

Particle acceleration in relativistic magnetized shocks revisited : the role of global magnetic nulls

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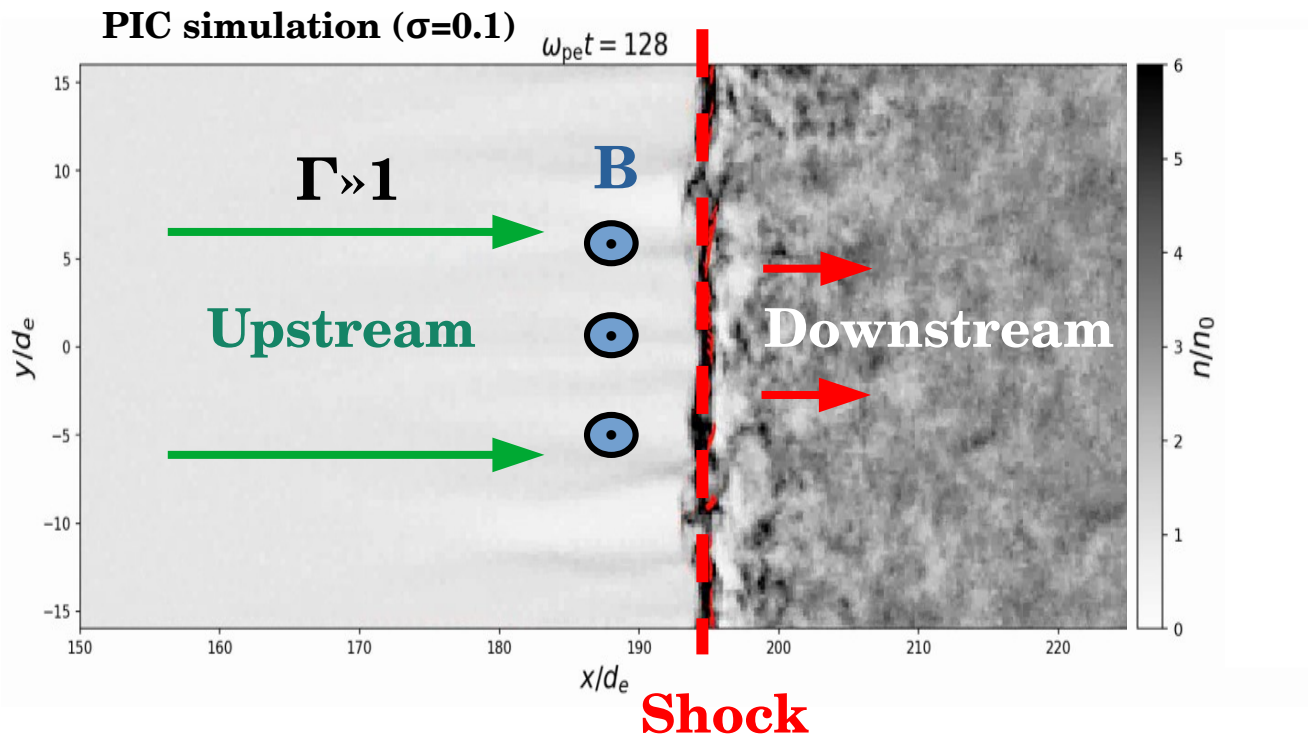
A&A 2020, arXiv :2008.07253
A&A 2023, arXiv:2303.12636



Relativistic magnetized shocks are poor accelerators

[e.g. Gallant+1992; Sironi+2013 ; Plotnikov+2018]

Even modest magnetization ($\sigma > \sim 10^{-3}$) is enough to **quench** particle acceleration.

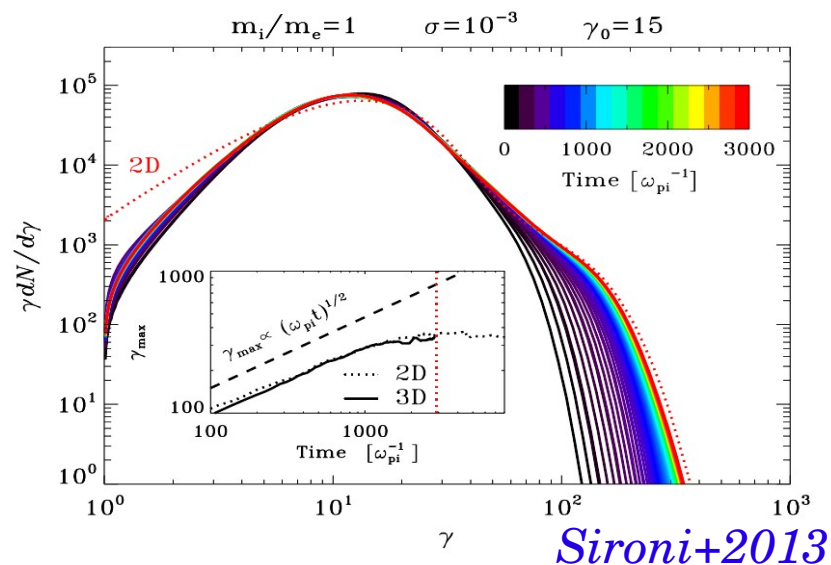
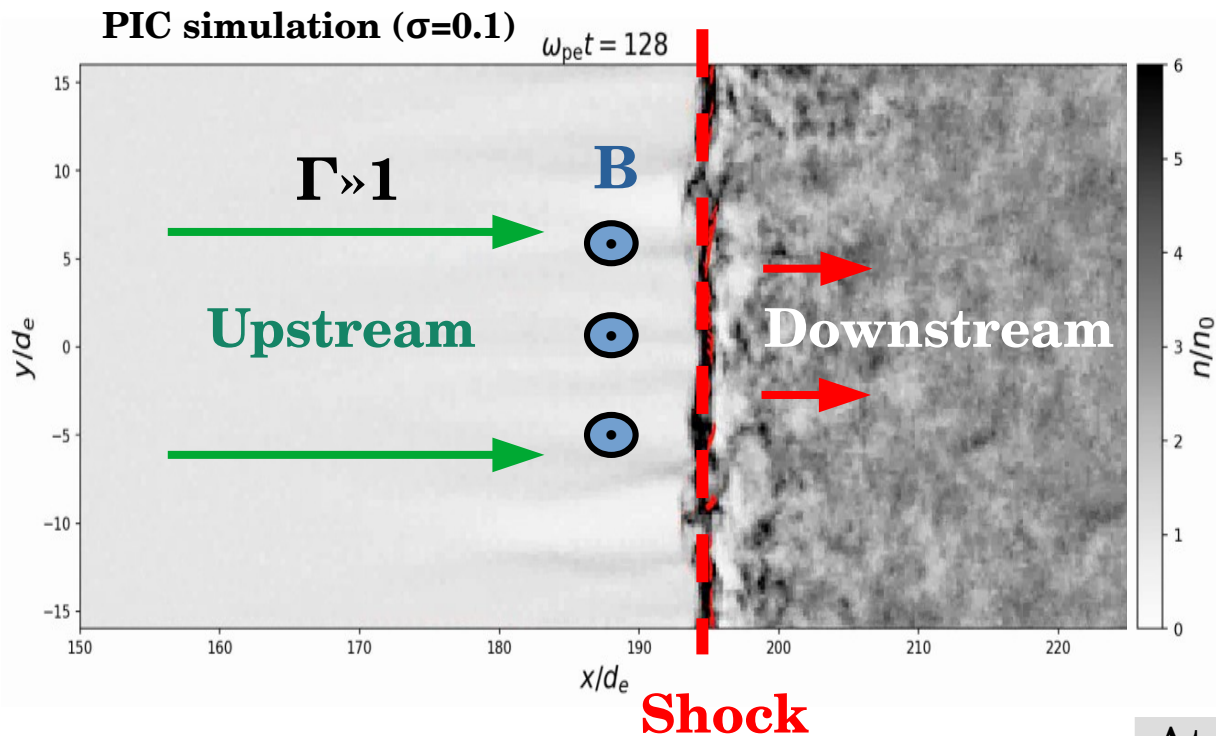


Magnetic reflection at the shock => No acceleration

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Magnetic reflection at the shock => No acceleration

At best they are slow : $\gamma_{max} \propto t^{1/2}$
 And quickly reaches saturation $\gamma_{max}/\Gamma \sim \sigma^{-1/4}$

But what if this was not the end of the story ?

These conclusions are valid for a **local**, **plane-parallel**, and **homogeneous** shock.

Here, we argue that one must take the **global aspect** of the shock into account.
=> The local approach is not a good approximation

Particularly true for a relativistic magnetized shock where $B \Rightarrow B_\phi$
It must vary and go through a null

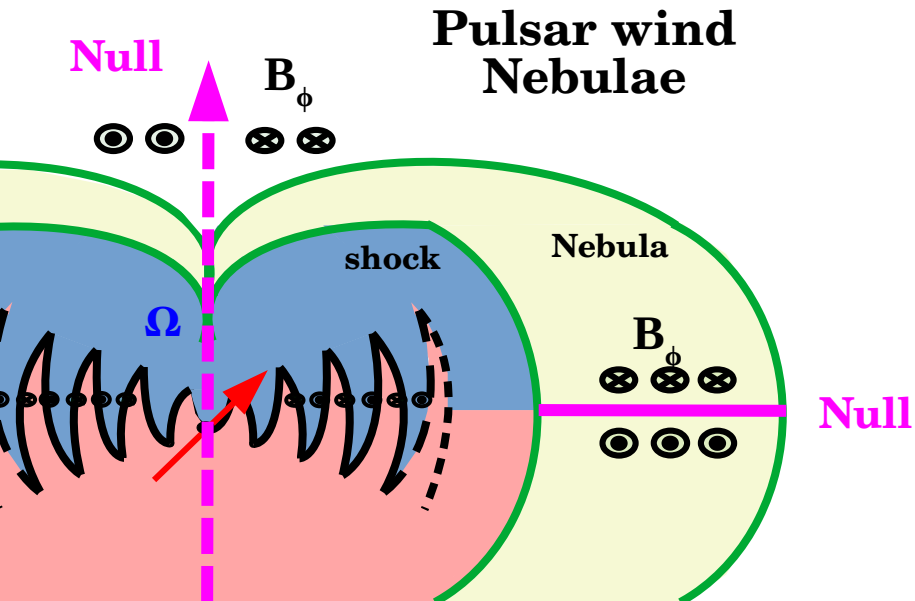
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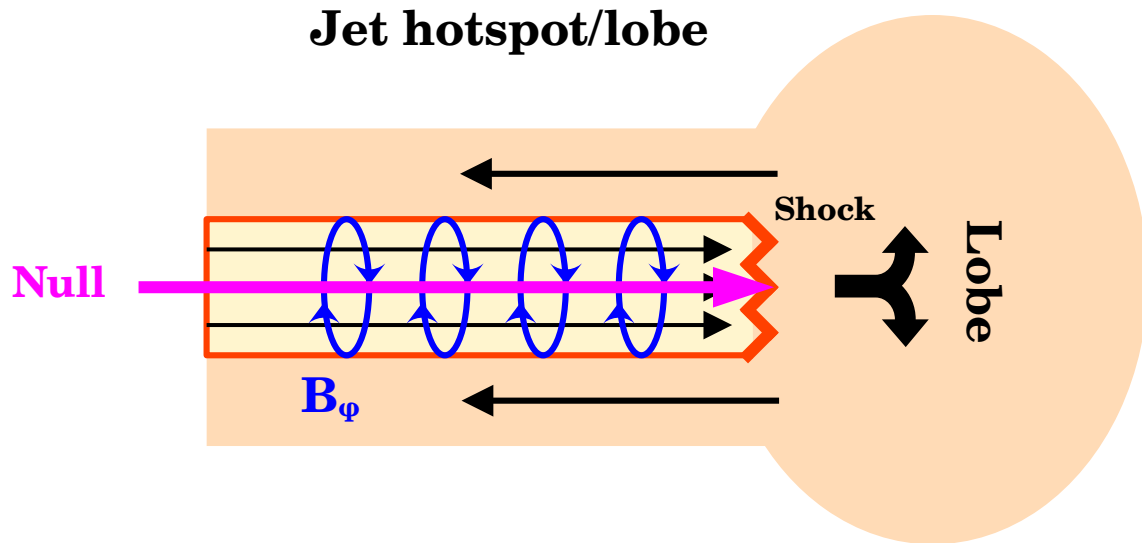
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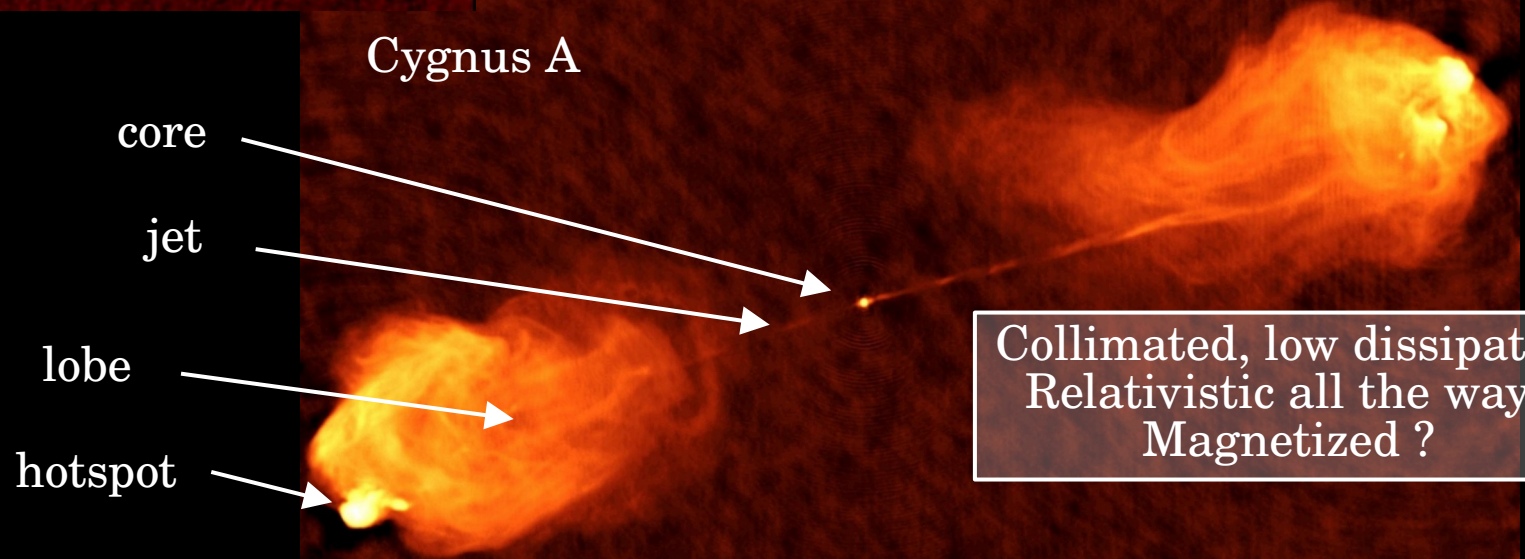
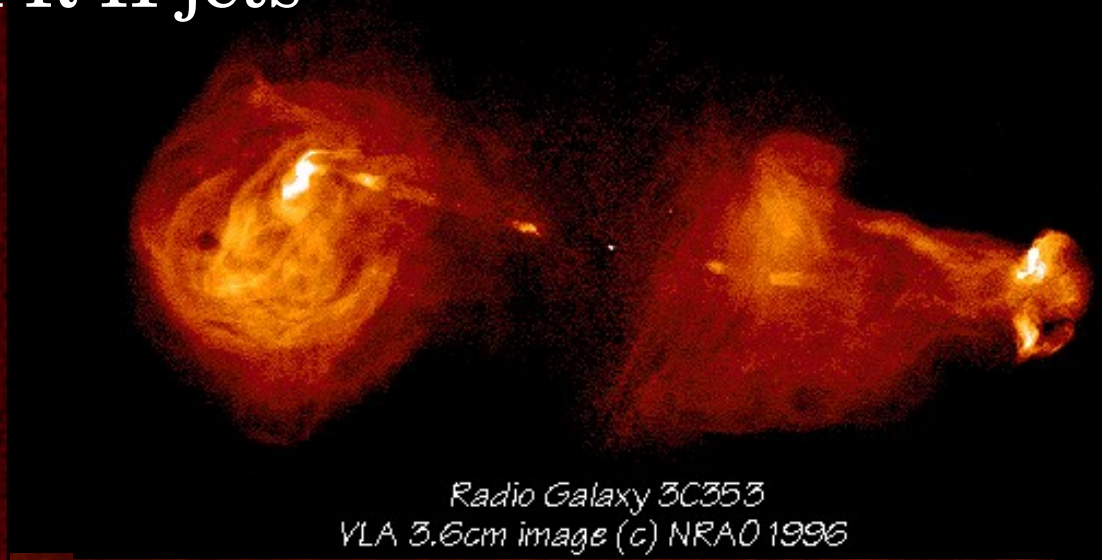
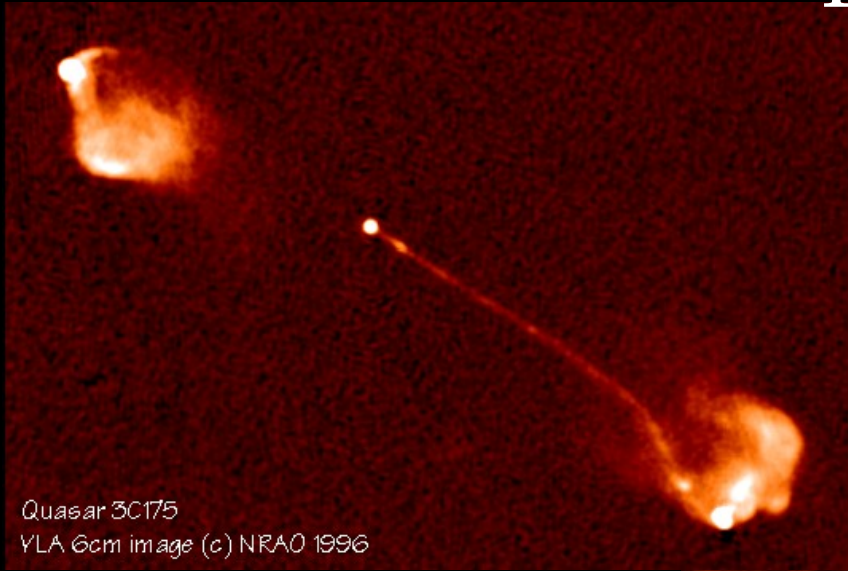
Cerutti & Giacinti 2020



Cerutti & Giacinti 2023



FR II jets

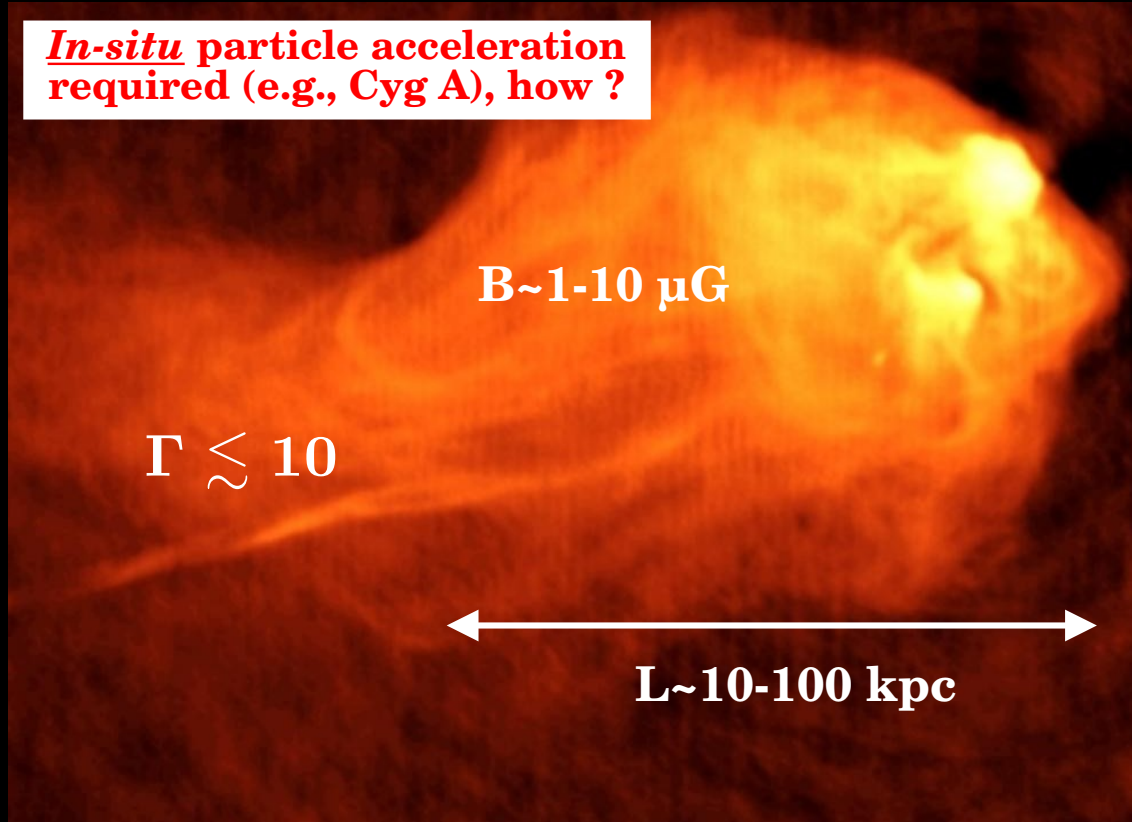


Collimated, low dissipation
Relativistic all the way?
Magnetized?

Physical conditions @ extragalactic jet termination shock

[e.g., Blandford et al. 2019 ; Hardcastle & Croston 2020 ; Gabuzda 2021]

***In-situ* particle acceleration required (e.g., Cyg A), how ?**



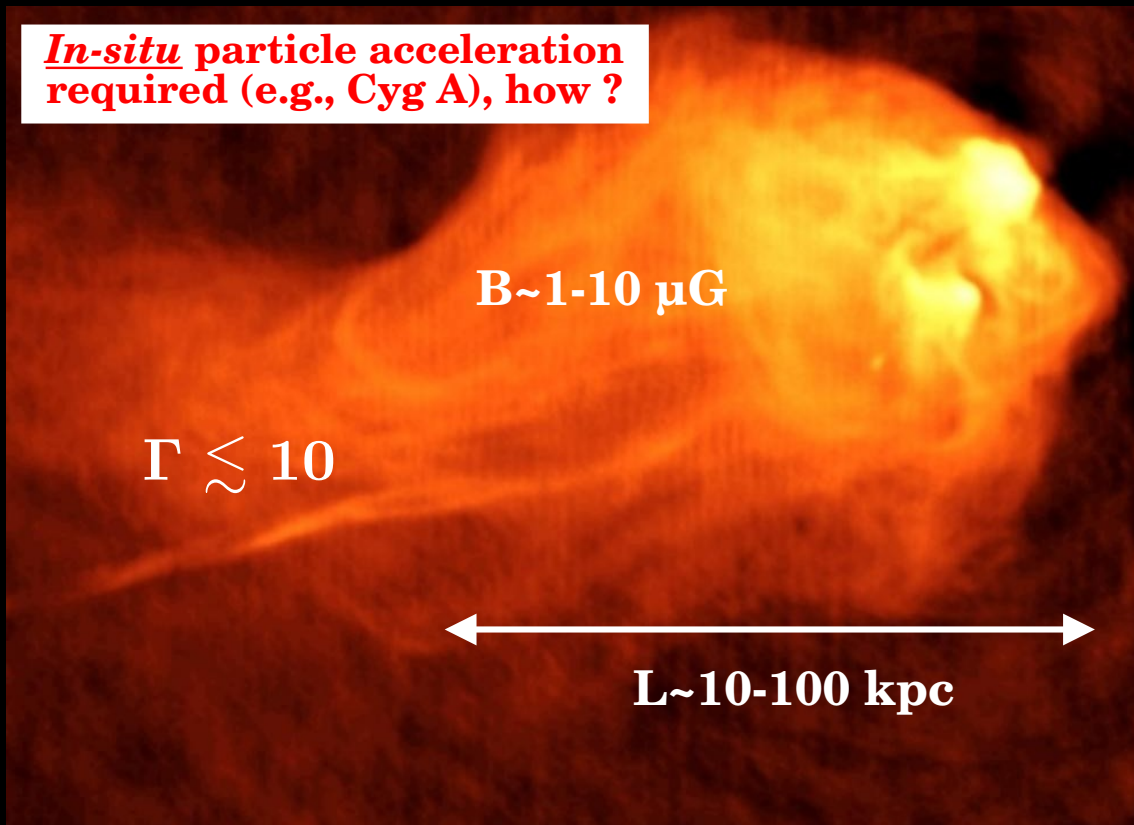
Ambient plasma magnetization
~ equipartition ?

$$\sigma = \frac{B_0^2}{4\pi\Gamma n m_i c^2} \sim 0.01 - 1$$

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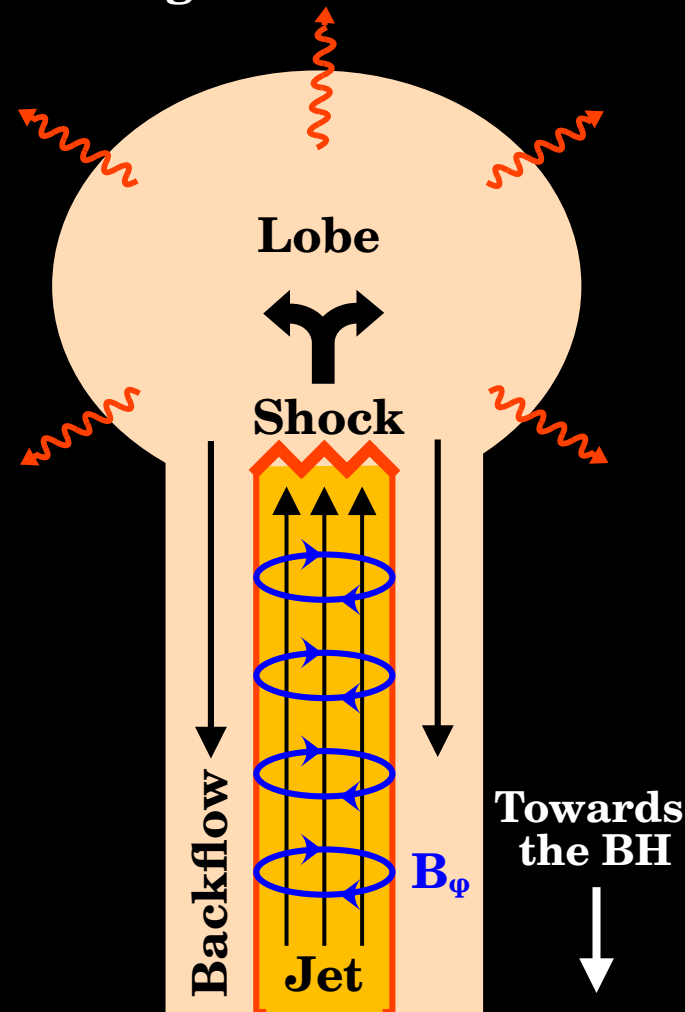
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Intergalactic medium



Our PIC setup

2D Cartesian box (xz-plane), **262,144×16,384 cells**

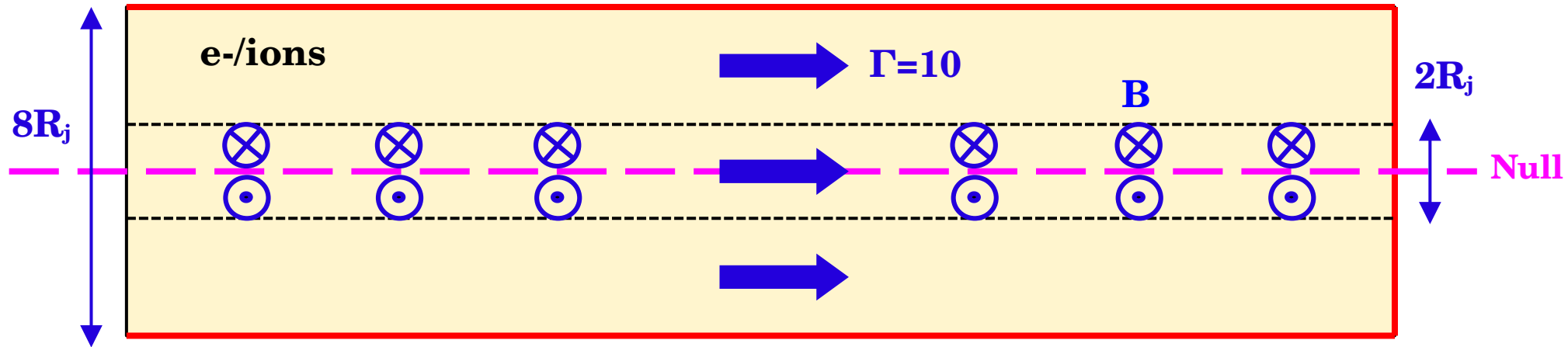
Electron-ion plasma : **$m_i/m_e=25$**

Magnetization : **$\sigma=0.1, 1$**

PIC code : Zeltron

Reflecting boundary = confining external medium

Reflecting boundary = contact discontinuity



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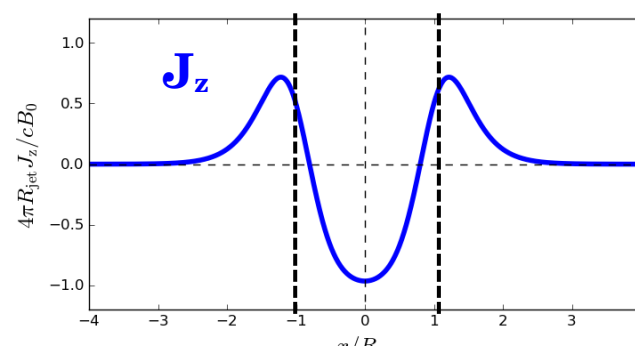
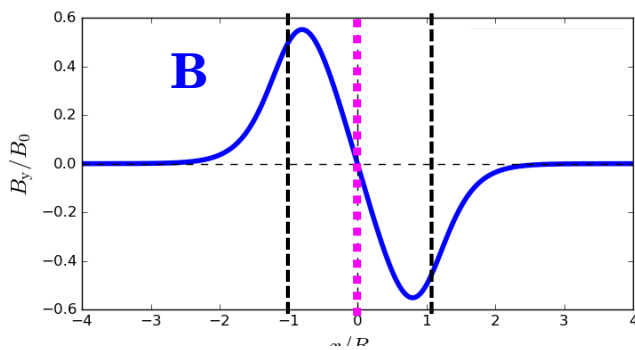
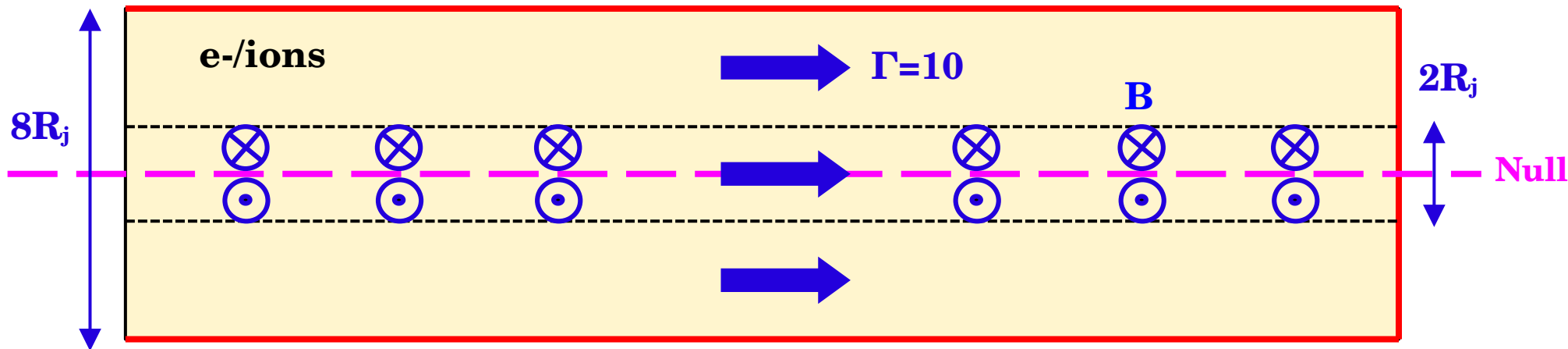
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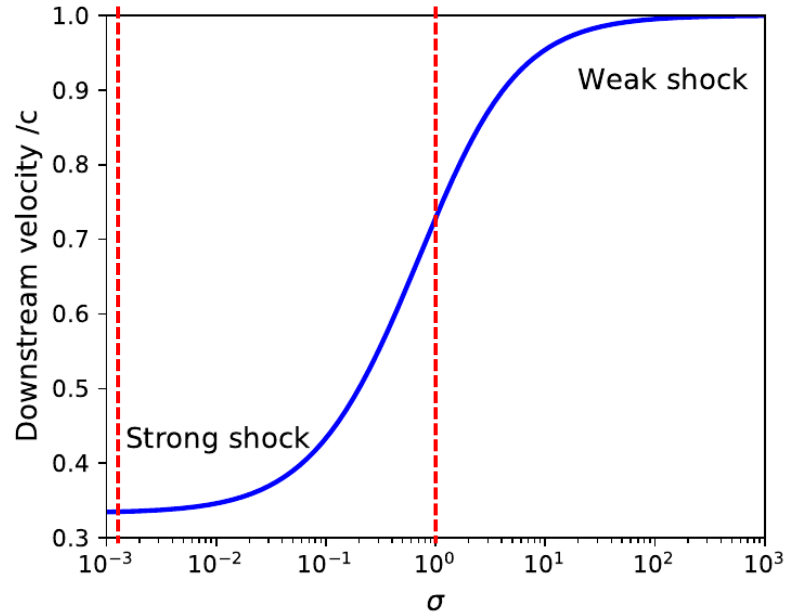
Reflecting boundary = contact discontinuity



Variations in the downstream bulk flow velocity

Kennel & Coroniti 1984

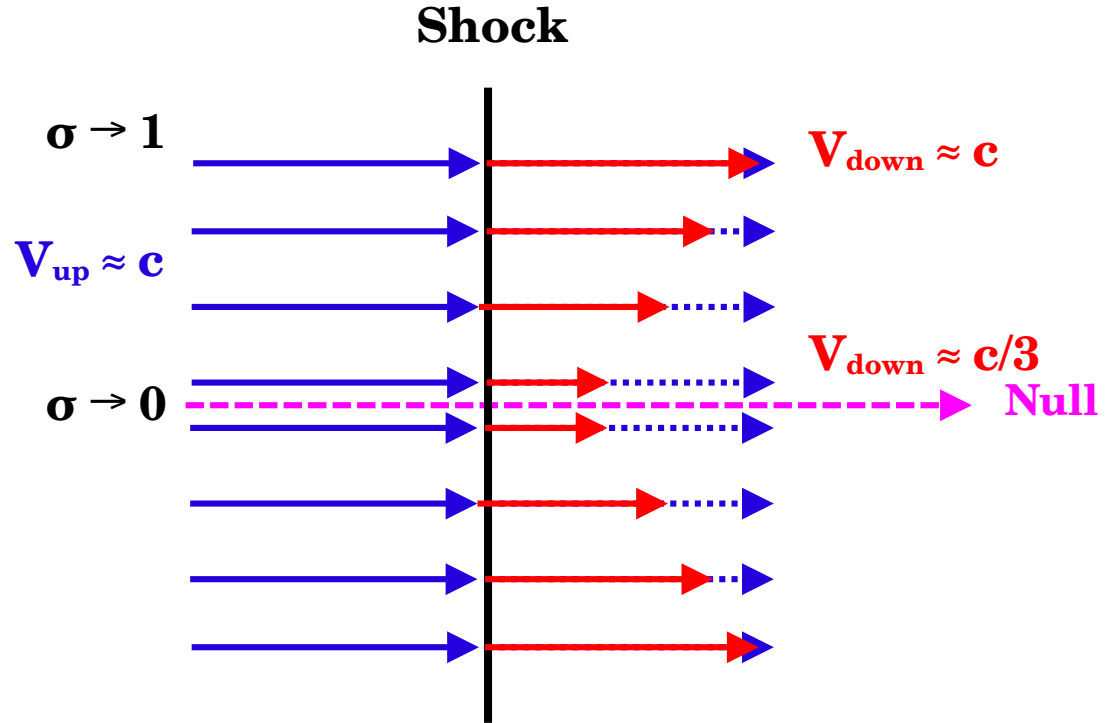
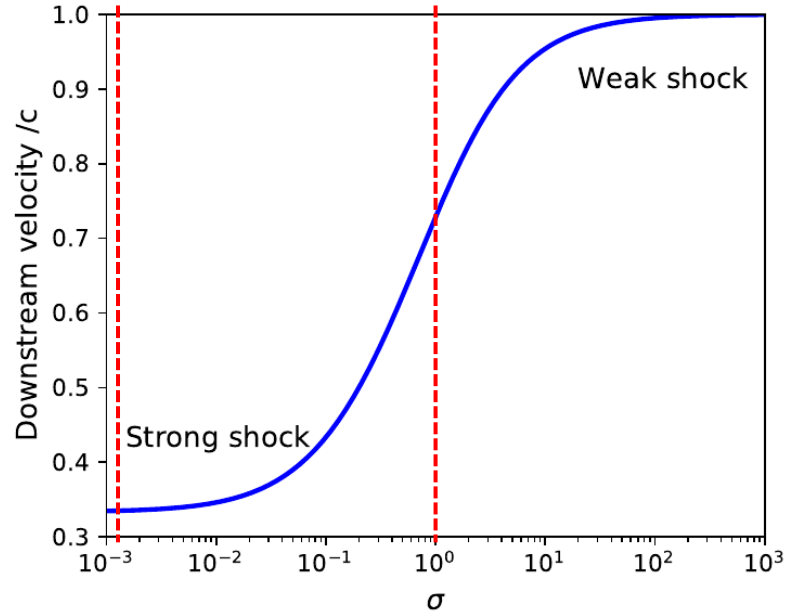
Rankine-Hugoniot MHD
perpendicular shock



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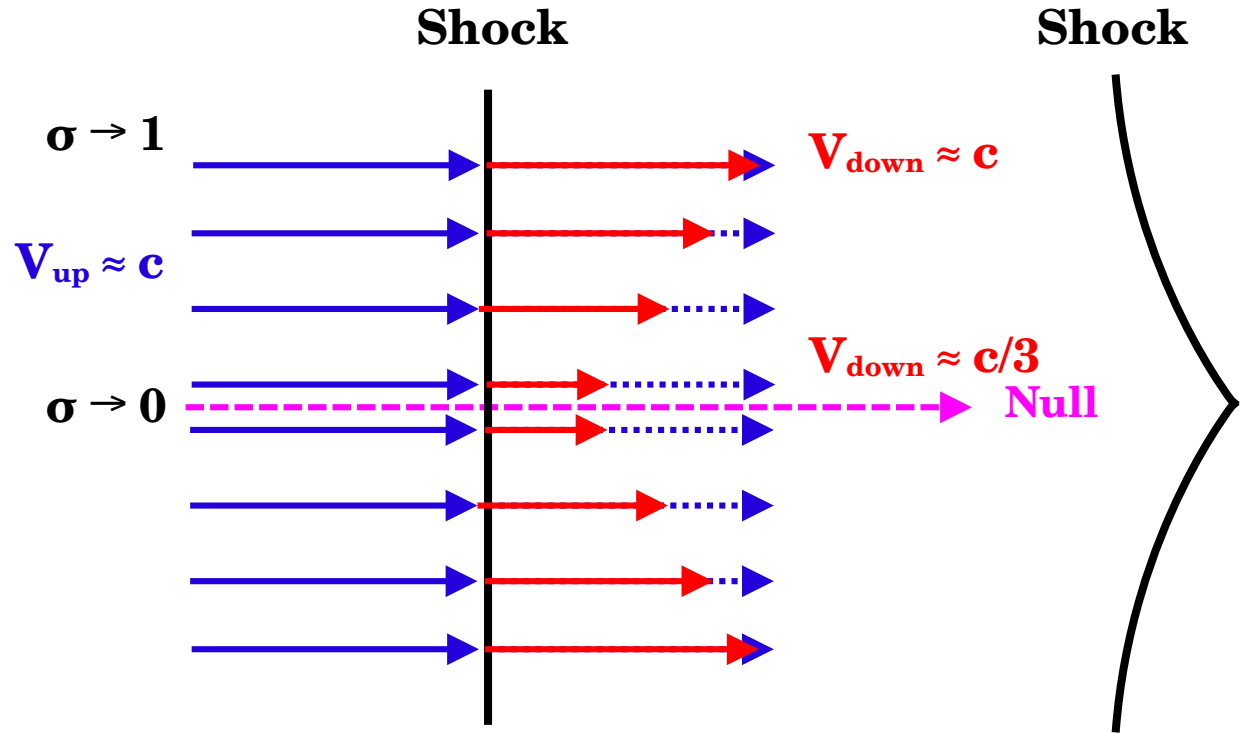
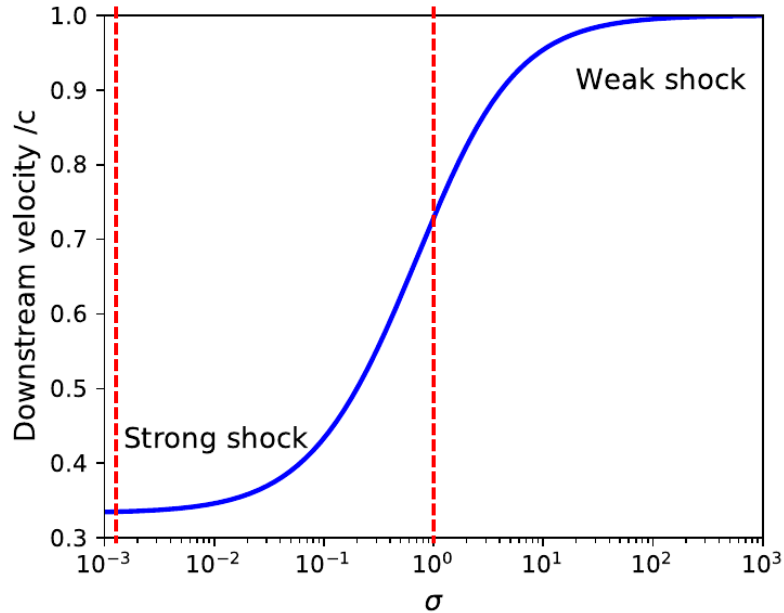


=> Formation of a **strong velocity shear** in the downstream medium

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Rankine-Hugoniot MHD
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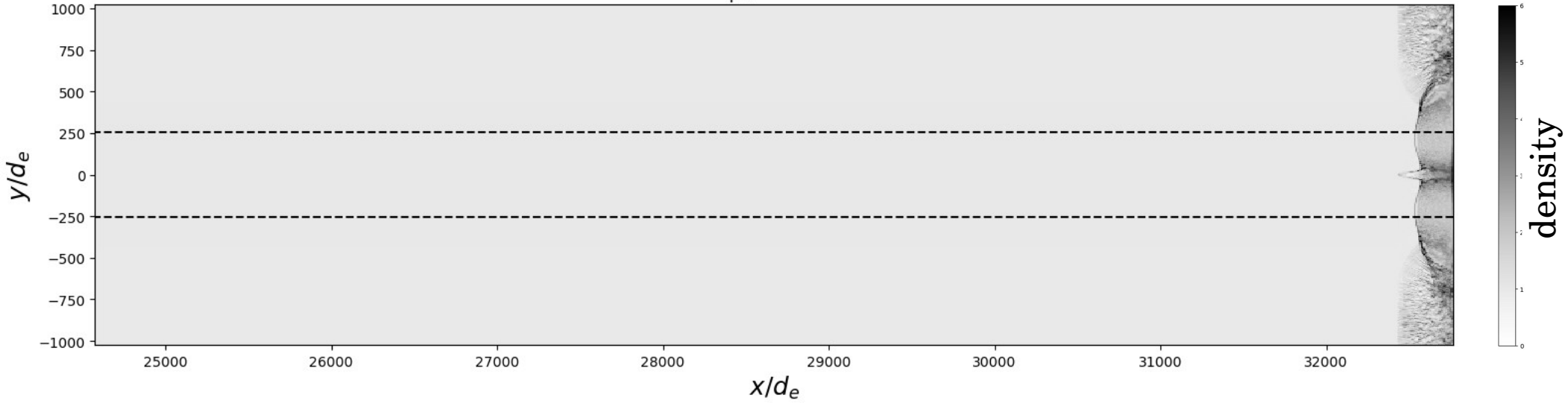


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Plasma density evolution

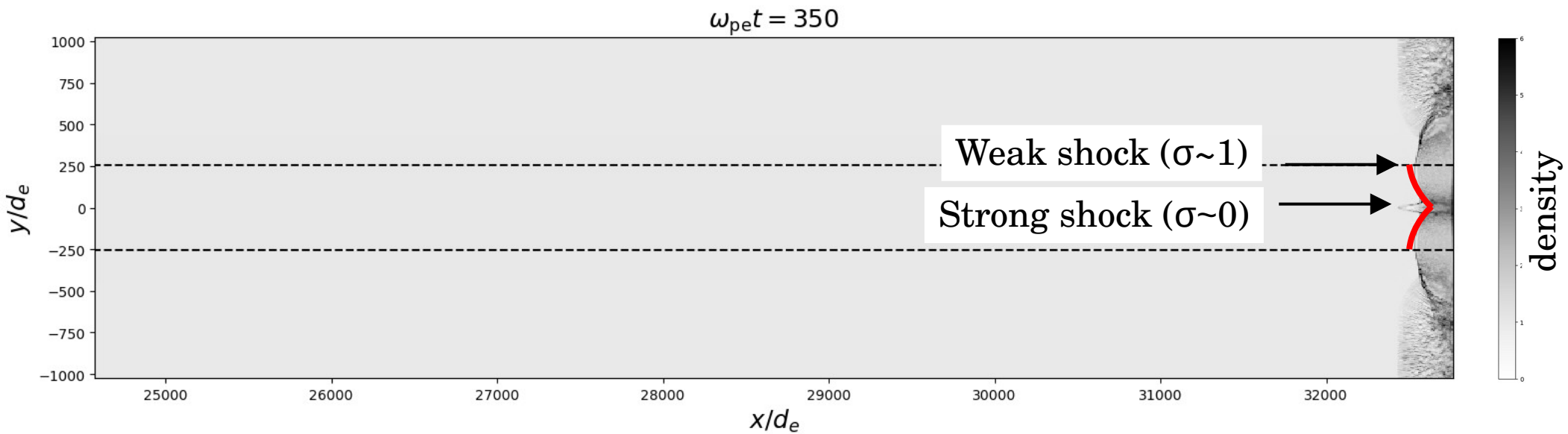
Early phases

$\omega_{pe}t = 350$



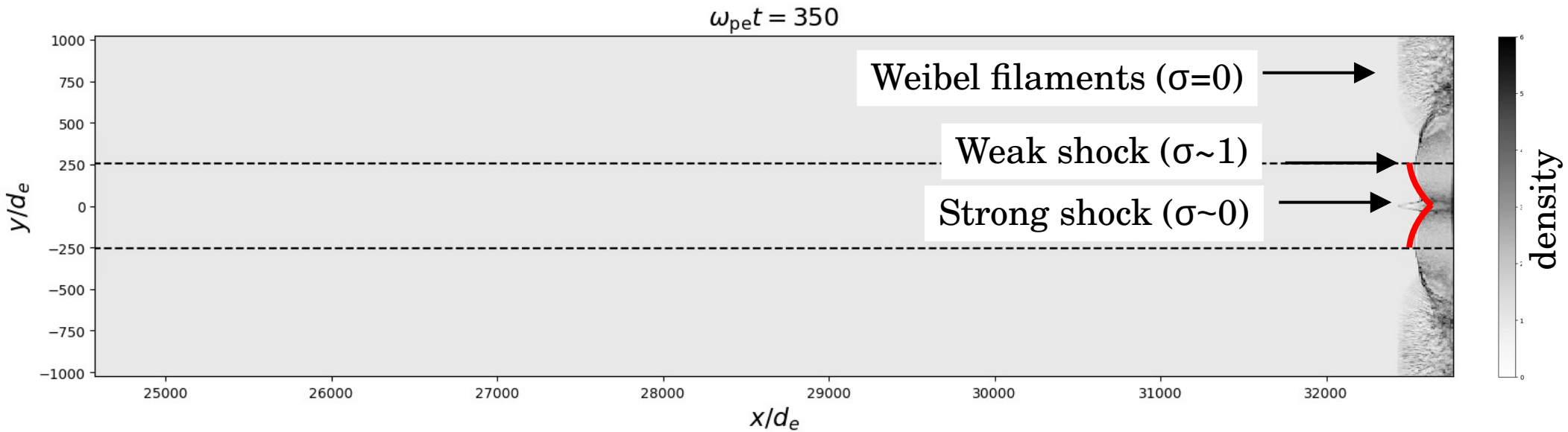
Plasma density evolution

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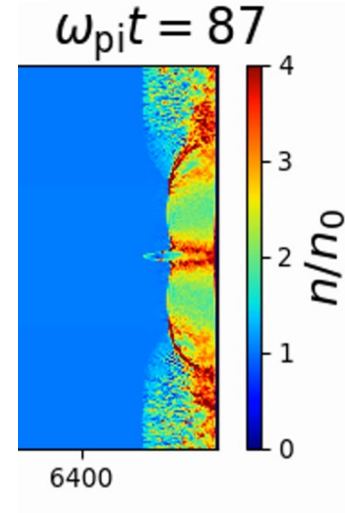


Plasma density evolution

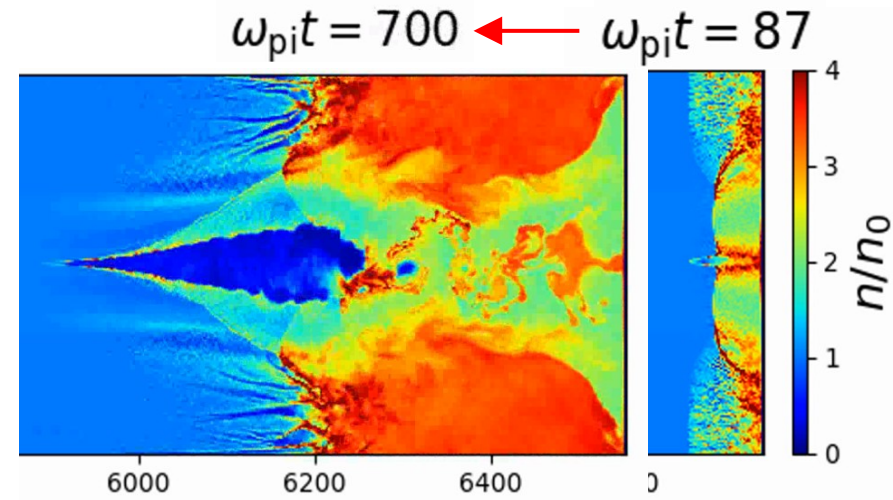
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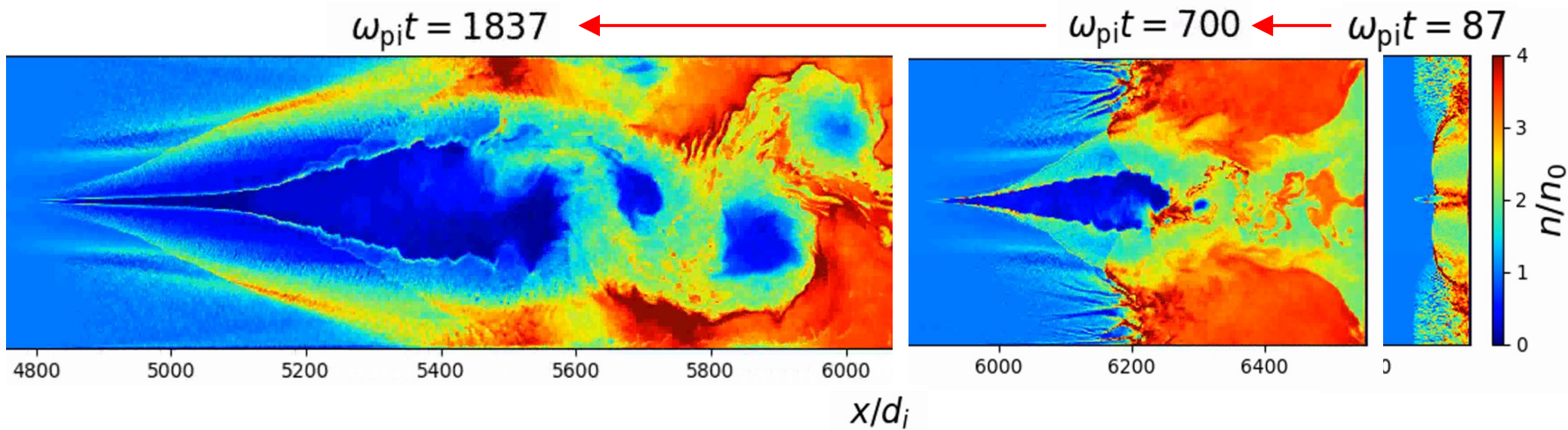
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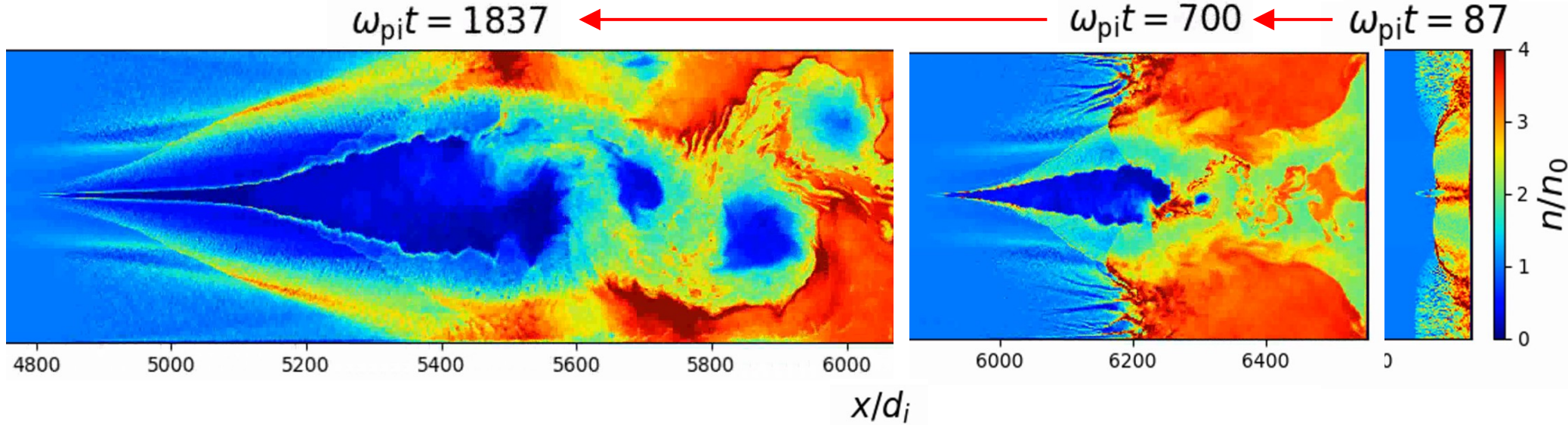
Plasma density evolution



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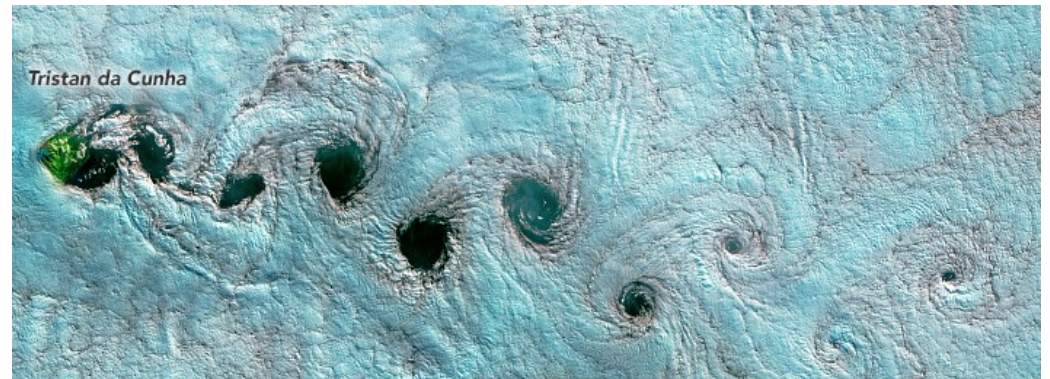


Plasma density evolution

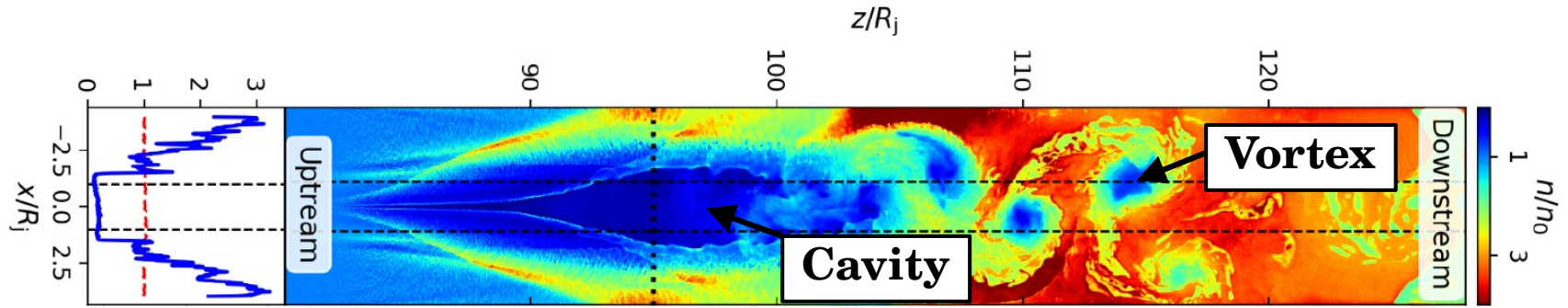


von Kármán vortices

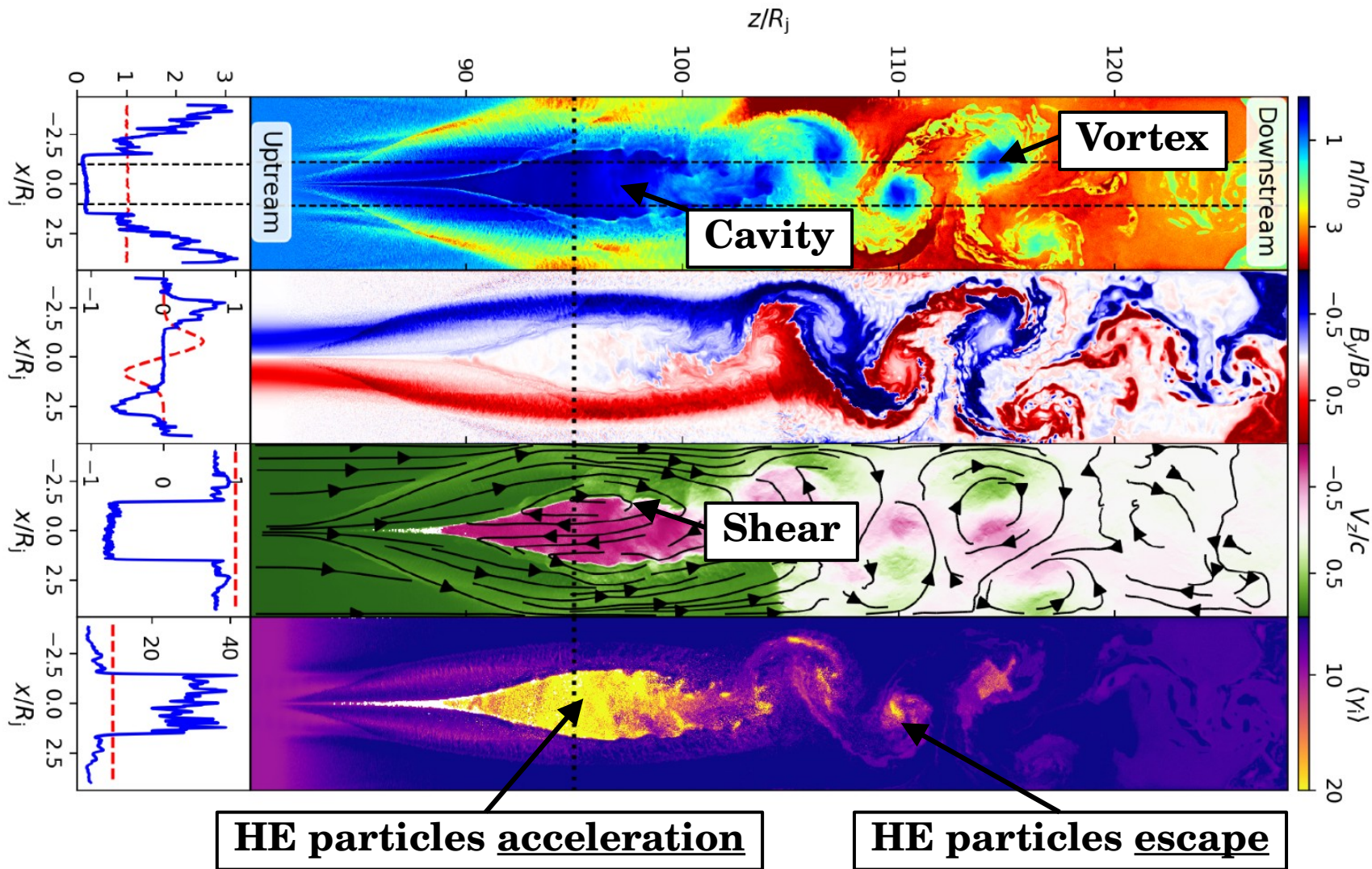
Large over-pressured cavity
=> obstacle to the incoming flow



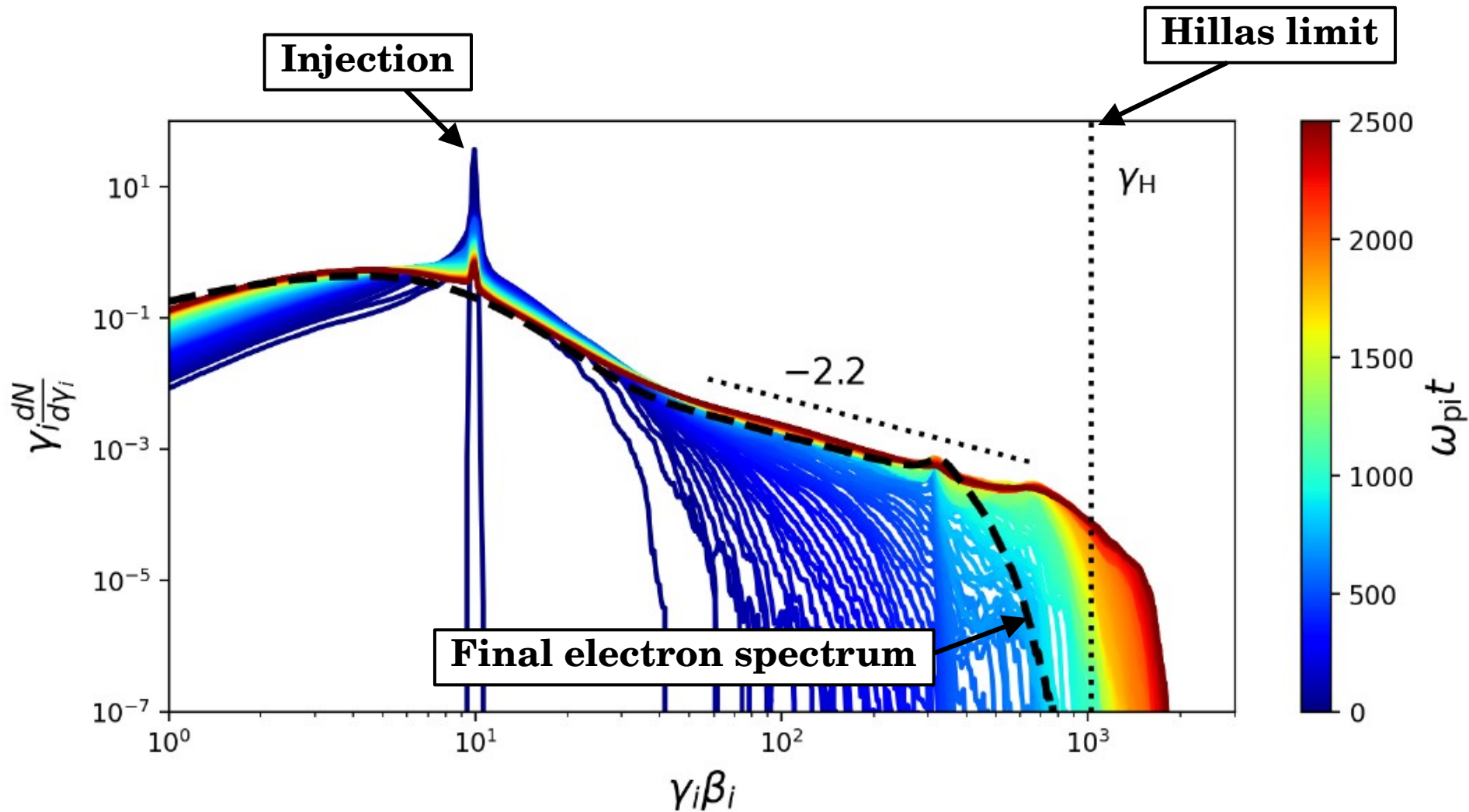
Cavity, shear, vortices, particle acceleration !



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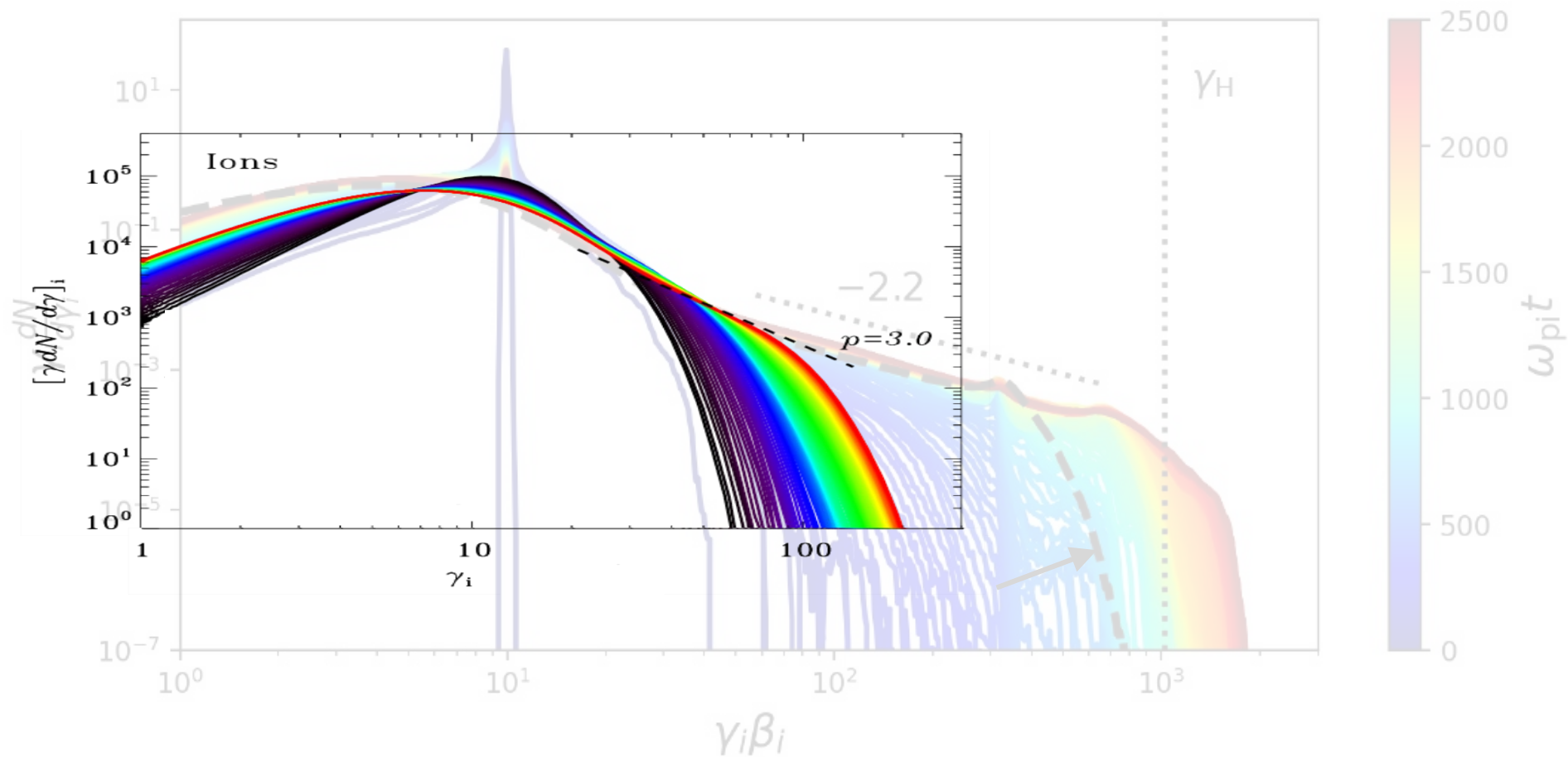


Ion spectrum temporal evolution

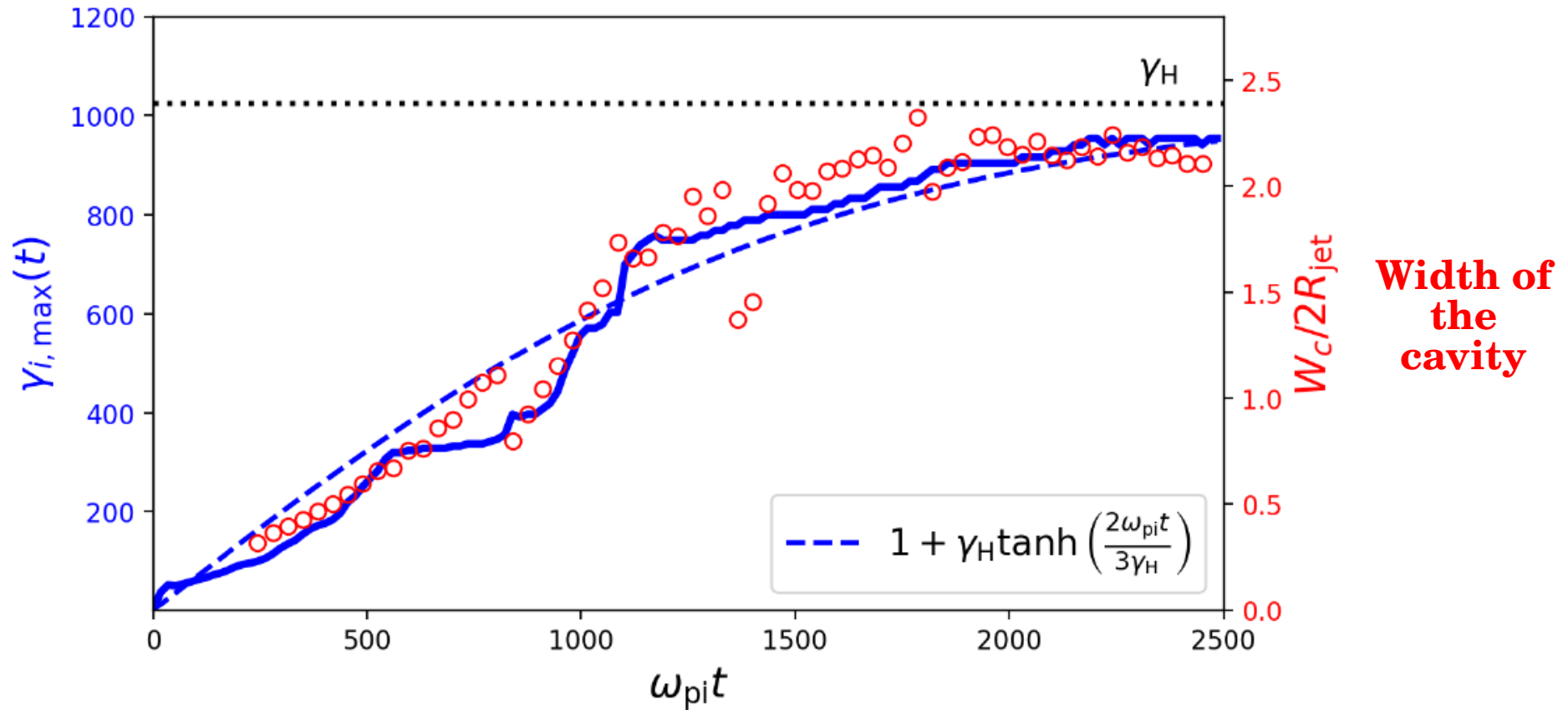


Ion spectrum temporal evolution

Comparison with the unmagnetized isotropic case (from *Sironi+2013*)



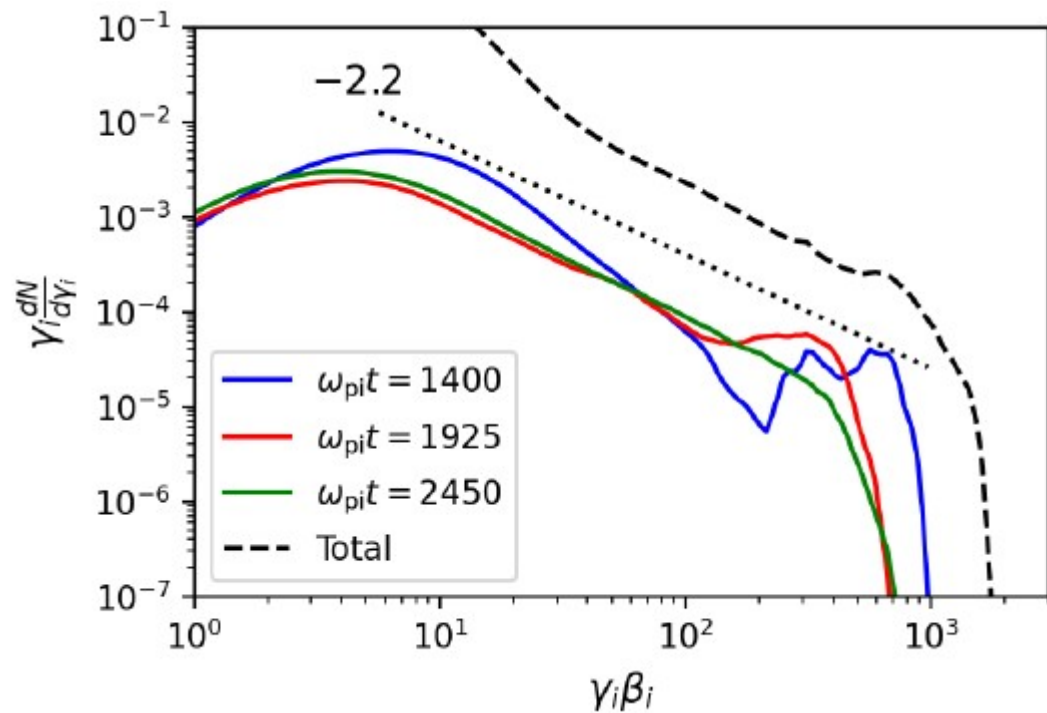
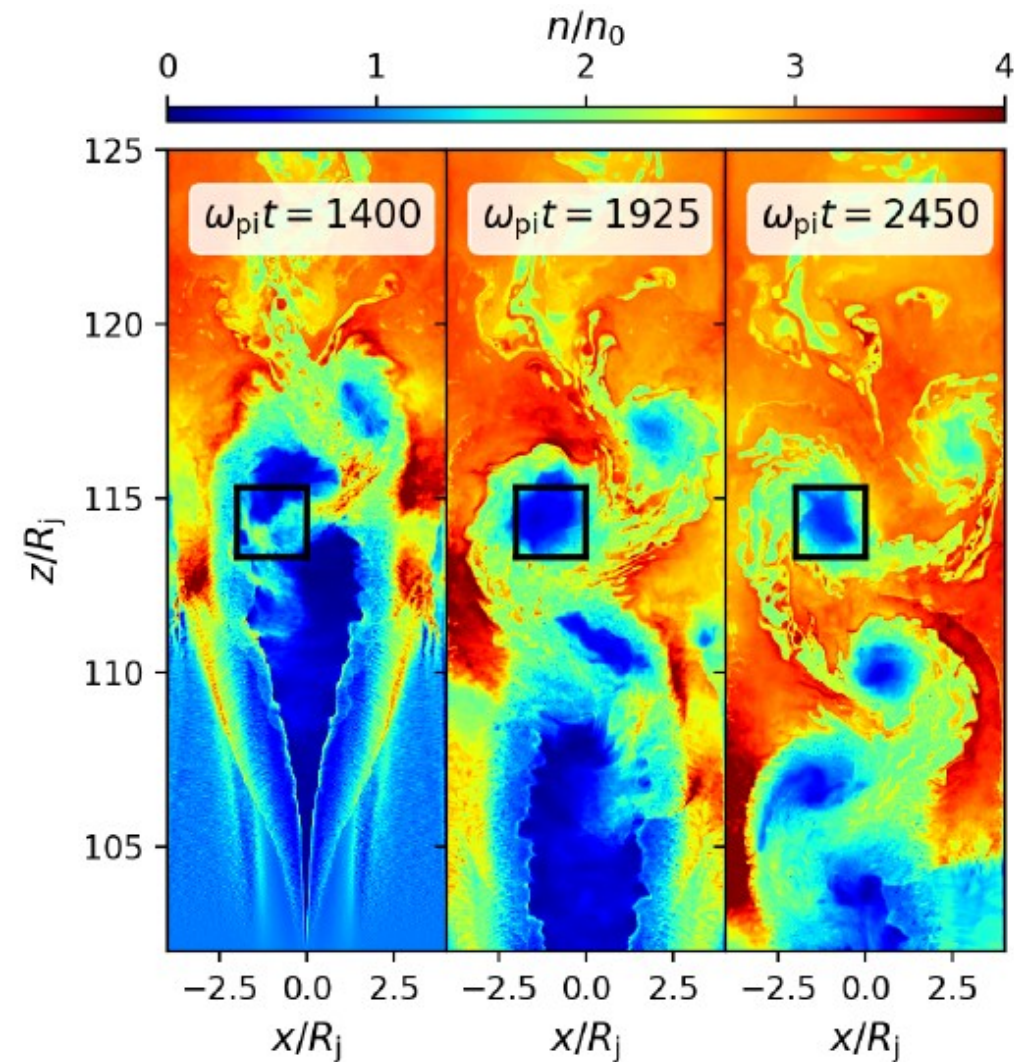
Saturation



Fast particle acceleration ($\gamma_{\max} \sim \omega_{pi}t$) followed by a **saturation at the confinement limit**

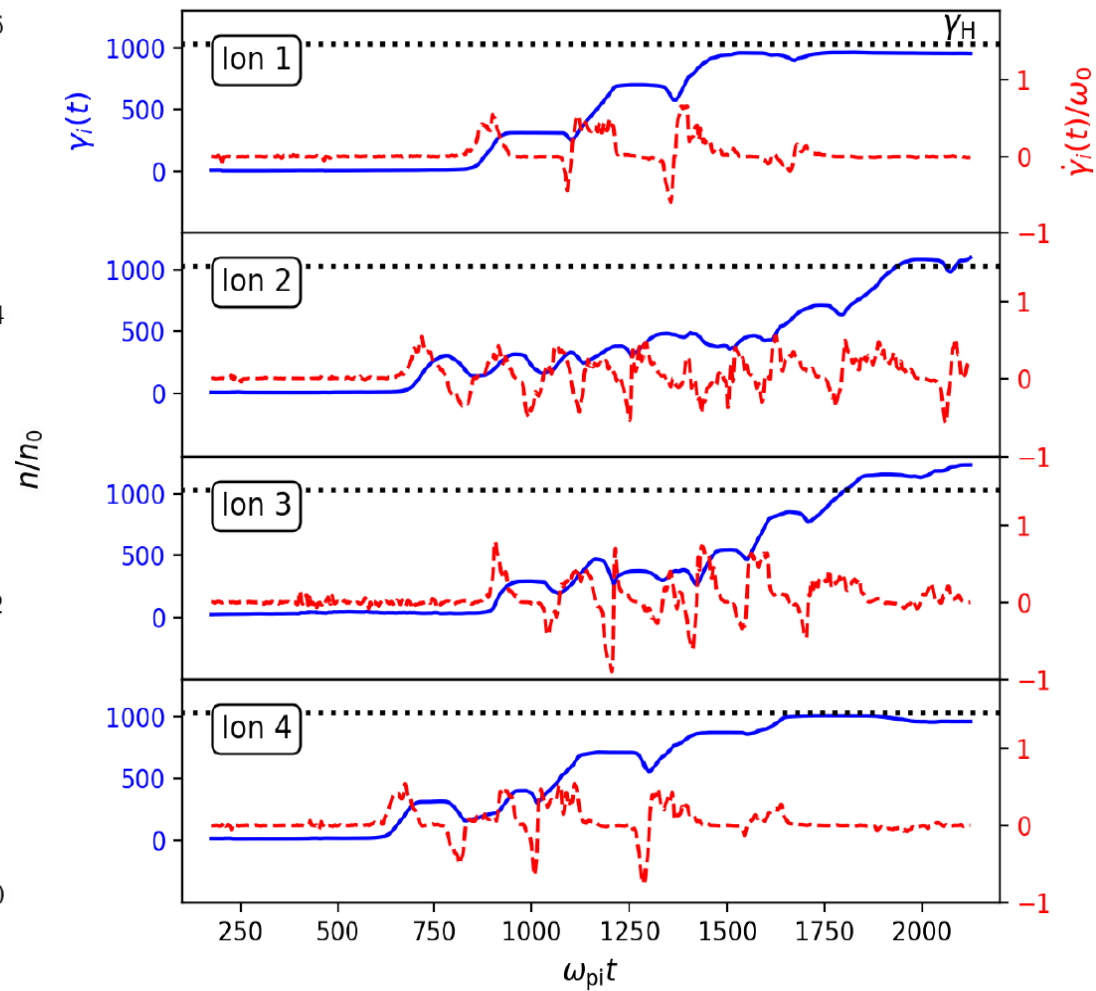
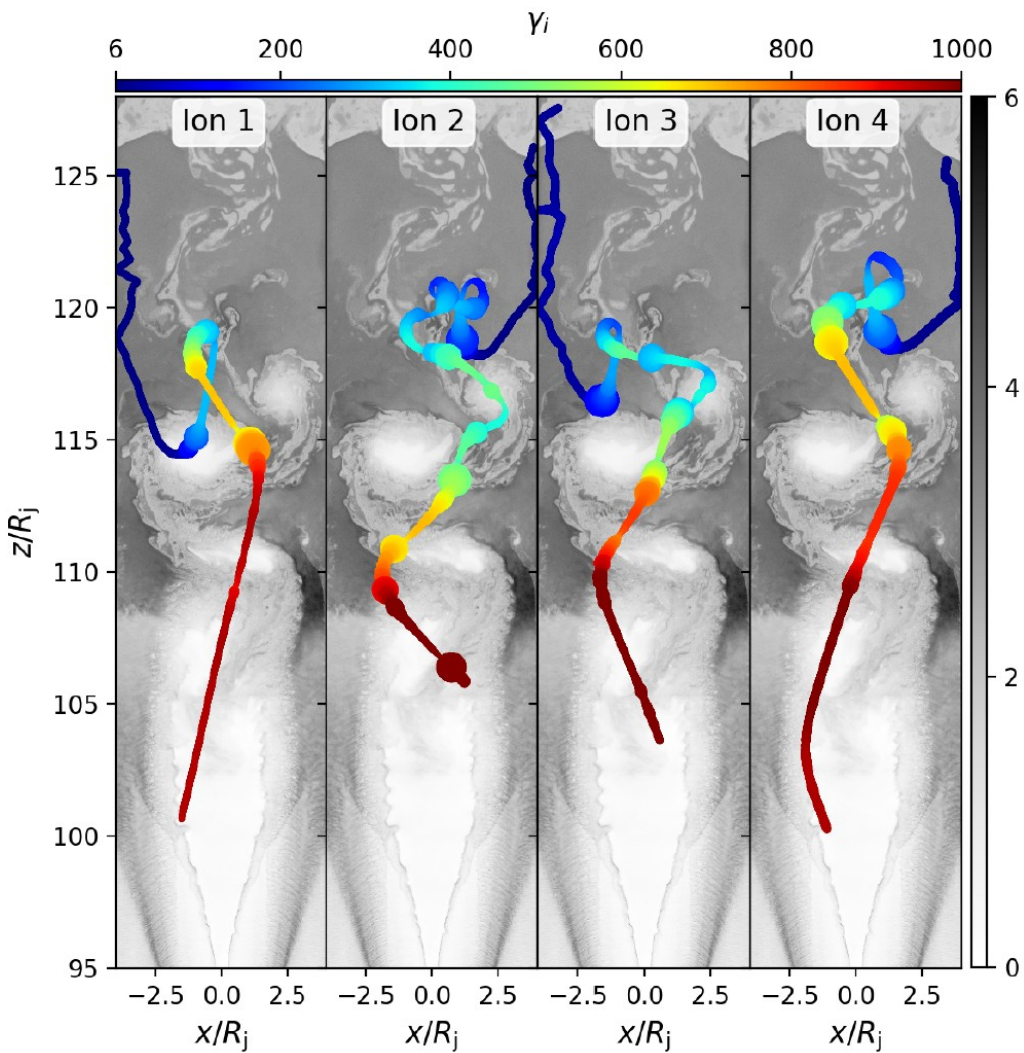
Co-evolution of the maximum particle energy and the width of the cavity

High-energy particle escape



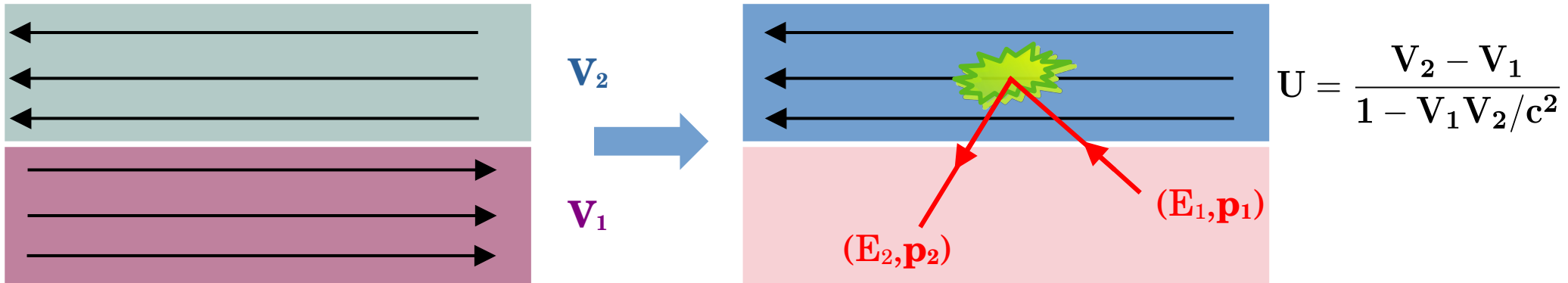
Particle escape with little energy losses

High-energy ion trajectories $\gamma \sim \gamma_H$



Shear-flow acceleration

[e.g., Ostrowski 1990, 1998; Rieger & Duffy 2004, 2006]



Elastic scattering in the magnetic mirror frame: $E'_1 = E'_2$, $p'_{\parallel,1} = -p'_{\parallel,2}$

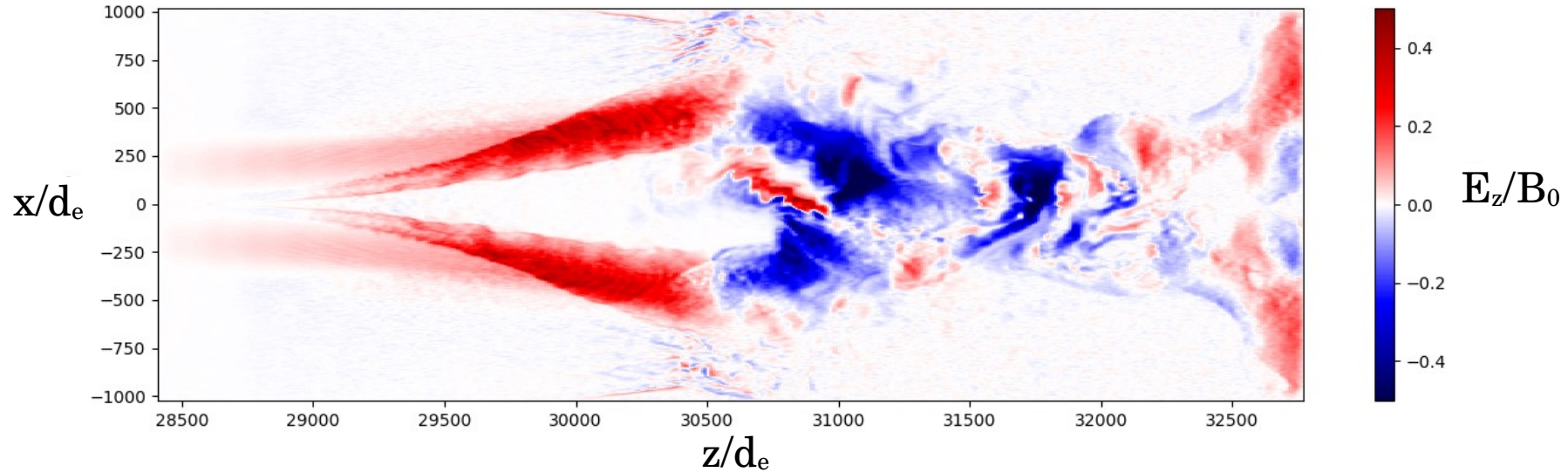
$$E_2 - E_1 = 2\Gamma^2 \left(E_1 \frac{U^2}{c^2} - \mathbf{p}_1 \cdot \frac{\mathbf{U}}{c} \right)$$

Isotropic pitch angle distribution $\left\langle \frac{\Delta E}{E} \right\rangle = 2(\Gamma^2 - 1) \sim 1$

Particle acceleration by change of Lorentz frame => Fermi mechanism

Ideal motion electric field in the laboratory frame

Macroscopic ideal electric field $\mathbf{E} = -\frac{\mathbf{V} \times \mathbf{B}}{c}$

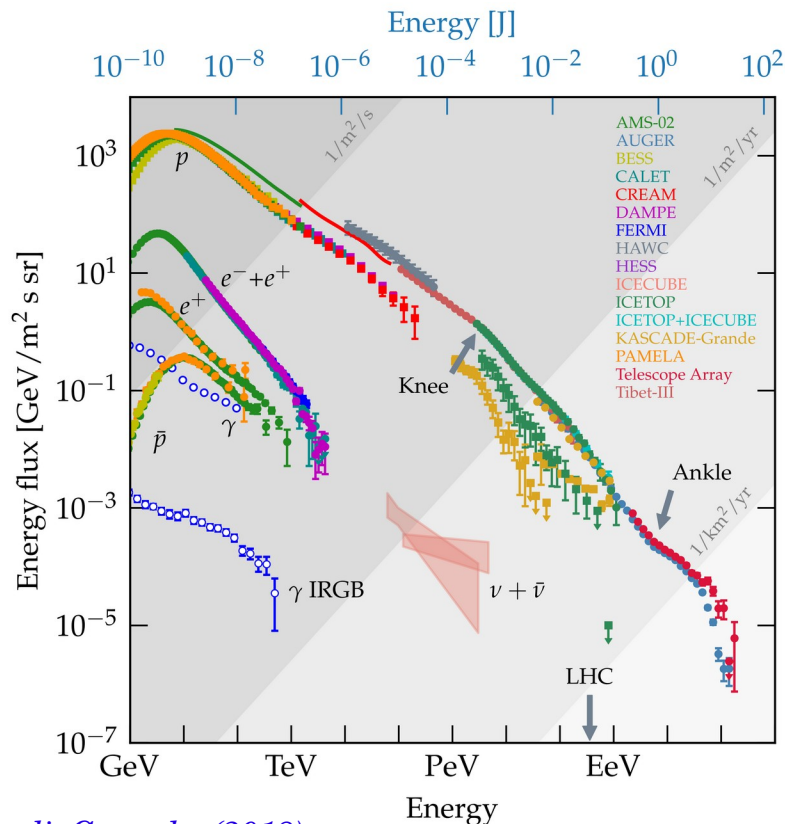


Acceleration rate : $\dot{\gamma} = \frac{e}{m_i c} \mathbf{E} \cdot \boldsymbol{\beta} \approx 0.5\omega_0 \sim \text{constant, independent of energy}$ $\gamma_i(t) \propto t$

In contrast to previous studies where small-scale turbulence leads to a diffusive process

Ultra-high energy cosmic rays (UHECR) & Hillas criterion

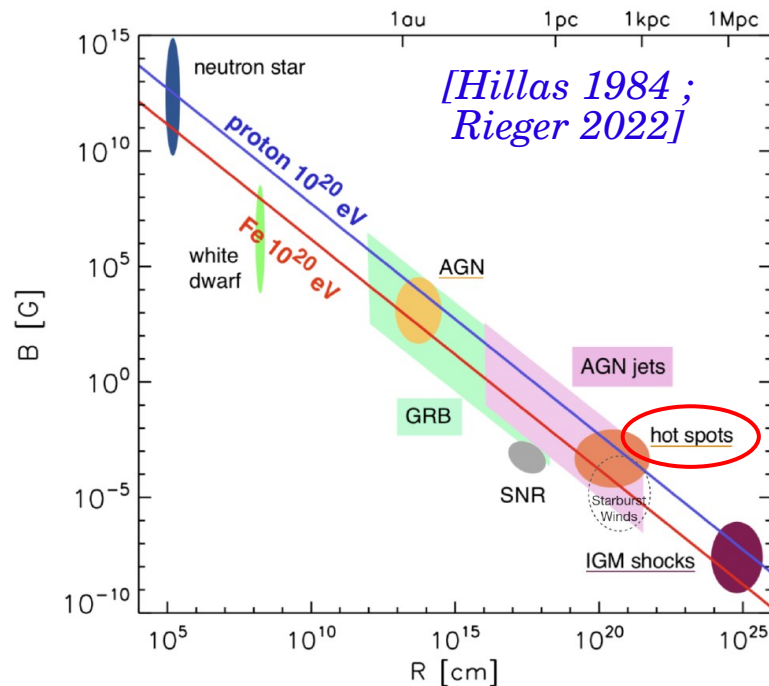
Cosmic-ray spectrum



©Evoli, Carmelo. (2018)

Cosmic-ray confinement limit :
Larmor radius = source

$$E \leq 10^{20} Z \left(\frac{B}{10 \mu\text{G}} \right) \left(\frac{L}{10 \text{ kpc}} \right) \text{ eV}$$

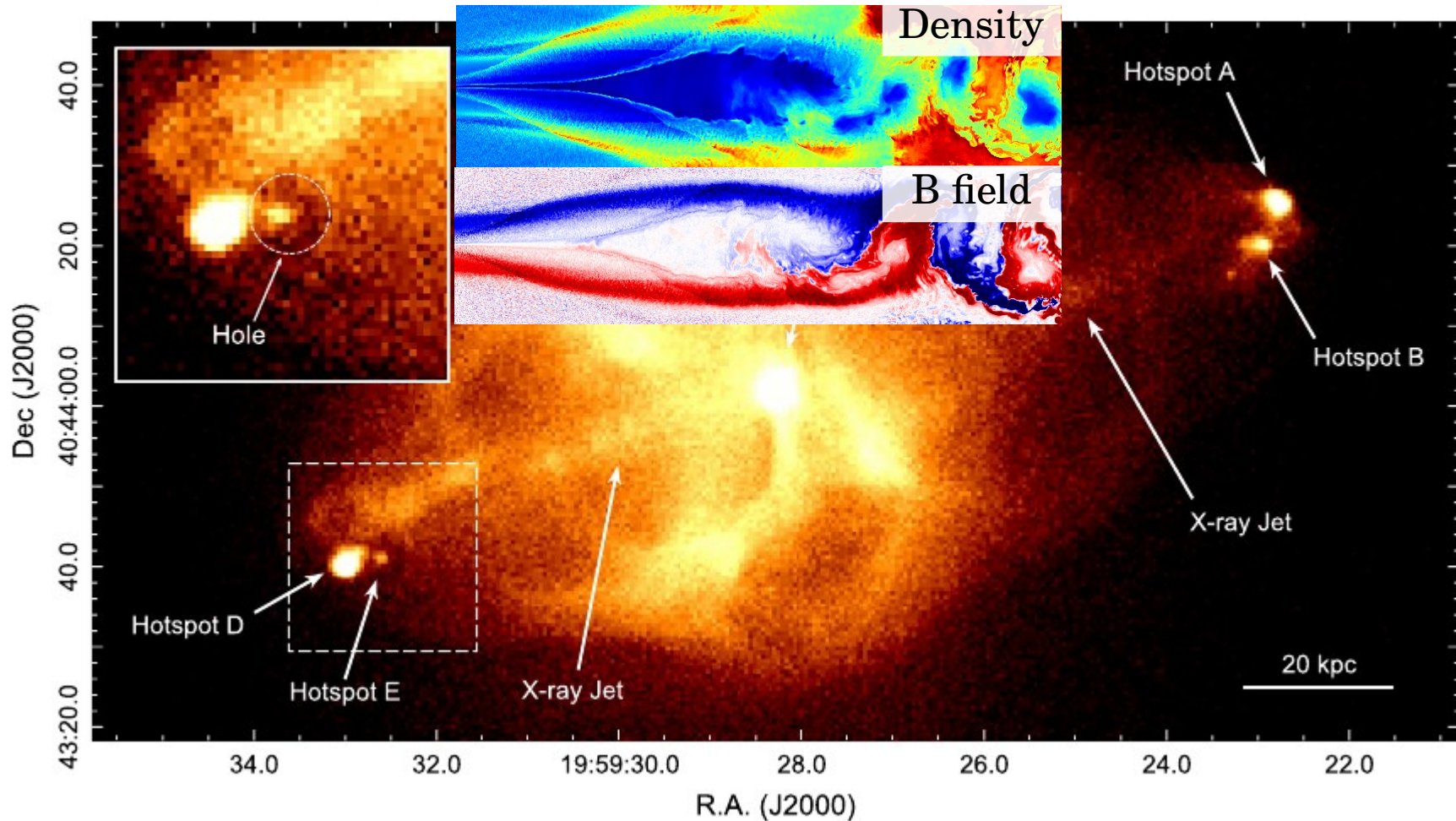


Via this mechanism, jet hotspots/lobes could accelerate (and confine) UHECR !

Observational evidence ?

THE ASTROPHYSICAL JOURNAL, 891:173 (1C) **Under-luminous synchrotron cavity**

Snios et al.



Take-away messages, implications & perspectives

- The **global structure** of the magnetic field (presence of nulls) is key in accelerating particles
- Particle acceleration proceeds via **shear flows** near the shock front **cavity**
- Particle acceleration is **fast** and reaches the **confinement limit** (Hillas)
- **Cosmic ray escape** in the downstream proceeds via **von Kármán vortices**
- Scaled to extragalactic jets, this mechanism could accelerate **UHECR**, and possibly **PeV cosmic rays** in stellar-mass black hole jets such as SS 433.
PeV particle acceleration in PWN (+ Crab flares).
- **Caveats** : Full 3D effects, role of curvature drift, role of external medium ?