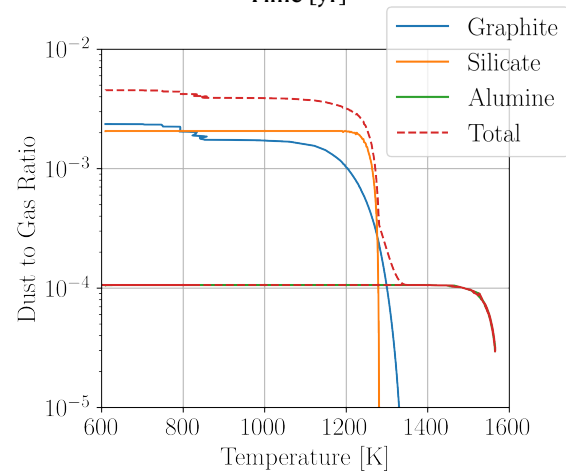
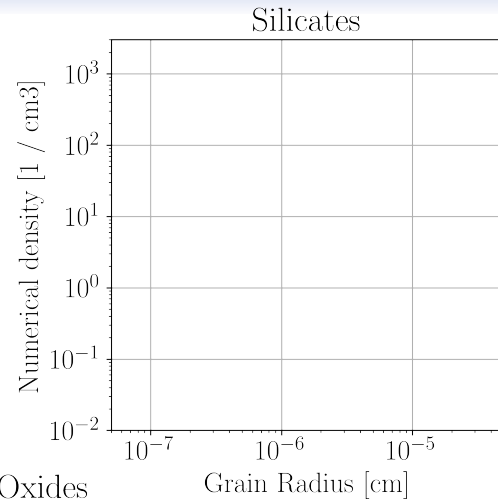
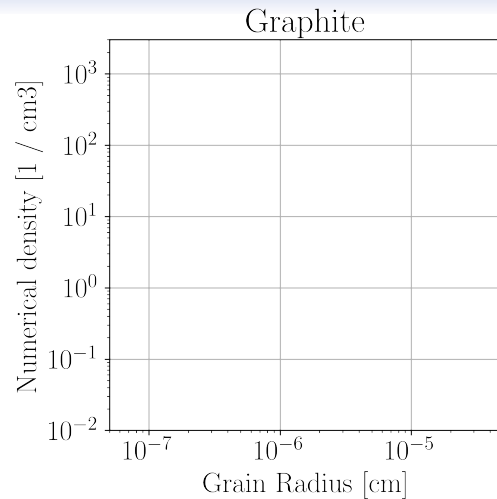
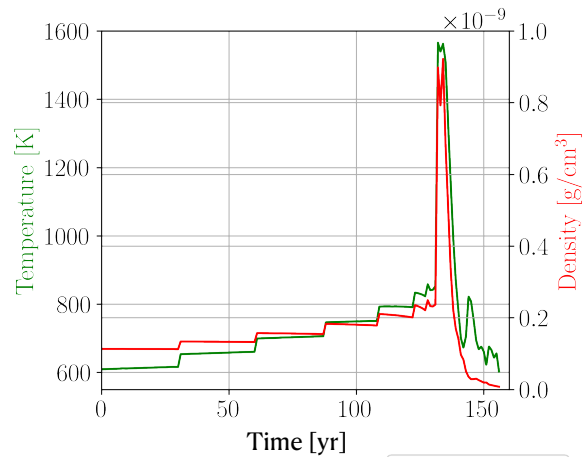


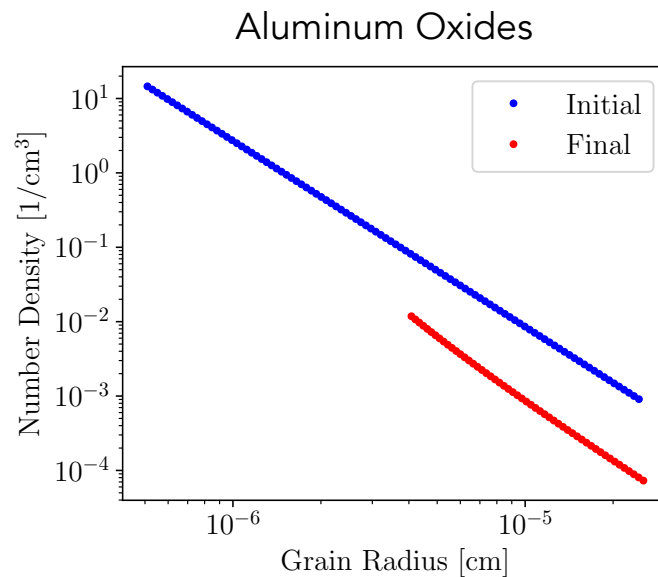
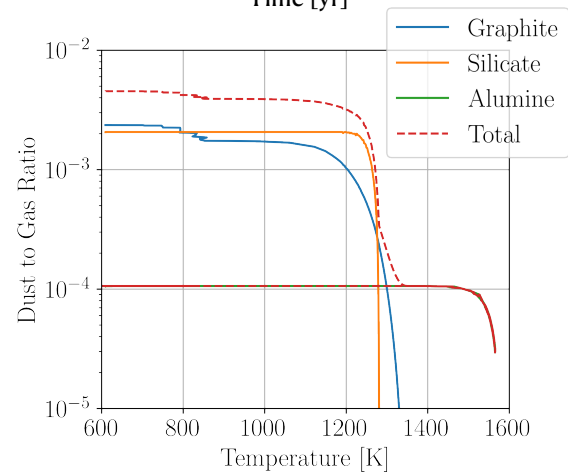
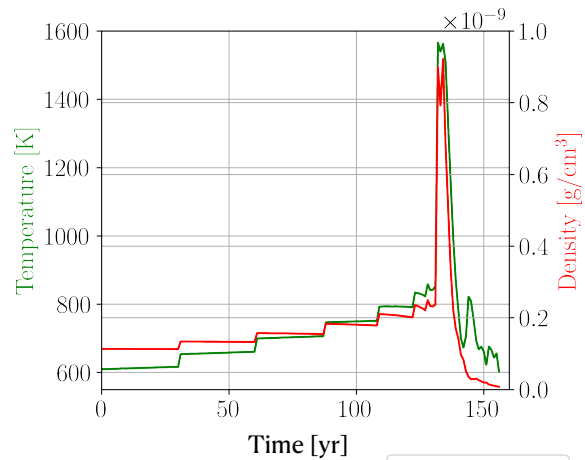




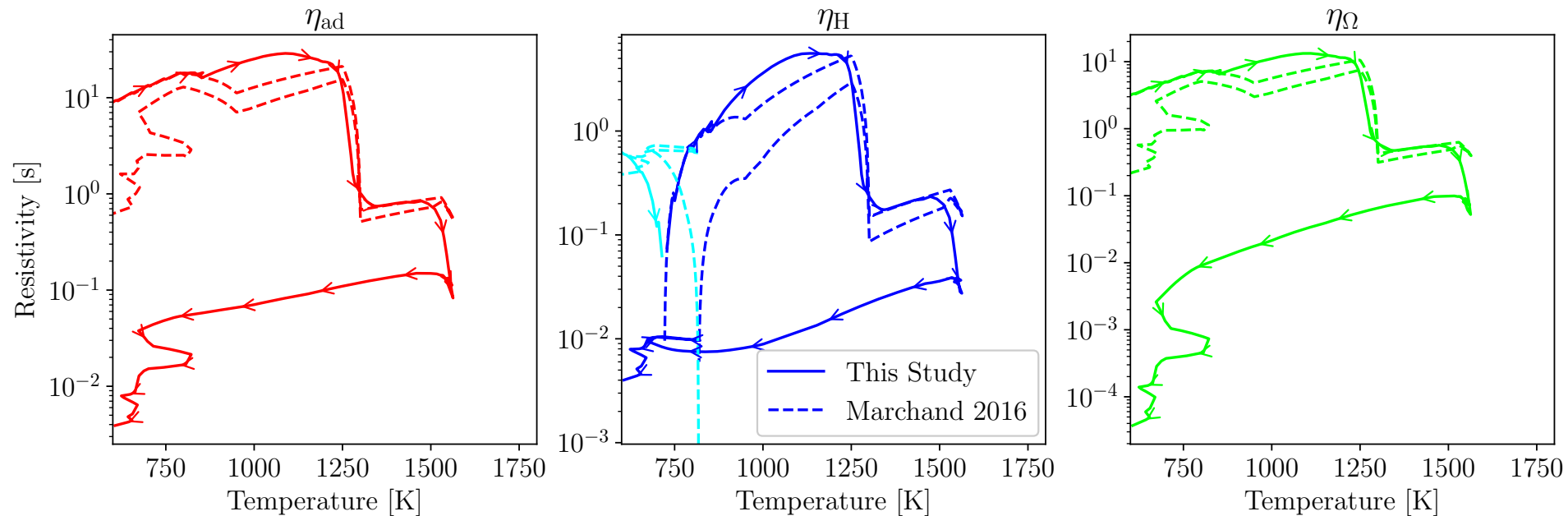






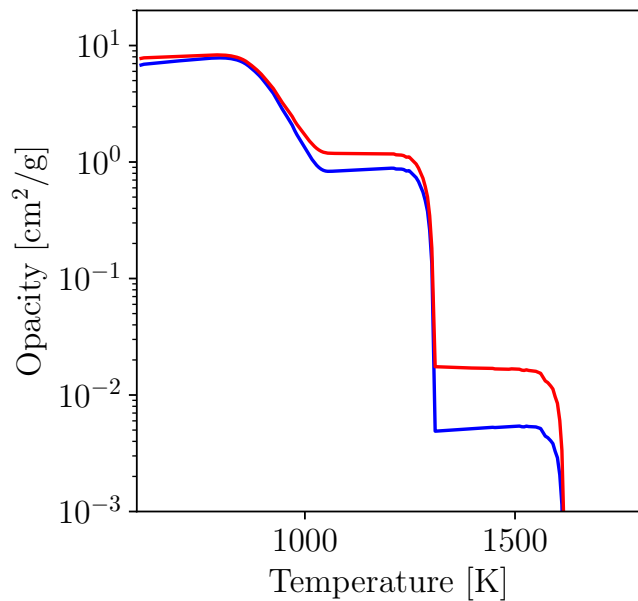


$$\frac{\partial \mathbf{B}}{\partial t} = -\nabla \times \left(-\mathbf{u} \times \mathbf{B} - \frac{4\pi}{c} \eta_{\text{ad}} \mathbf{J} \times \mathbf{e}_B \times \mathbf{e}_B + \frac{4\pi}{c} \eta_H \mathbf{J} \times \mathbf{e}_B + \frac{4\pi}{c} \eta_\Omega \mathbf{J} \right)$$

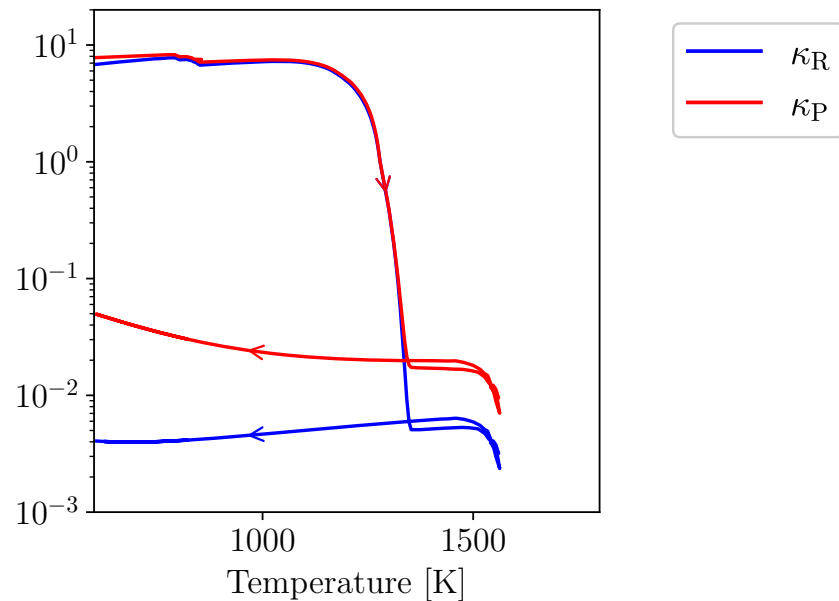


Strong difference when the temperature goes down

Lenzuni's trajectory



Bhandare's trajectory



Outcomes:

- The initial MRN distribution is **not conserved** through the evaporation process.
- Dust quantity cannot be determine only by the temperature and density, it depends on the **history of the dust grains**. Also the case for the resistivities and opacities.

Possible following:

- Add dust evaporation in MHD code (RAMSES or Idefix).